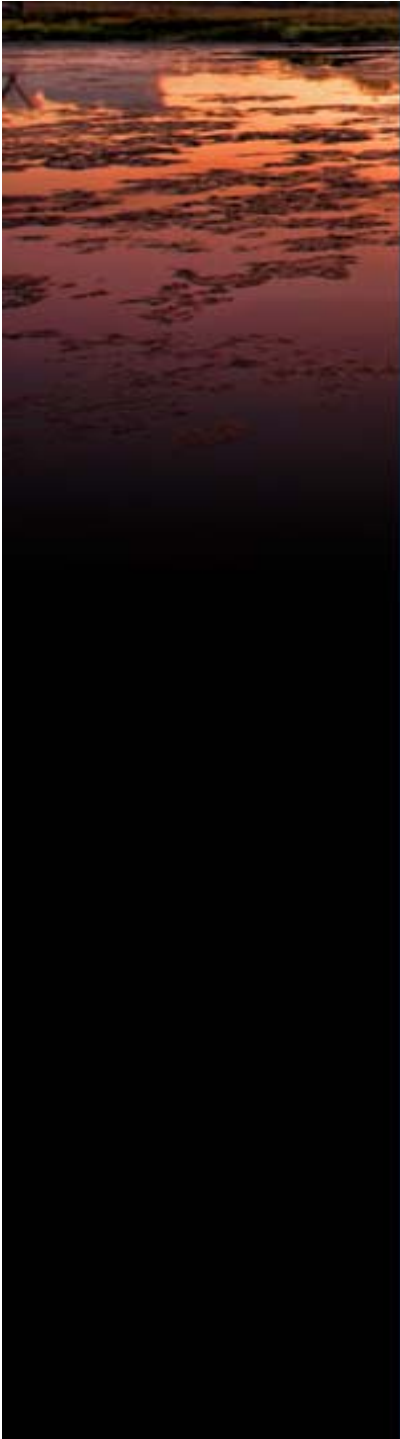




Is the Earth's climate system constrained? * +

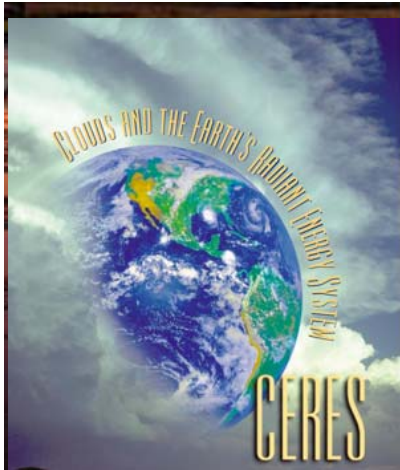
Graeme Stephens, Denis O'Brien,
Peter Webster, Peter Pilewskie, Seiji
Kato, Juilin Li

*Stephens et al., 2014; The albedo of Earth, *Rev Geophys*,
+ Stephens and L'Ecuyer, 2014; The Earth's Energy Balance – progress,
surprises and challenges, *J. Atmos Res.*, (in prep)



I will address the following :

- The energy balance of Earth is highly constrained and mostly by clouds
- That the symmetric energy balance is a fundamental expression of hemispheric thermodynamic steady state under the condition that $X=0$
- That models energy balance is not similarly constrained.
- Raise man questions including the so what?



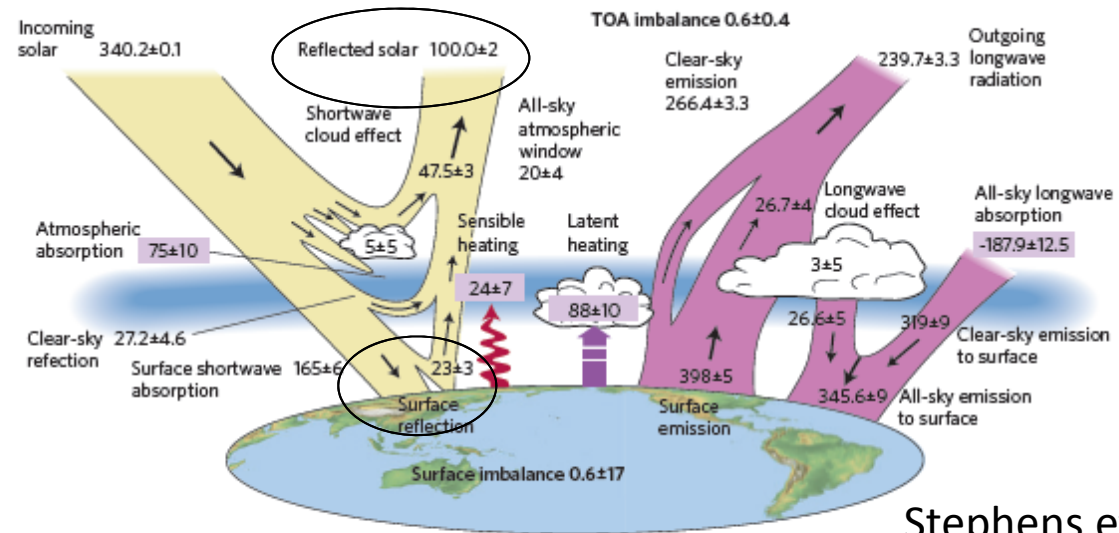
Data sources:
CERES EBAF2.6r
 Loeb et al., 2009

CERES EBAF
 surface fluxes,
 Kato et al., 2009

CloudSat/CALIPSO
Geoprof

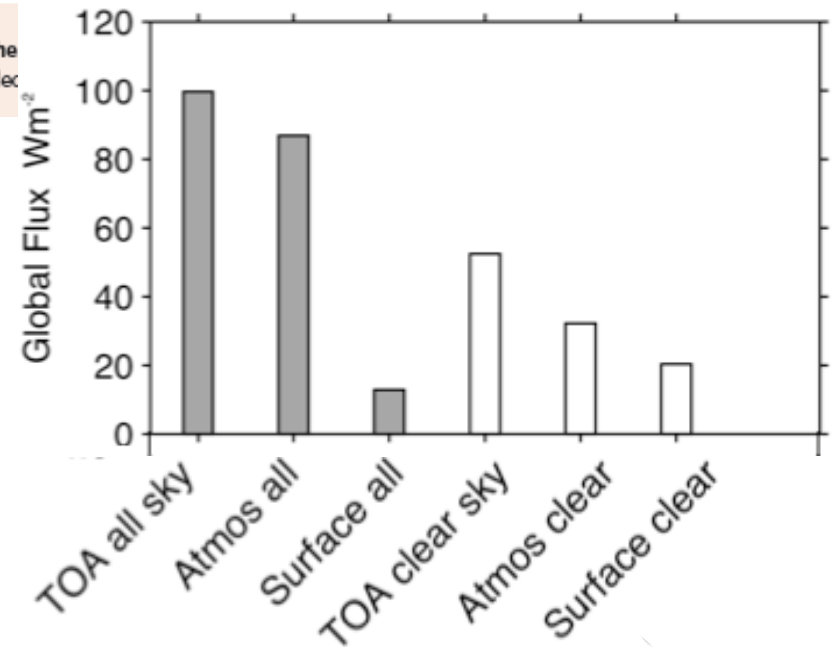


Box 1 | Updated energy balance



Stephens et al., 2102

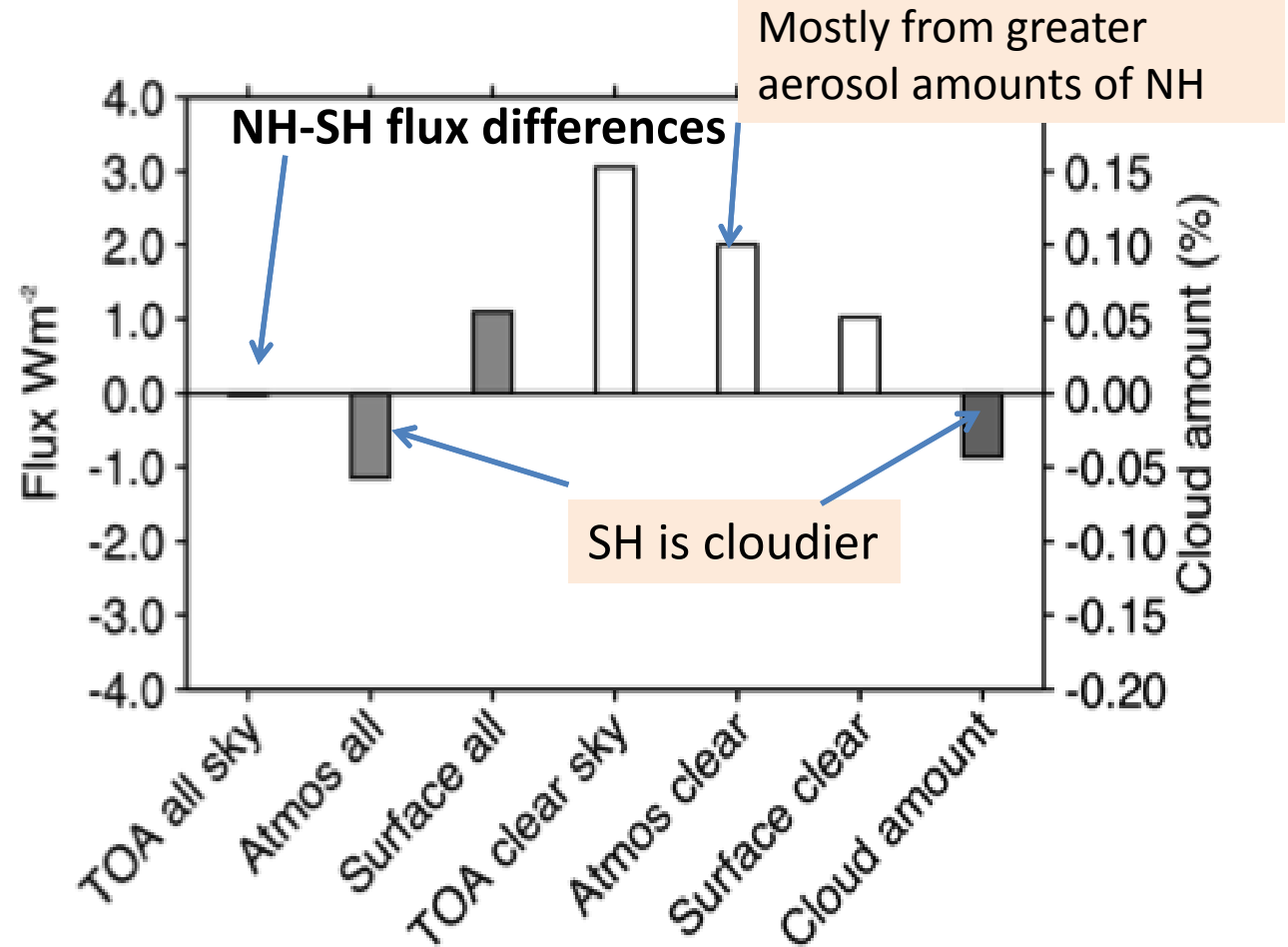
Figure B1 | The global annual mean energy budget of Earth for the and infrared fluxes in pink. The four flux quantities in purple-shaded





For the mean annual case, the measured global planetary albedo is 29 percent and the entire earth-plus-atmosphere system is in near radiative equilibrium since the infrared emission averages $0.33 \text{ cal cm}^{-2} \text{ min}^{-1}$. No significant differences between the total radiation budgets of the Northern and Southern hemispheres are noted on a mean annual scale. This points out the overriding influence of cloudiness on the energy exchange between earth and space, since the surface features

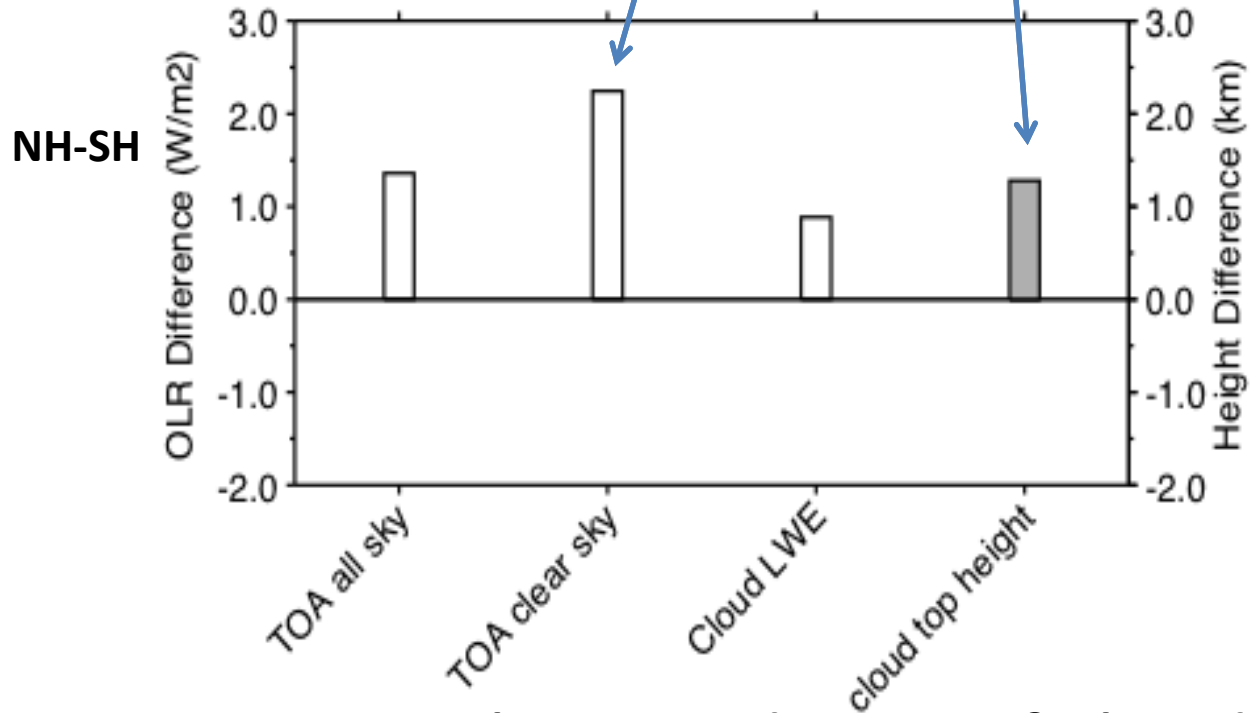
VonderHaar & Suomi, 1969



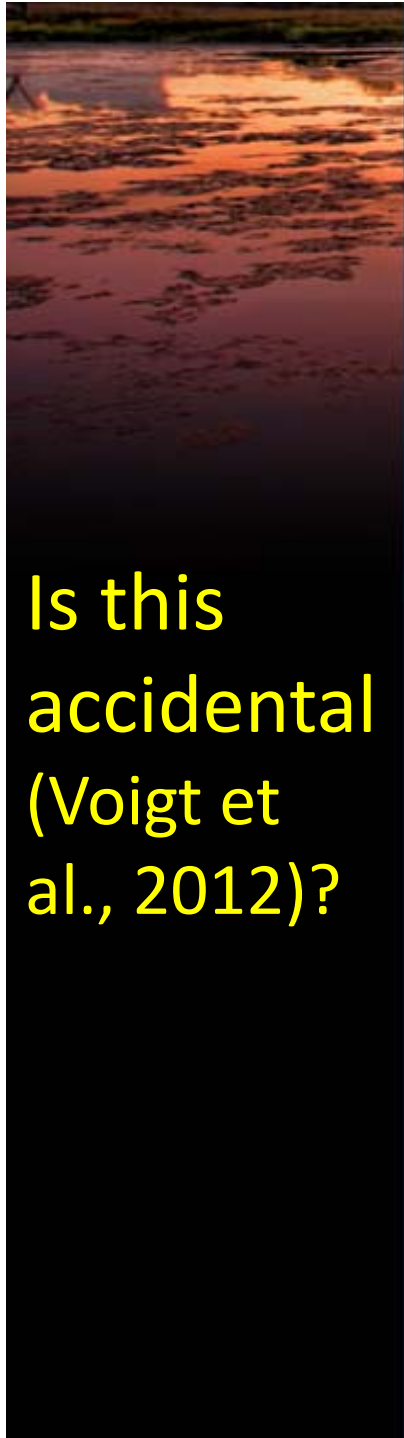
Although the hemispheres are structurally different, the reflected flux is identical ($\sim 0.1 \text{ Wm}^{-2}$) – VonderHaar and Suomi, 1969; Voigt et al., 2012; Stephens et al 2014



Much of the clear-sky differences (warmer NH) offset by higher (colder) NH cloud tops



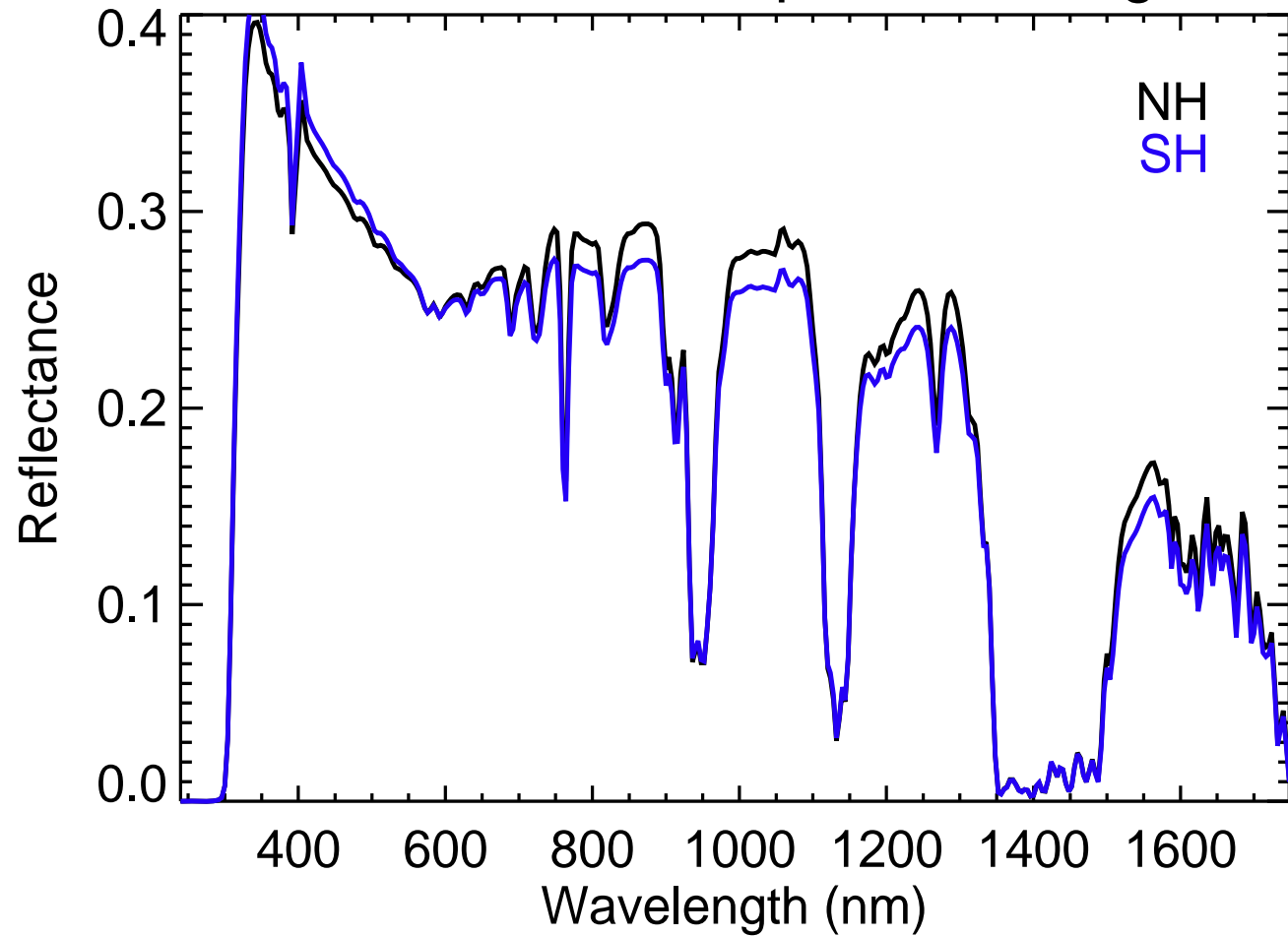
We see very clear evidence of cloud regulation of the hemispheric energy balances towards symmetry both in reflected sunlight and OLR

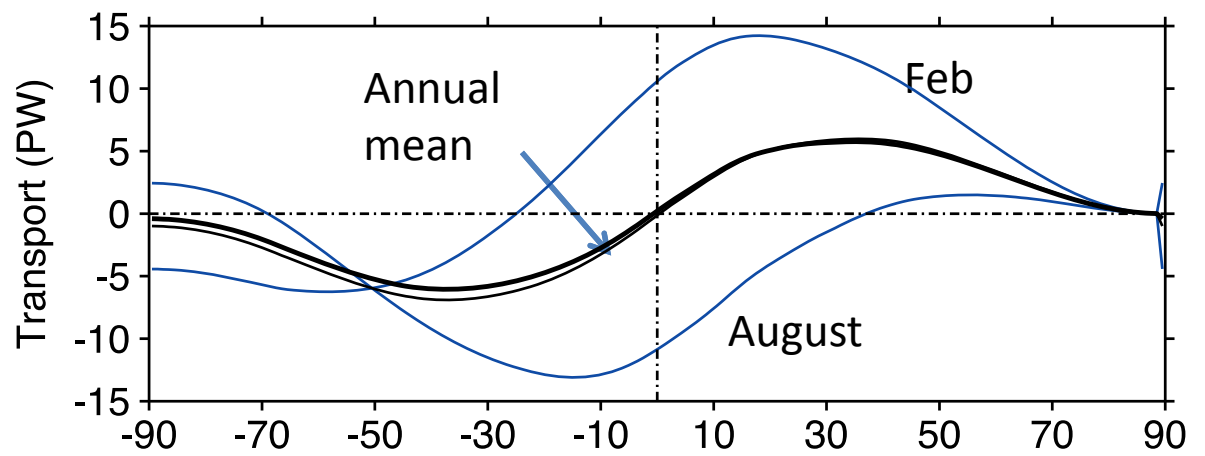
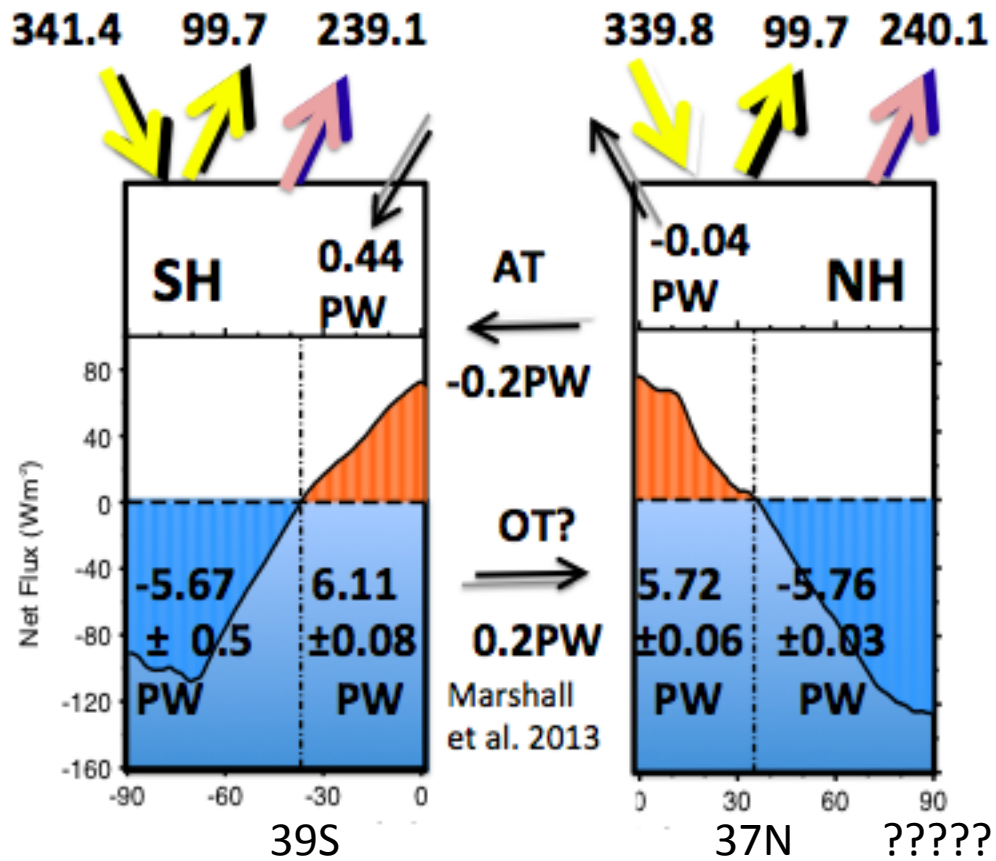


A little ore more anecdotal evidence

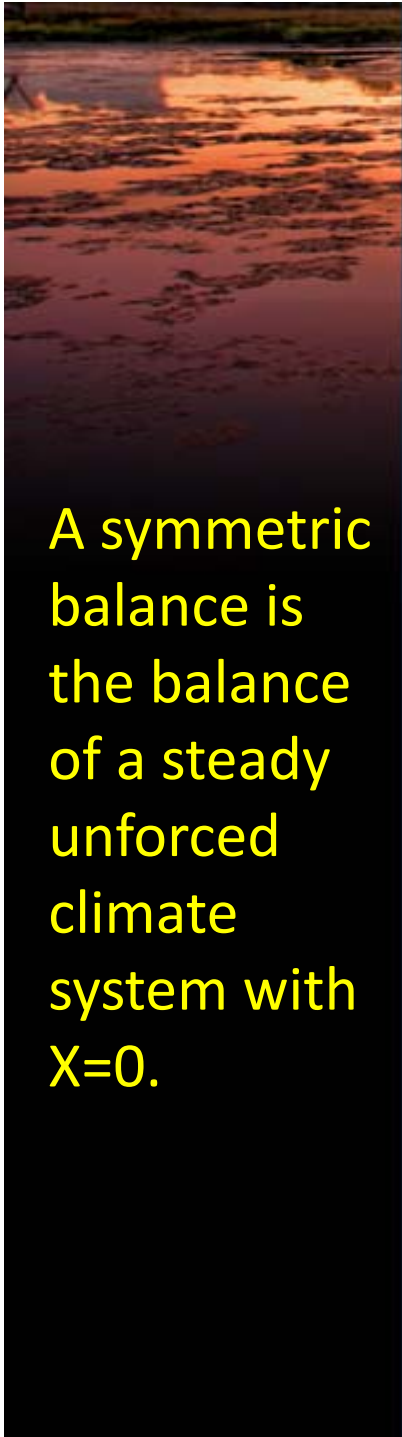
SCHIAMARCHY DATA

2003-2010 Hemisphere Average

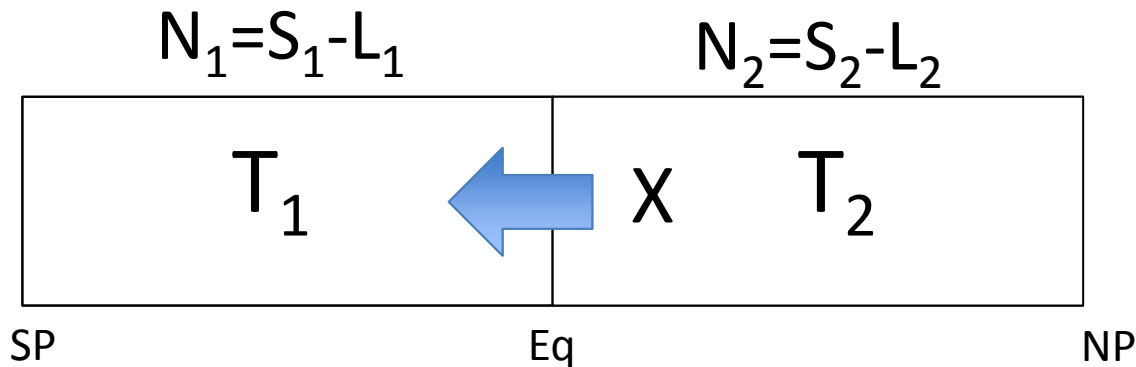




Stephens & L'Ecuyer, 2014



A symmetric balance is the balance of a steady unforced climate system with $X=0$.



In a balanced, steady state

$$N1 + N2 = 0 \quad (1)$$

where

$$N1 = S1 - L1 = X$$

and

$$N2 = S2 - L2 = -X$$

In the special case of $X=0$ then $L1=L2$ otherwise a thermodynamic force is exerted to $X \neq 0$ and

$$N1 = N2 = 0 \quad (2)$$

$$S1 = S2 \quad (3)$$

Current Earth conditions:

NH, $N1 = -0.04 \pm 0.06 \text{PW}$ (ie $X \sim 0$)

SH $N2 = 0.44 \pm 0.1 \text{PW}$

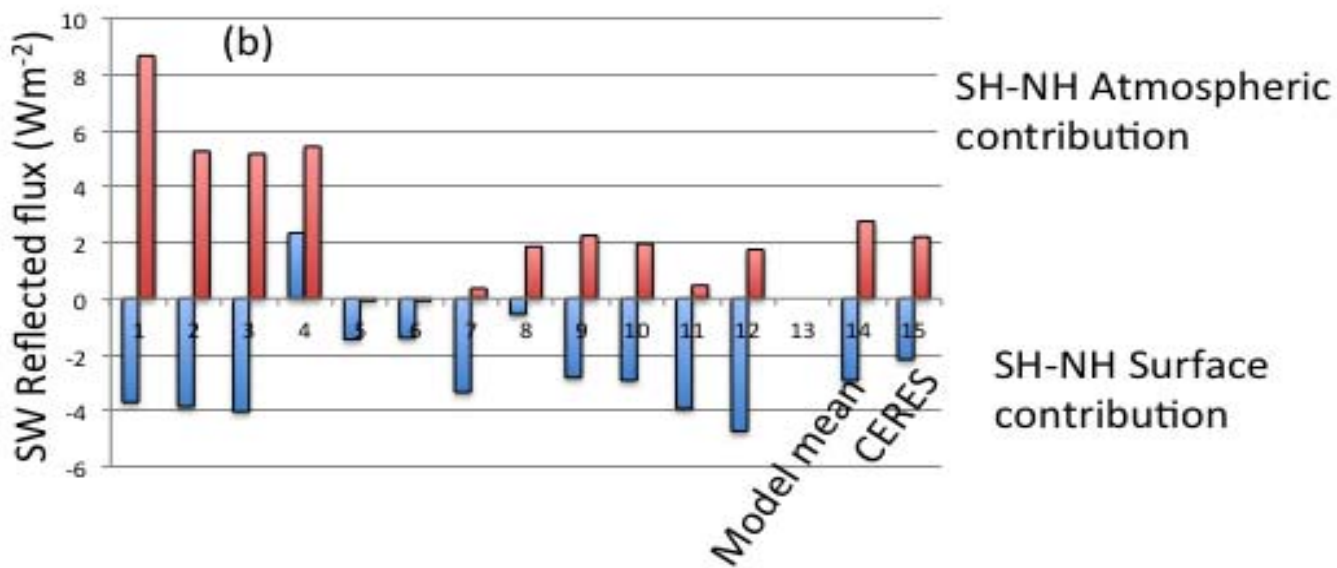
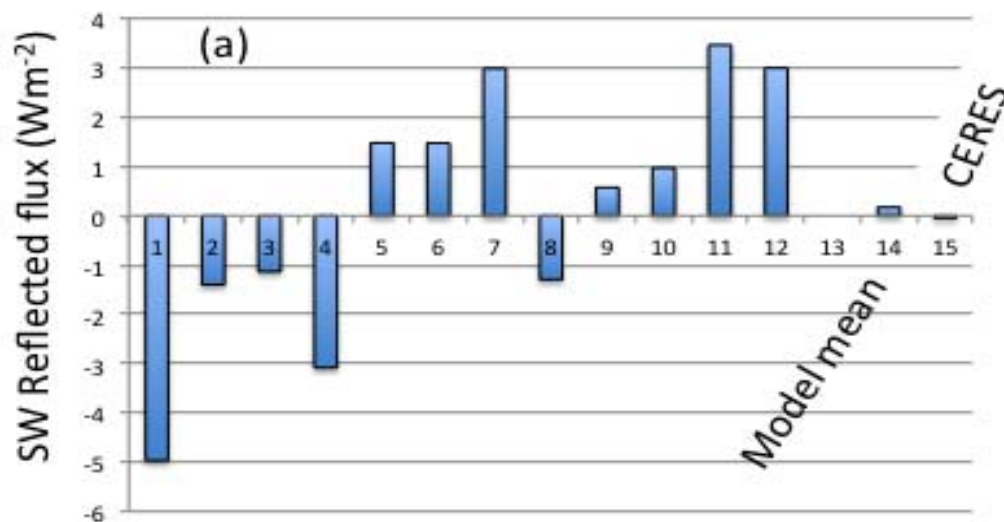
So one hemisphere is balanced, the other not and $N1 + N2 \neq 0$ (0.4PW or $\sim 0.8 \text{Wm}^{-2}$)



Earth system models?

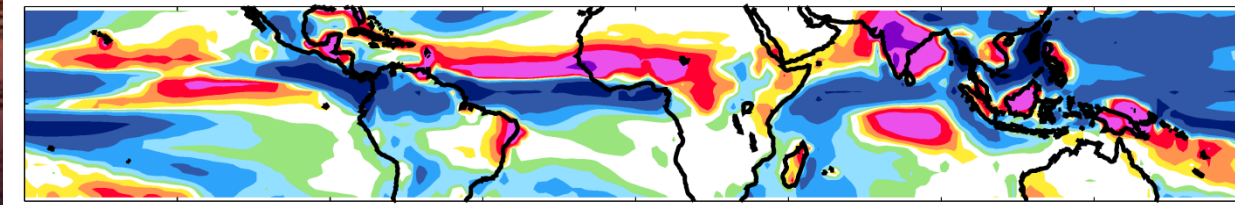
CMIP5 analysis

NH-SH

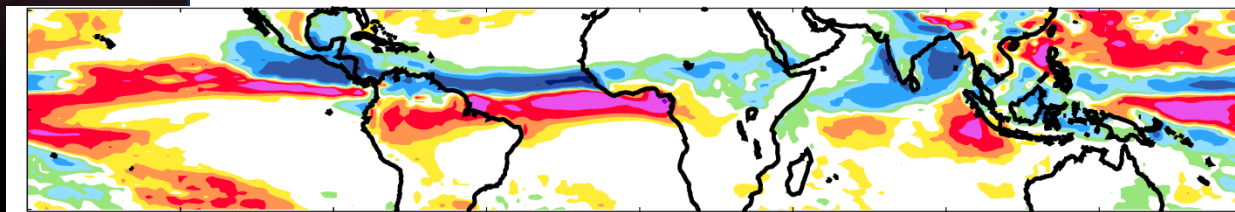


1) There is a general lack of hemispheric symmetry in models

2) The reasons for this vary – in some models the SH clouds are too bright, for others clouds aren't bright enough & yet in others the surface is too bright

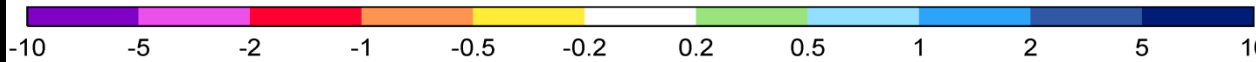


Precip bias
HadGEM2-ES
minus GPCP



Precip change when
hemispheric albedos
are equilibrated

mm/day



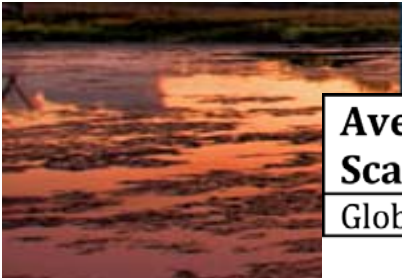
Wet season Precip

Geographic Region	DJF	MAM	JJA	SON
North Africa	0.64	0.47	0.54	0.17
South Asia	1.05	2.59	0.67	0.70
Amazonia	0.86	0.90	0.73	0.72
South East Asia	1.17	0.35	0.80	0.96

Bias ratio
Key areas
affected by
monsoonal
precipitation

Haywood et al., personal communication

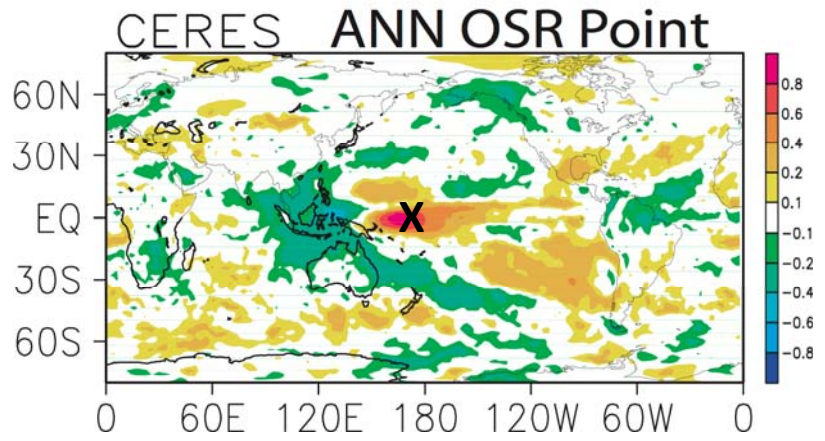
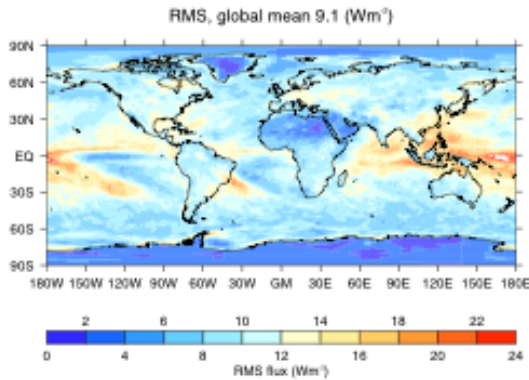
Also Haywood
et al., 2013
Frierson &
Huang, 2012
Voigt et al.,
2013



Variability is mostly from clouds and is highly regulated with connected regions of increase and decrease

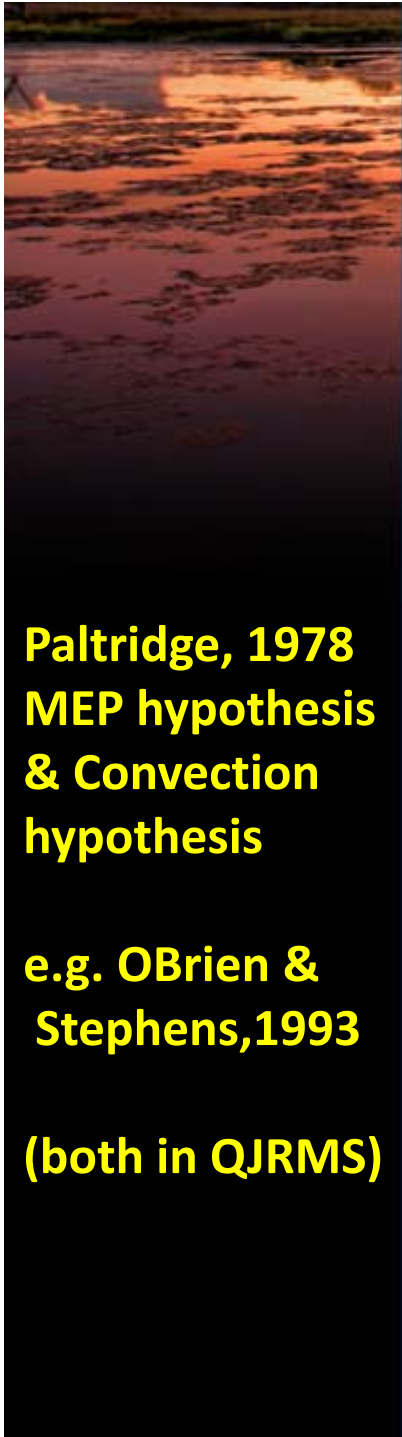
Averaging Scale	Total		Atmosphere		Surface	
	Flux	σ (x)	Flux	σ (x)	Flux	σ (x)
Global	99.7	0.23	86.9	0.29	12.9	0.10

(30N-30S)						
Mid-latitude NH(30-60N)	103.8	0.52	91.5	0.53	12.3	0.15
Mid-latitude SH(30-60S)	104.1	0.56	98.9	0.65	5.26	0.10
Polar NH (60-90N)	97.0	0.87	78.7	0.87	19.1	0.47
Polar SH (60-90S)	118.8	0.68	84.4	1.26	35.5	0.97



(also Smith et al. 1990)

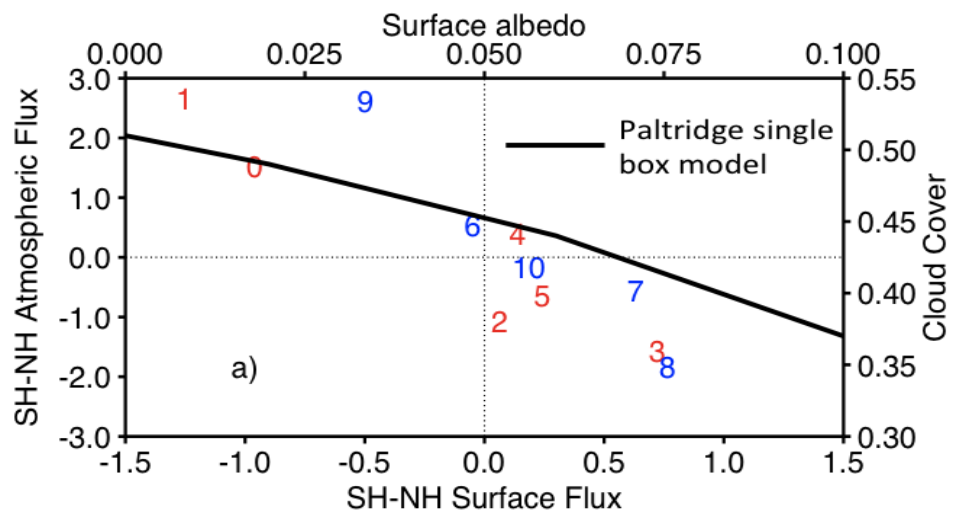
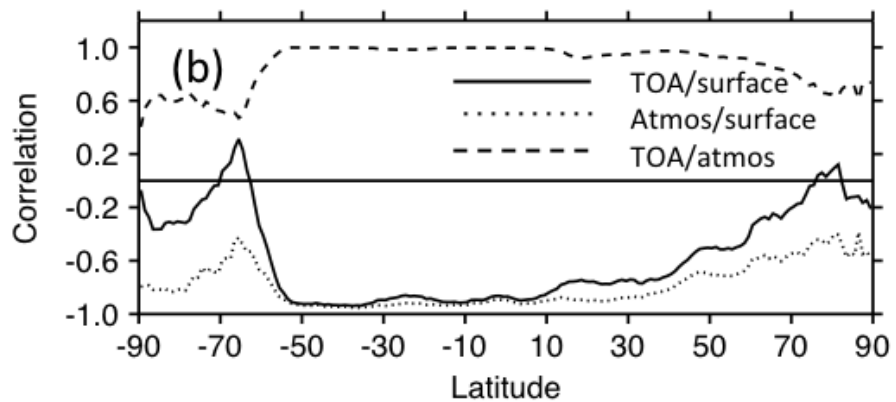
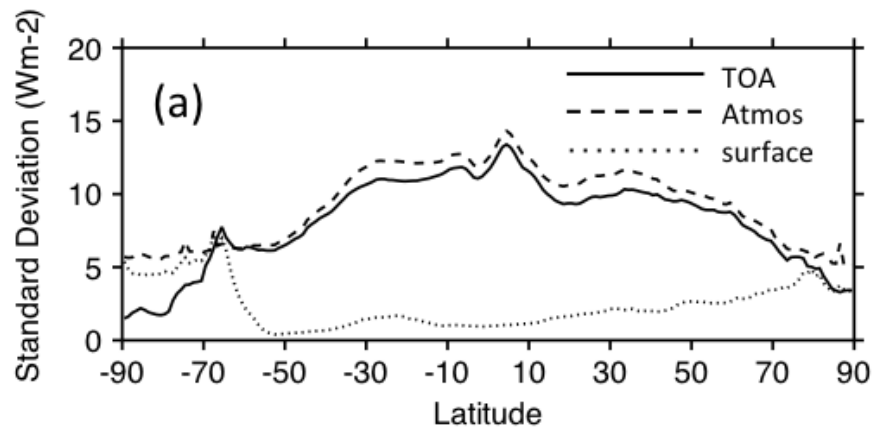
Interannual variability of the global-mean reflected flux $\sim 0.2 \text{ Wm}^{-2}$
 Local (1X1 degree) mean std deviation (deasonalized $\sim 9 \text{ Wm}^{-2}$)



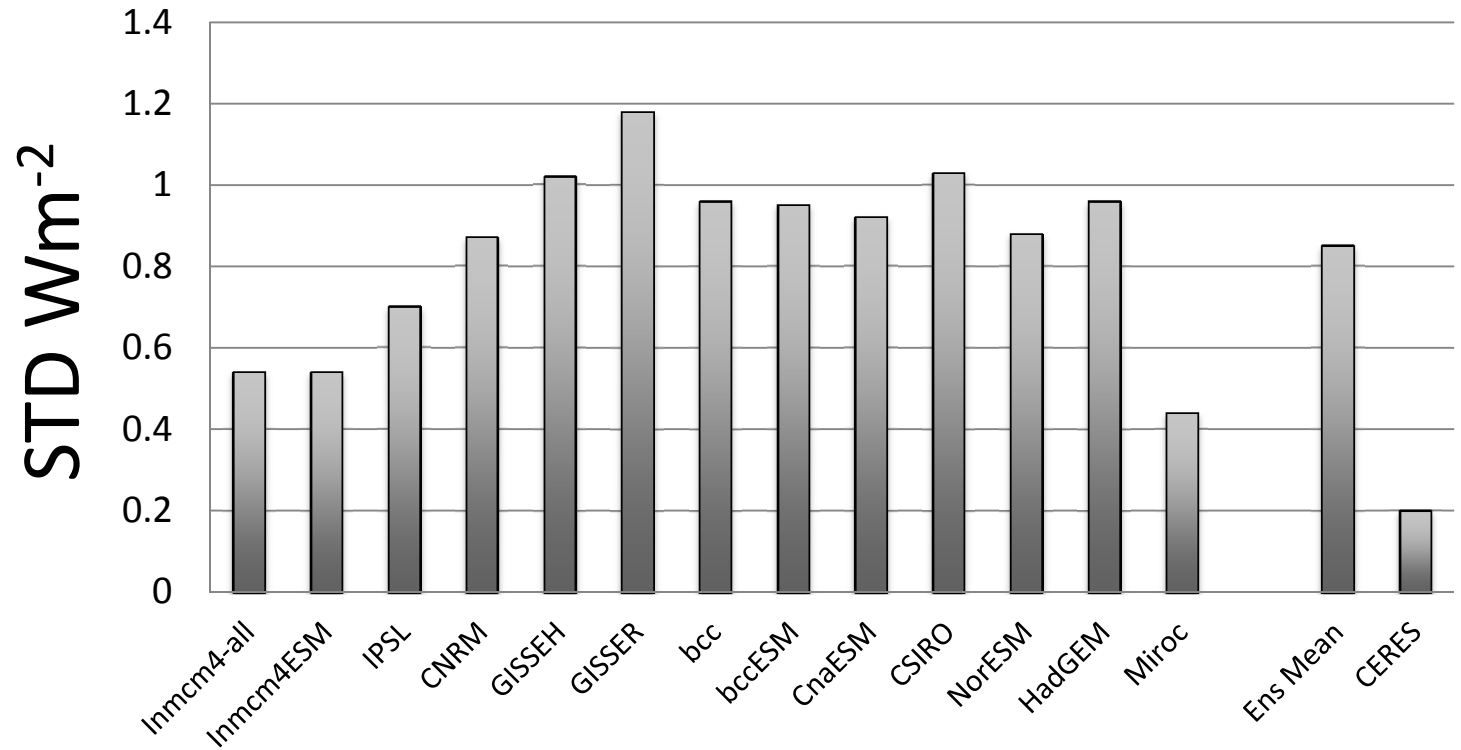
**Paltridge, 1978
MEP hypothesis
& Convection
hypothesis**

**e.g. OBrien &
Stephens, 1993
(both in QJRMS)**

CERES Variability
Between 2000-2010

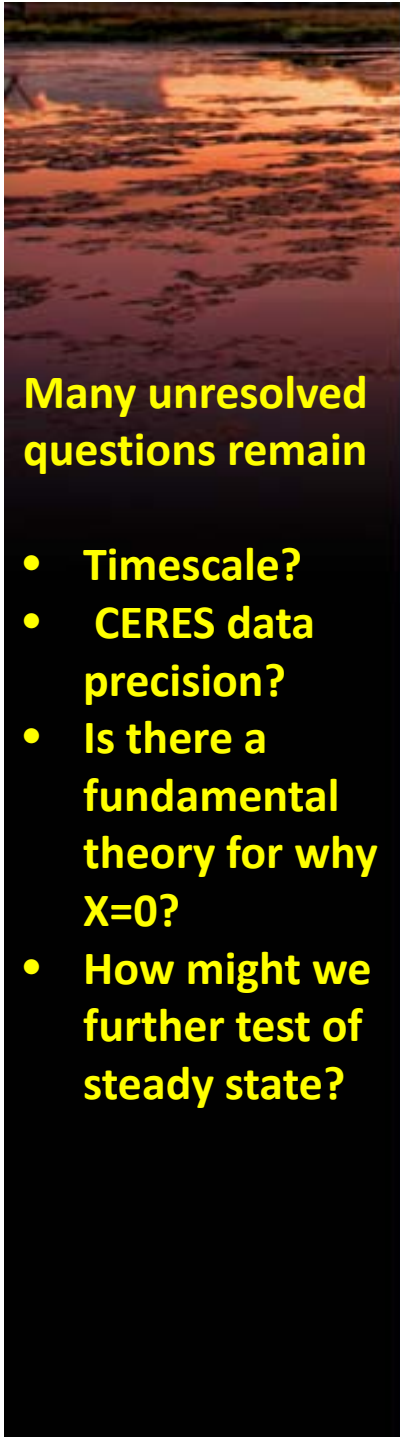


CMIP5 Model Interannual variability



In the mean,
model
interannual
variability is
~ 4 times the
observed.

Does this
matter??



Many unresolved questions remain

- **Timescale?**
- **CERES data precision?**
- **Is there a fundamental theory for why $X=0$?**
- **How might we further test of steady state?**

Summary:

- **Is the Earth's Climate system constrained?**
 - The reflected energy from Earth is highly regulated & this regulation by clouds. The most dramatic example of this appears in hemispheric symmetry of reflected solar radiation
 - Hemispheric OLR also appears regulated by clouds
 - The symmetry is not accidental?? but is a condition required for a steady state with $X=0$
- **If some overriding symmetric steady state constraint exist, what is its significance?**
 - synchronized planetary response to asynchronized hemispheric or more local forcings (e.g solar, aerosol..).
 - Insight on global feedbacks (e.g clouds) - fundamentally negative?
- **Are models similarly constrained?**
 - Models don't have the same behavior as the observed Earth – they lack the same degree of regulation and symmetry. Does this really matter? It seems so.



Supporting material

The Paltridge Model

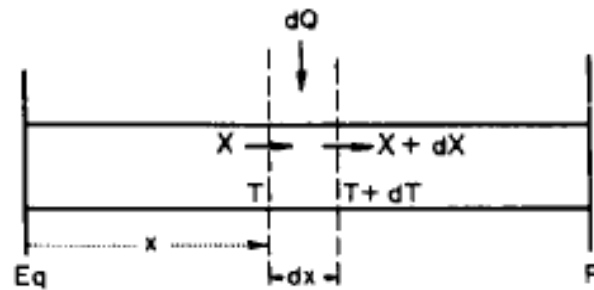


Figure 1. Schematic version of the thermodynamics of a one-dimensional hemisphere from equator (Eq) to pole (P). T is temperature, X is meridional flux of energy, dQ is net radiative input – all functions of distance or latitude, x .

each 'box' has five unknowns

temperature T

total flux by atmosphere and oceans, $X = X_O + X_A$

surface temperature θ

net sensible heat flux $LE + H$

the system has no dynamics (OBrien & Stephens, 1993, QJRMS,)

is solved using

TOA energy balance (T , θ , $LE + H$, surface albedo, cloud albedo

using two hypotheses

1) application of a Maximum Entropy Production (MEP) hypothesis

2) application of a Convection Hypothesis (OBrien and Stephens, 1993)

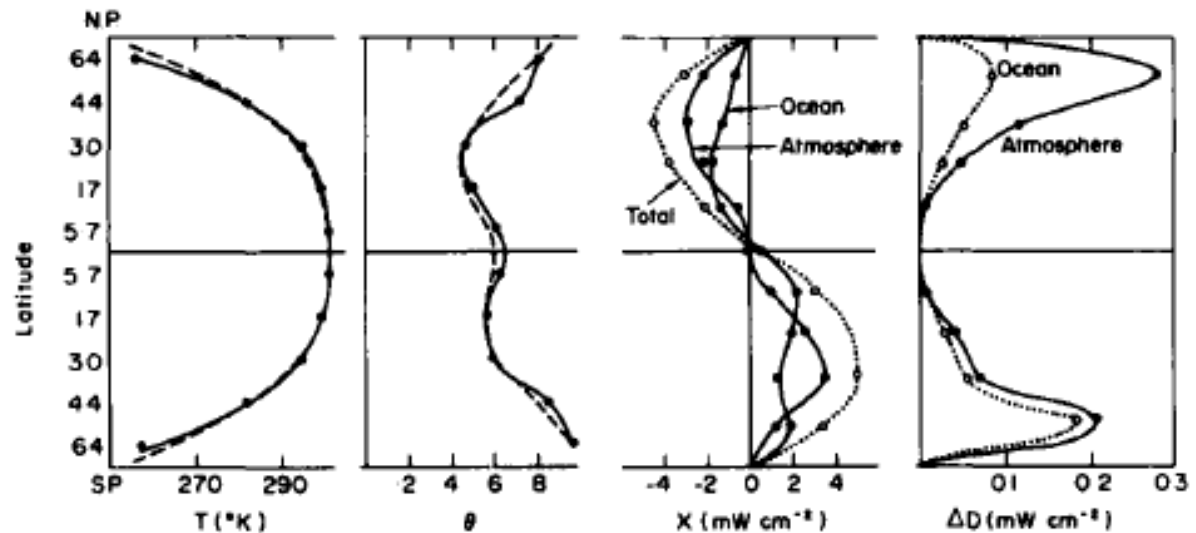
- MEP – a constraint on $X - X_0$ is chosen to maximize

$$\text{MEP} = \dot{S}_I = -\dot{S}_e = -\sum_{i=1}^{10} (F_{\downarrow S} - F_{\uparrow L})_i / T_{ai}$$

- Convection Hypothesis – for a given ratio X_A & X_0 ,
 the cover is such as to maximize $LE+H$ –
 this ratio X_A/X_0 and expresses $LE+H$ in
 terms of T and cloud cover θ

ions

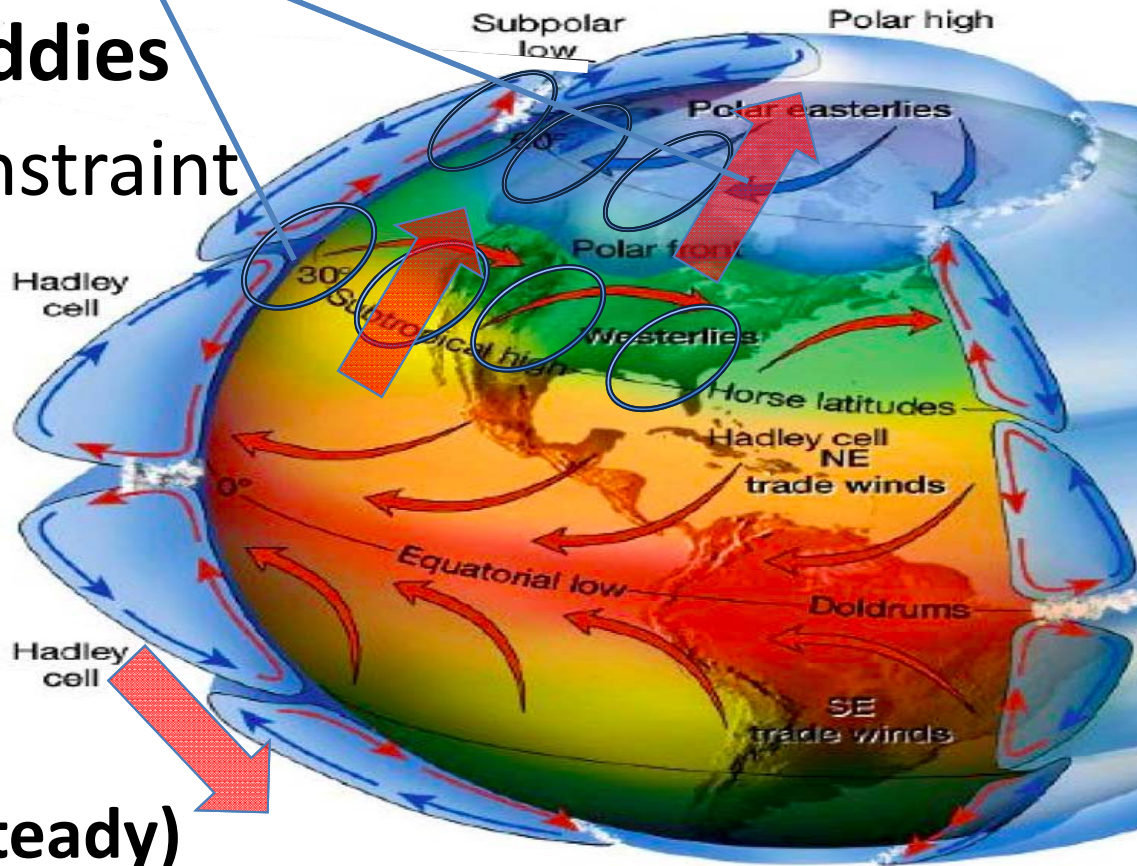
**A 'remarkable' result
 & even today (35 yrs
 later) MEP still has
 followers and
 conjures interest.
 But**



Perhaps the clearest analysis of the relevance of MEP to climate is that of Goody, 2004

Eddies

MEP constraint



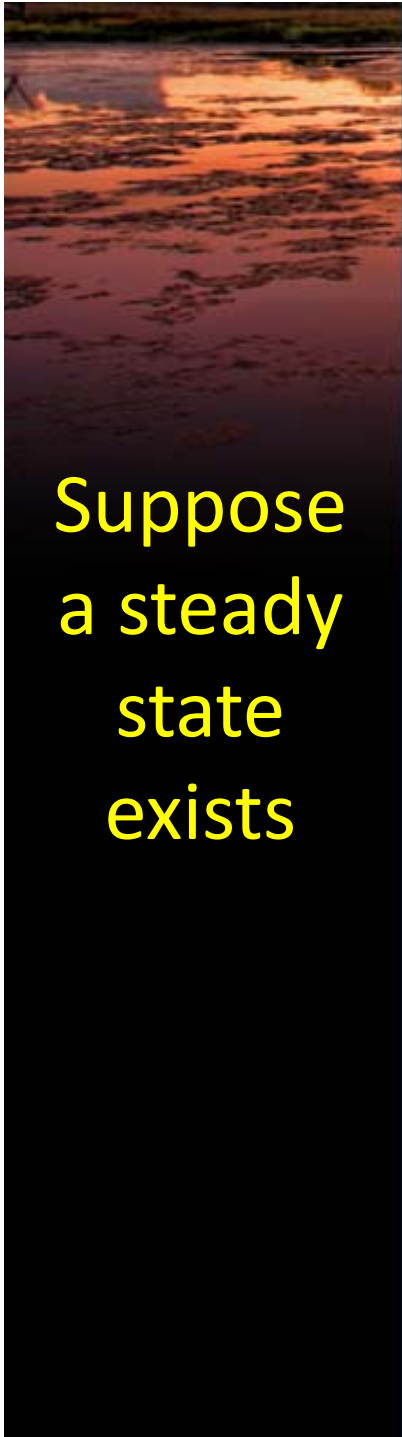
steady)

l transport

d by linear

r momentum

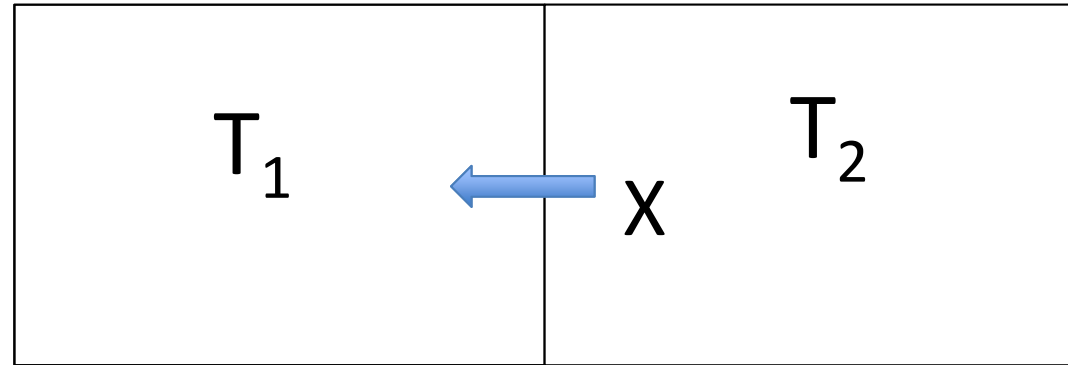
Goody's main point - not all parts of the system come under the MEP constraint and thus MEP cant be a powerful global system constraint.



Suppose
a steady
state
exists

$$N_1 = S_1 - L_1$$

$$N_2 = S_2 - L_2$$



SP

Eq

NP

On some time scale, steady state requires

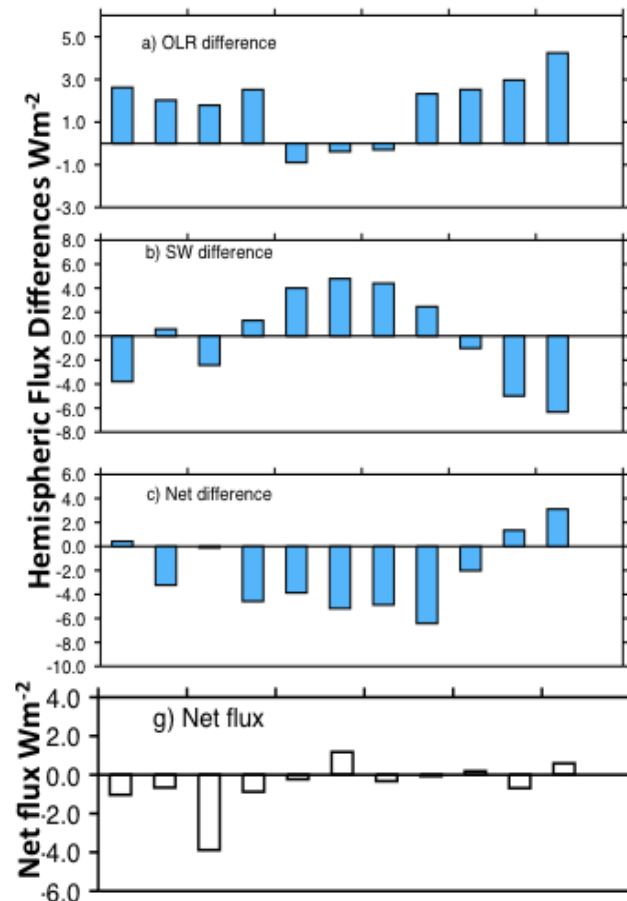
$$N_1 + N_2 = 0; \quad N_1 = X, \quad N_2 = -X$$

Suppose $T_1 \neq T_2$ then a thermodynamic force $-\nabla T$ is produced driving a circulation between hemispheres. Fluxes of momentum and angular momentum across the equator must be zero implying the net mass flux is zero across the equator and the flux of heat too is zero (as observed). Thus

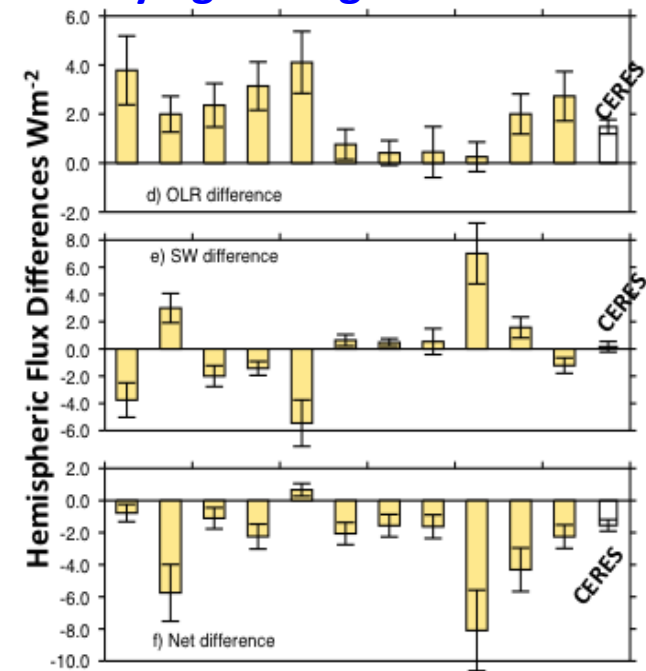
$$X=0 \longrightarrow N_1=N_2=0 \longrightarrow L_1=L_2 \quad (T_1=T_2) \longrightarrow S_1=S_2$$

Unresolved questions

CMIP5 500 year control
Unchanged forcings,

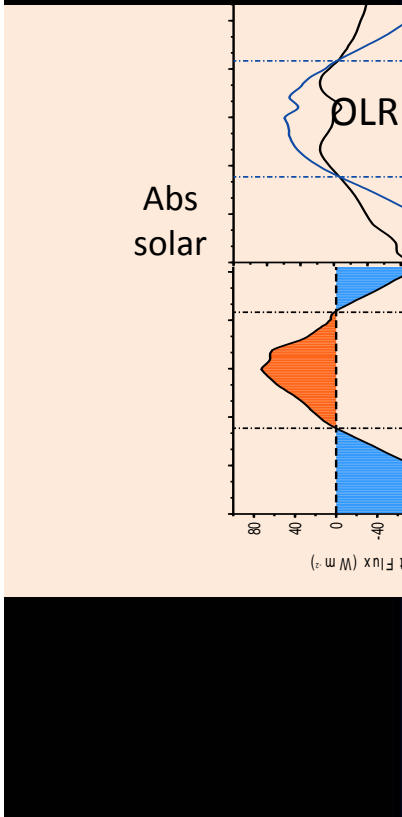
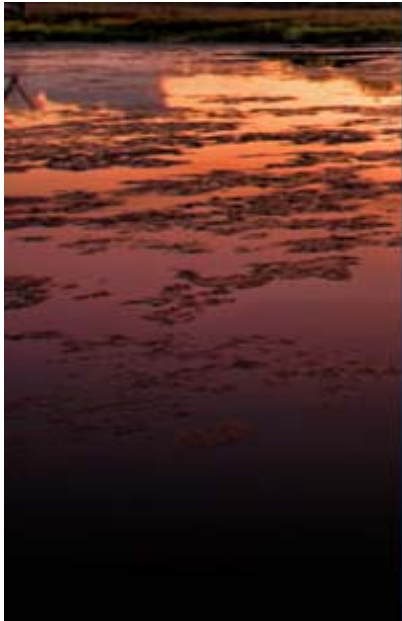


CMIP5 historical - time
varying forcings



We can't use present models to test ideas because they are neither balanced nor in steady state (eg as in control). The hemispheric differences of models (historical) exceed that observed.

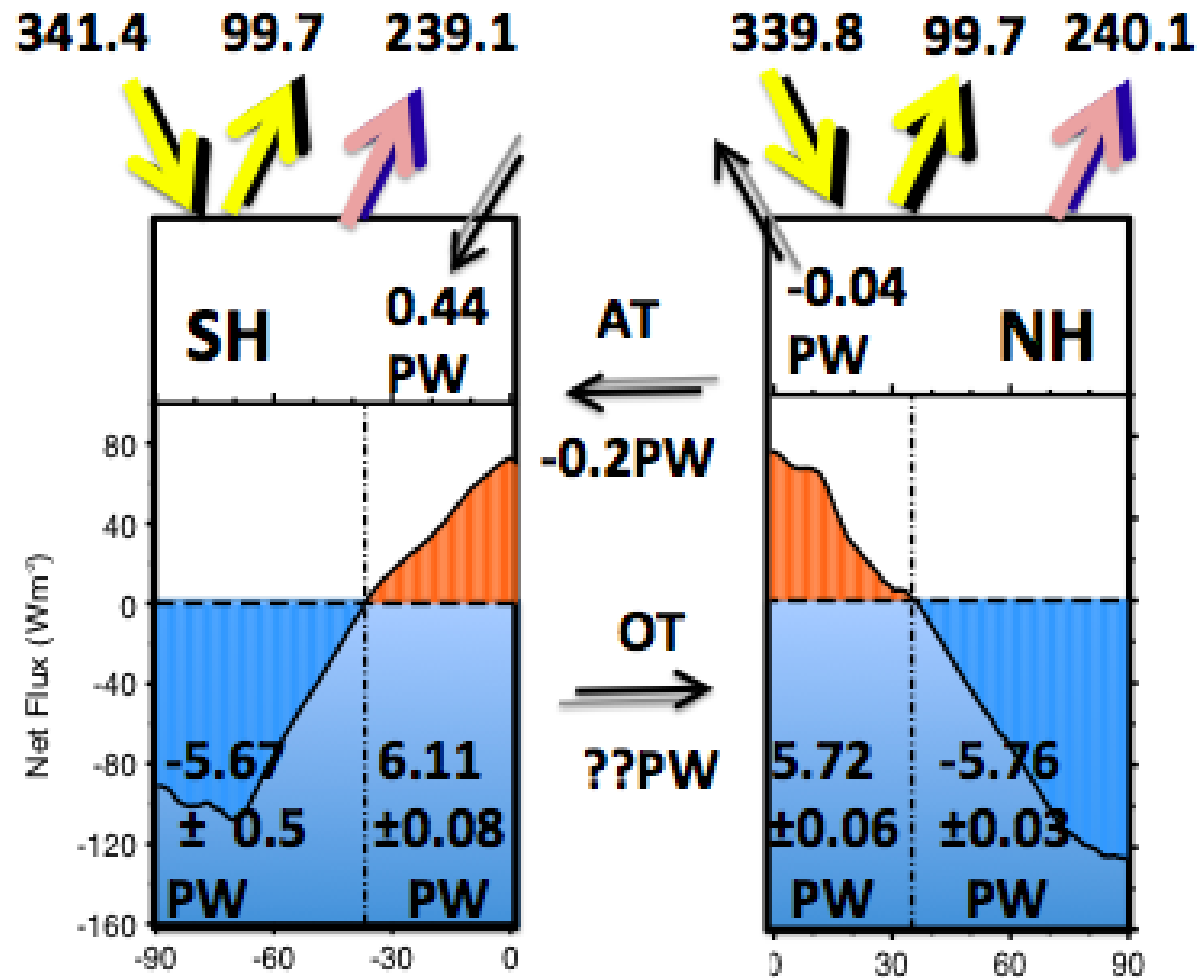
The (near) symmetry



Scale (x)	Reflected SW (Wm^{-2})		Outgoing LW (Wm^{-2})		Net flux (Wm^{-2})		Heat Accumulated (PW)		Sea Level Pressure (hPa)	
	Flux	$\sigma(x)$	Flux	$\sigma(x)$	Flux	$\sigma(x)$	X	$\sigma(x)$	P	$\sigma(x)$
Global	99.71	0.24	239.73	0.25	0.79	0.28				
NH	99.70	0.24	240.41	0.19	-0.16	0.25	-0.04	0.06	1011.8 (1010.3)	0.25
SH	99.73	0.39	239.05	0.41	1.75	0.39	0.44	0.10	1011.0 (1010.8)	0.27
Tropical NH	97.86	0.50	256.73	0.44	39.07	0.38	5.72	0.06		
Tropical SH	92.00	0.48	259.86	0.55	39.82	0.52	6.11	0.08		
Polar NH	102.11	0.54	218.45	0.49	-52.94	0.23	-5.76	0.03		
Polar SH	111.42	0.44	207.58	0.42	-55.80	0.44	-5.67	0.05		

**These are
11 year
averages
of the
EBAF data**

- 1) The NH is balanced , the SH gains heat – ie the ocean uptake occurs in southern oceans
- 2) This slight imbalance occurs through a slight OLR asymmetry
- 3) Less obvious is the also near symmetry in meridional heat transport

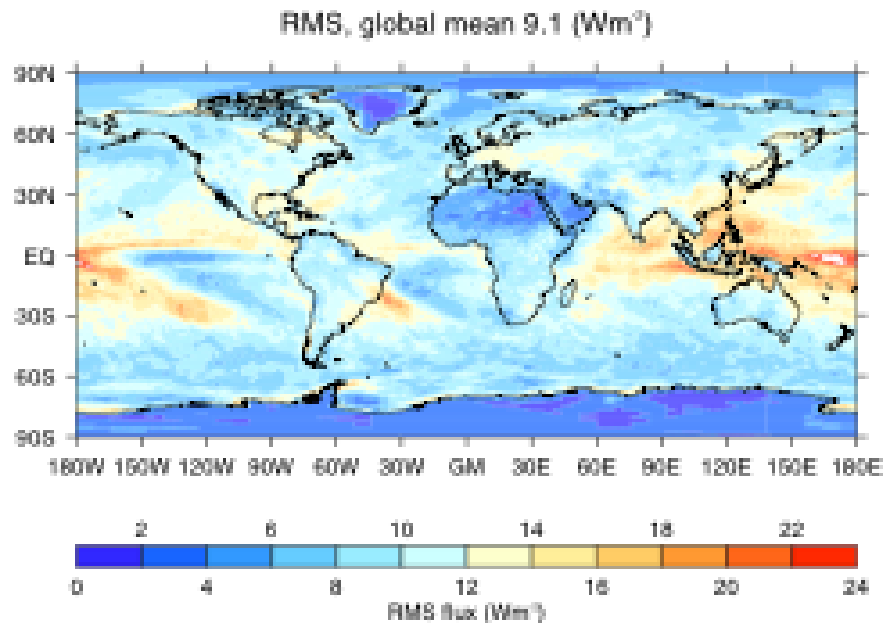


Stephens & L'Ecuyer, 2014

Variability is mostly from clouds and is highly regulated

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