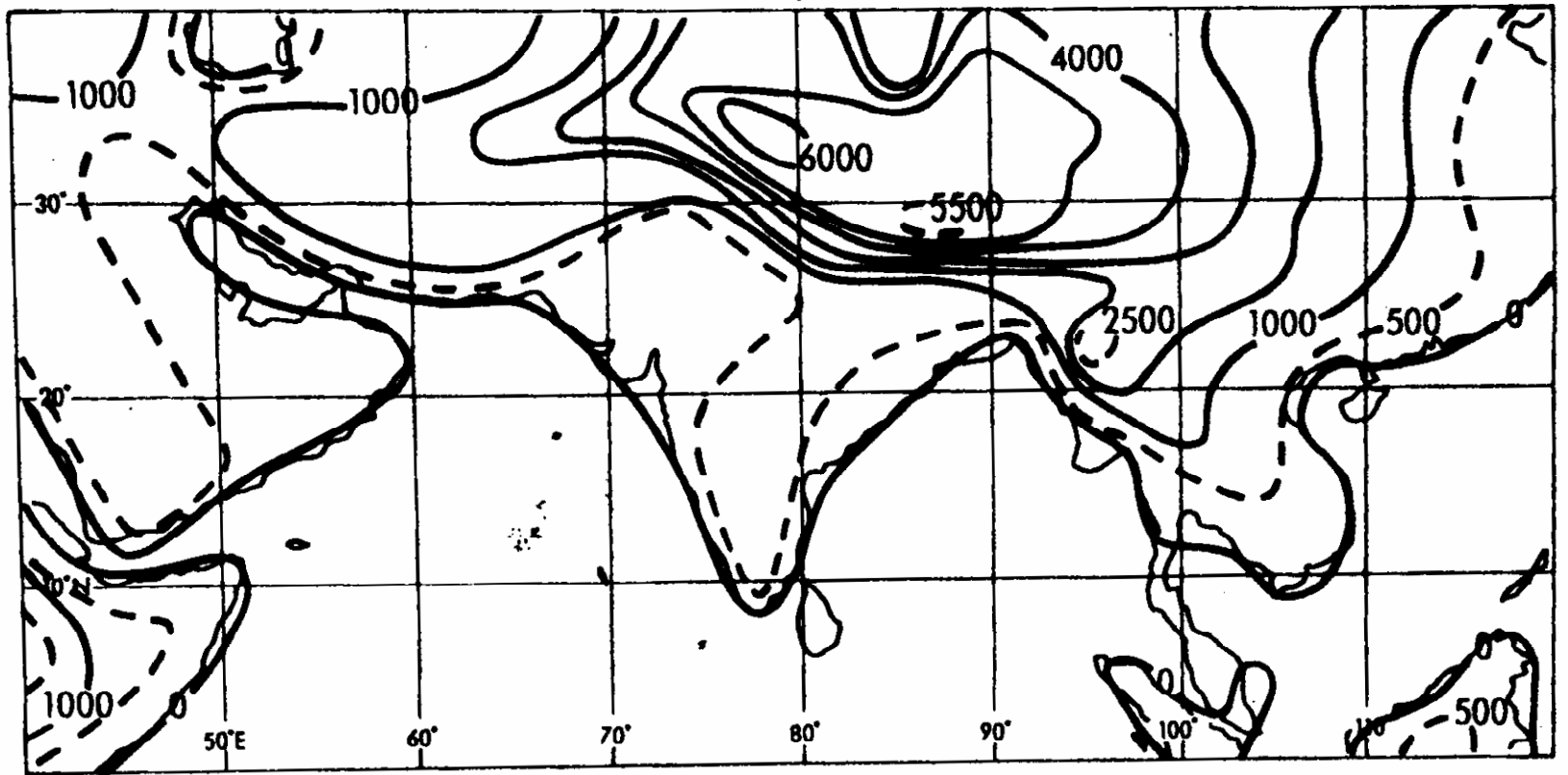
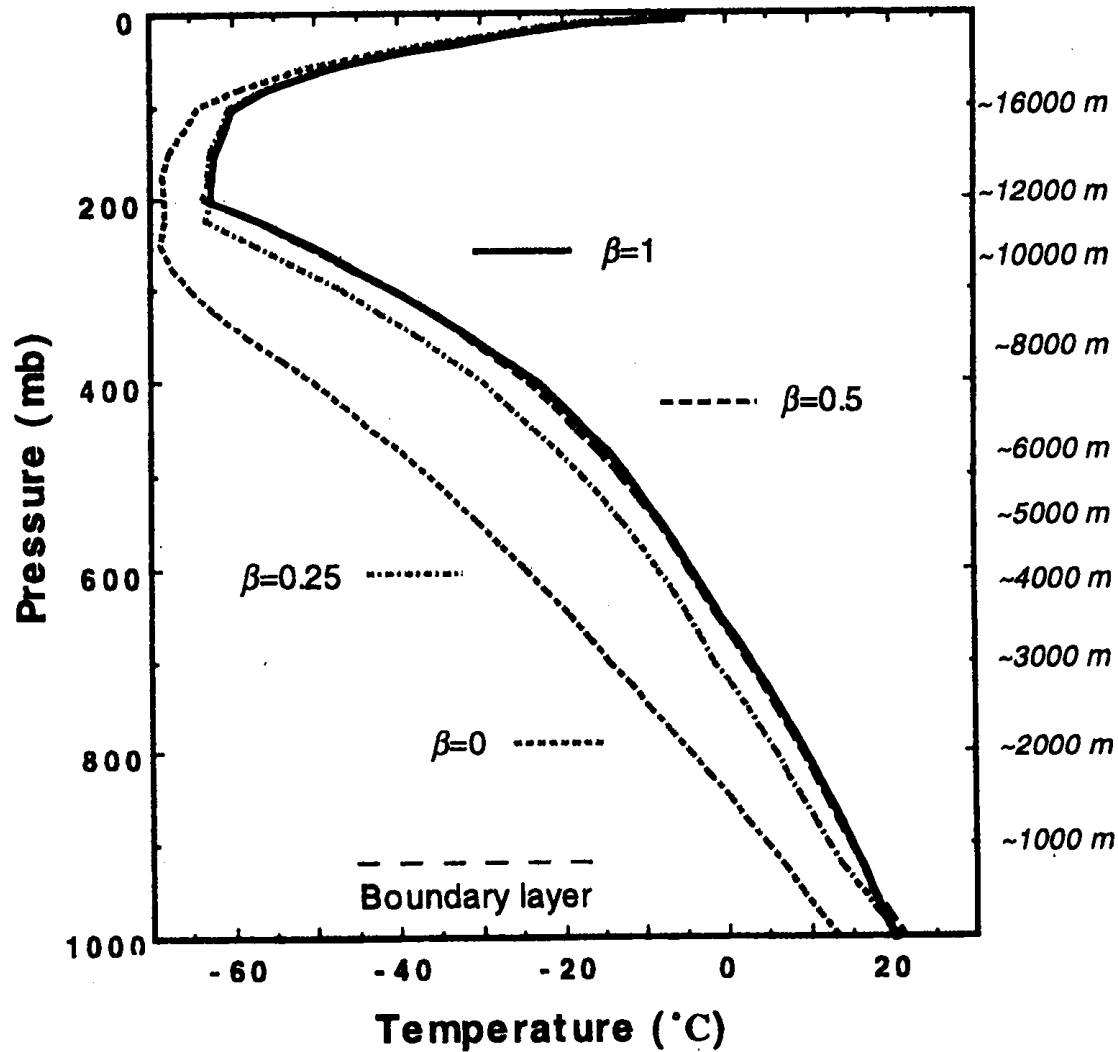


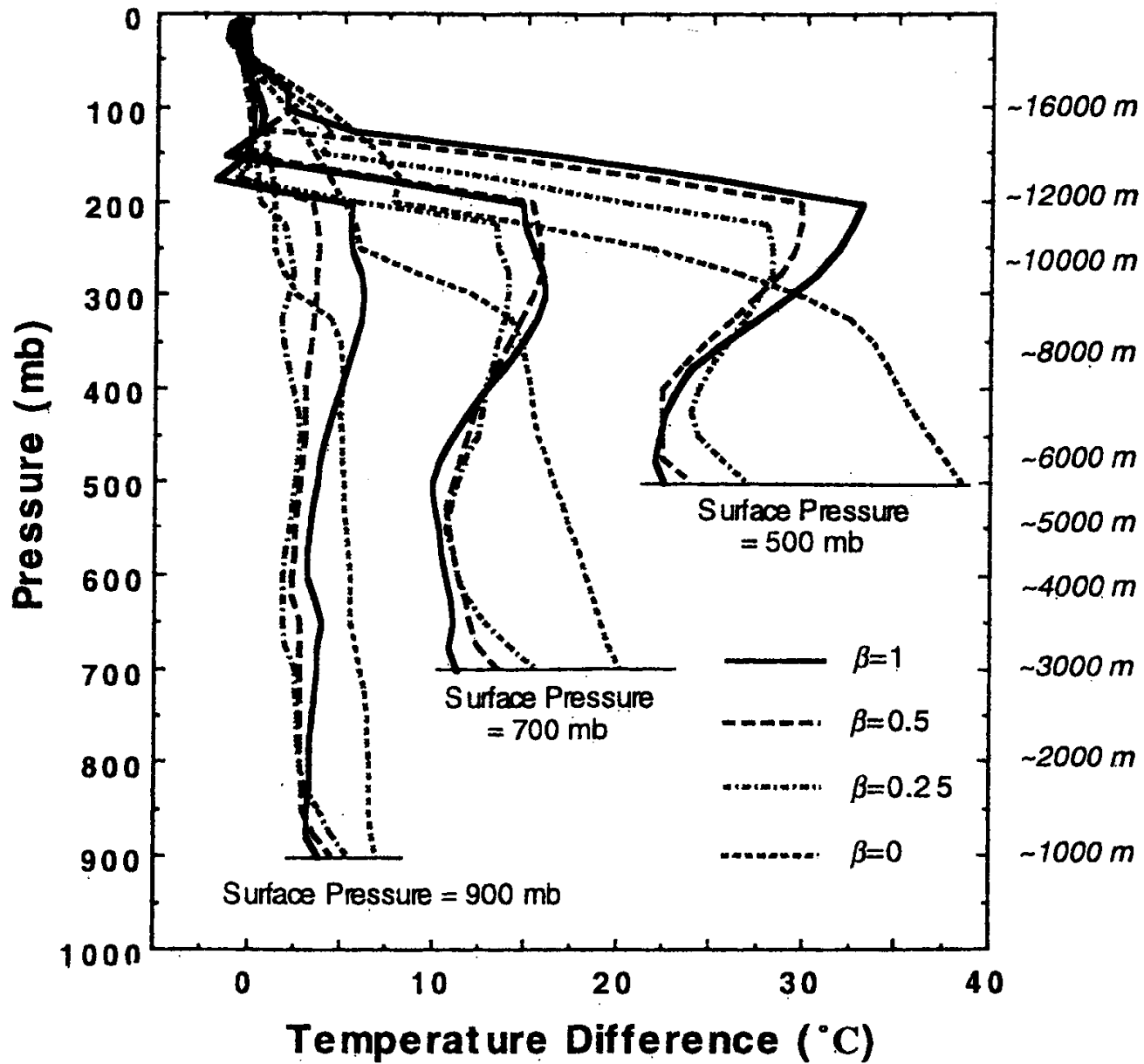
Physical Origins of the Monsoon

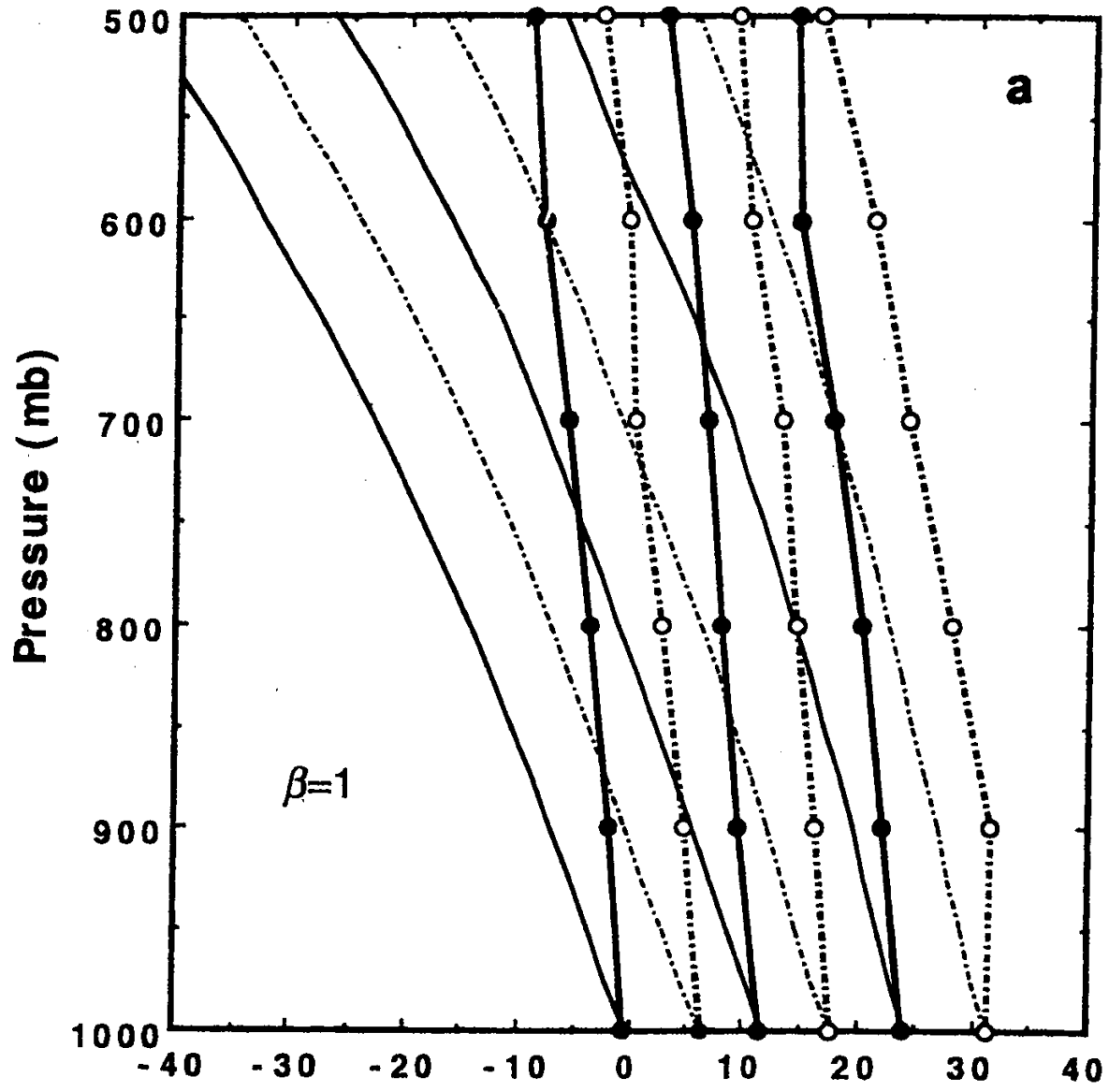


(a)

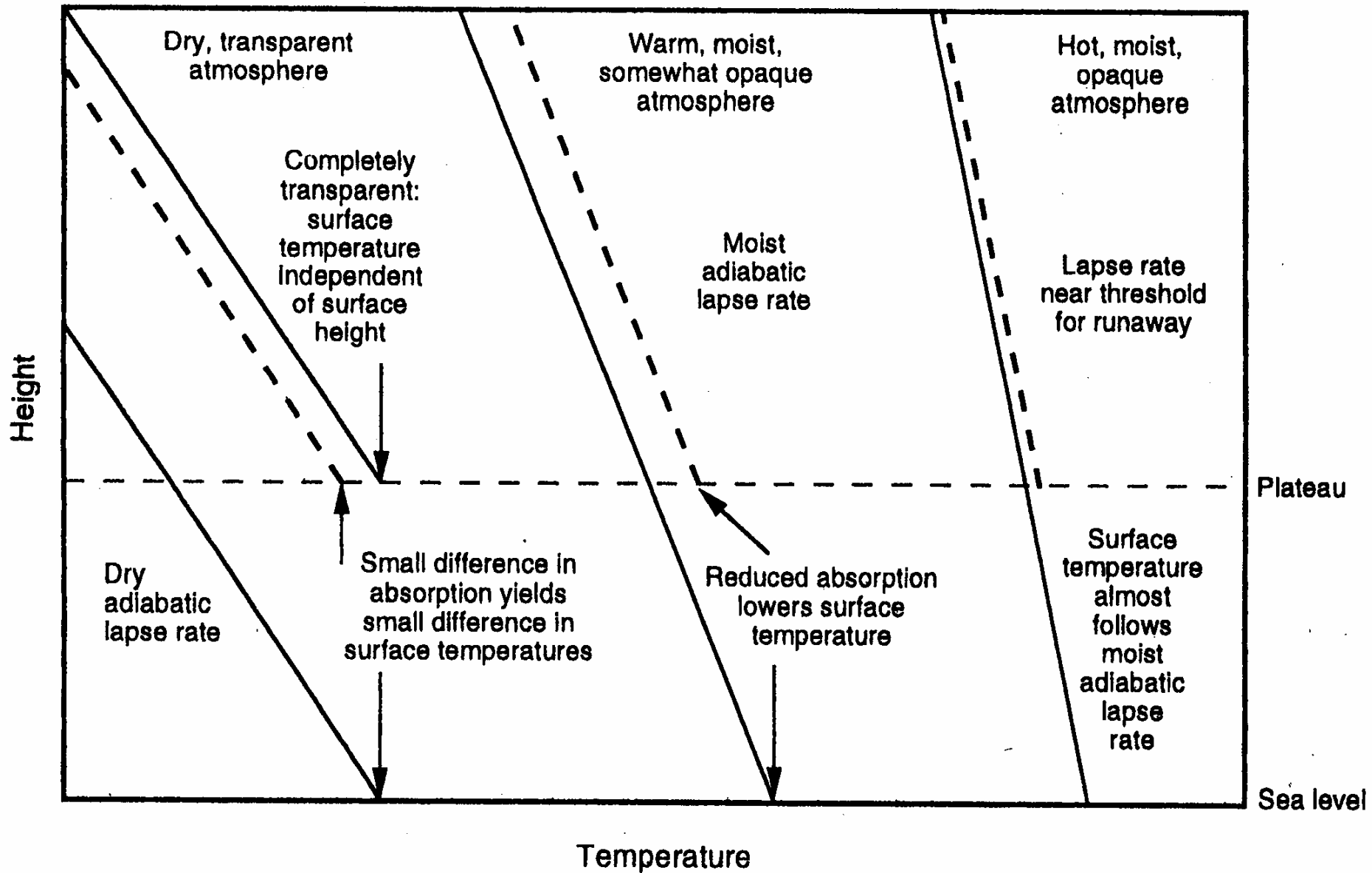
(from Molnar and Emanuel, 1999)







Temperature Profiles and Surface Temperatures (°C)



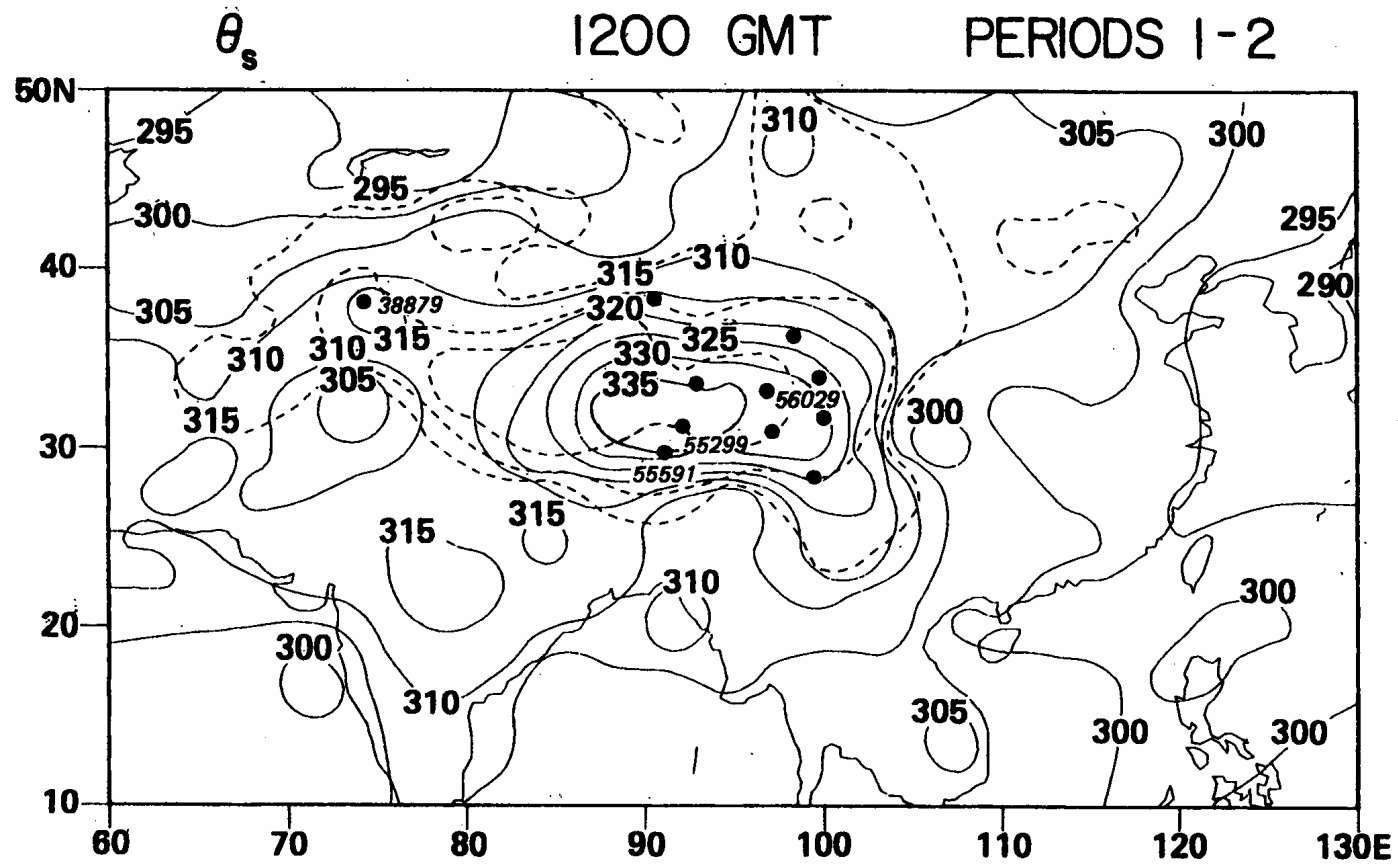
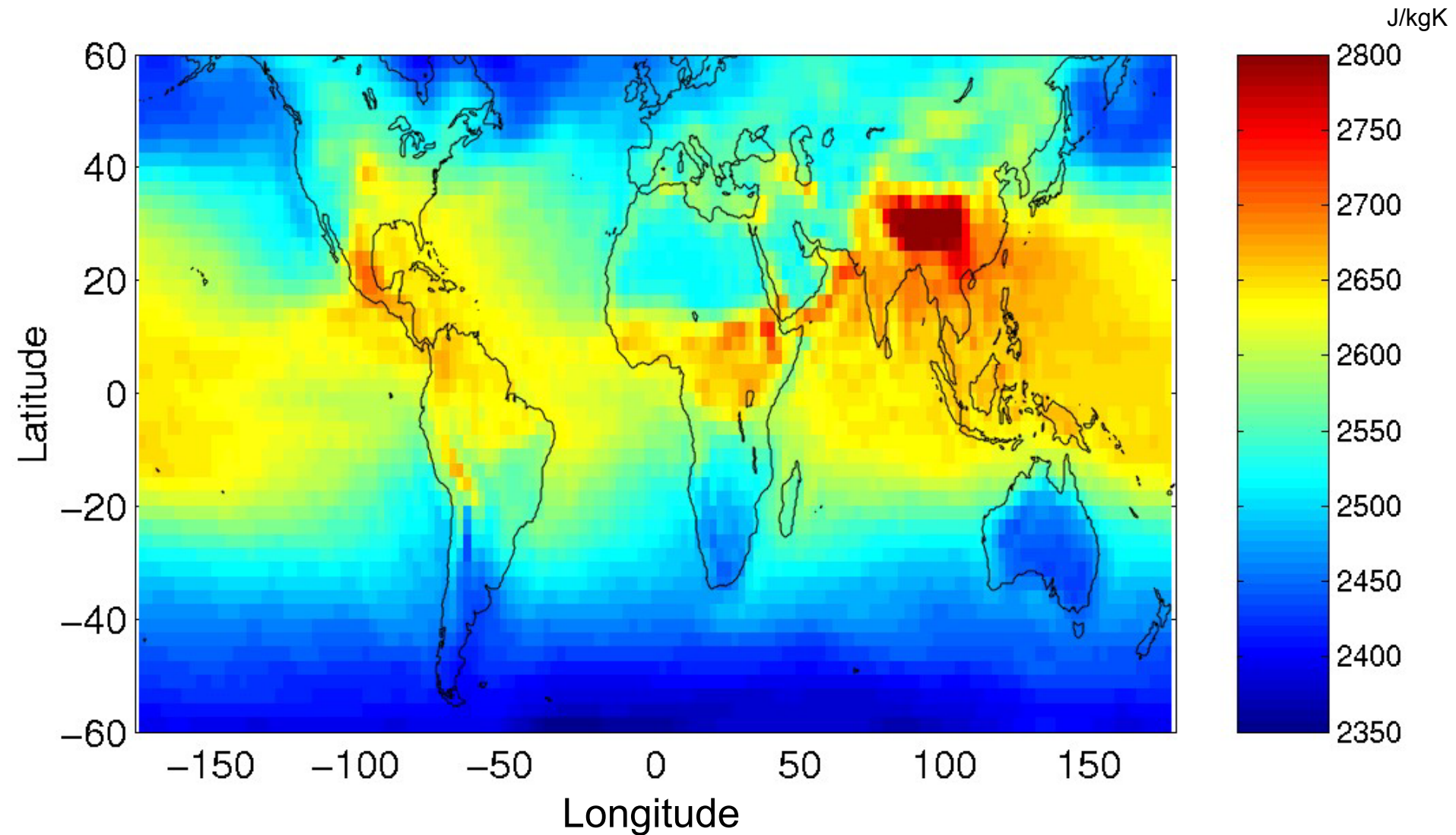
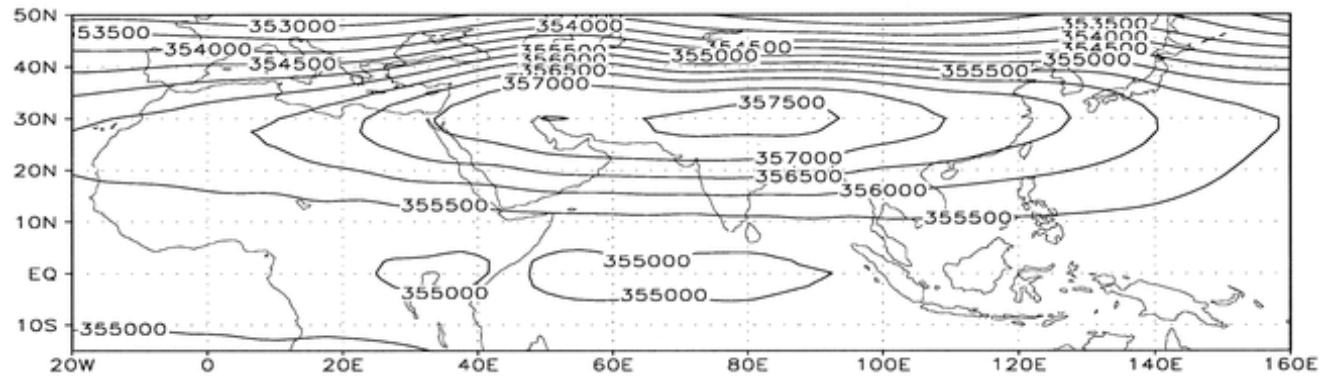
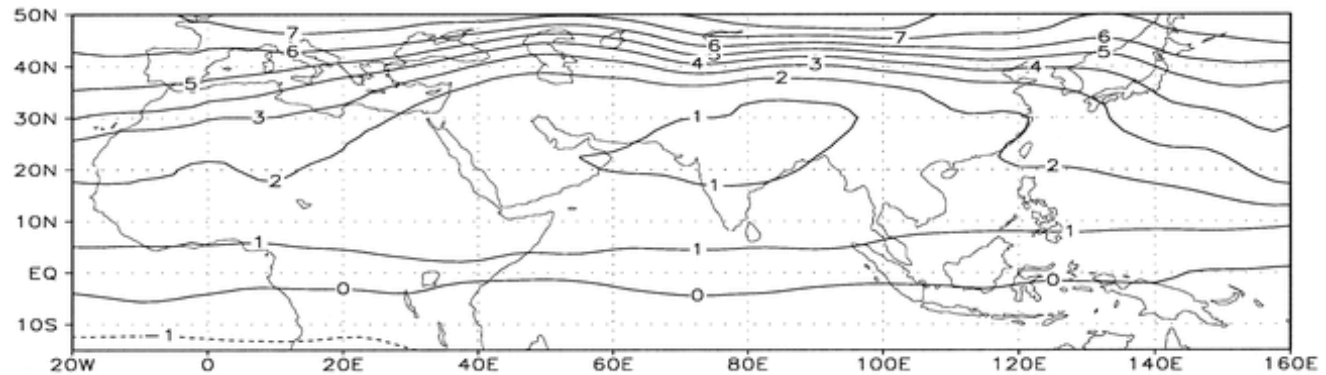


Fig. 9.14. The mean surface potential temperature θ_s at 1200 GMT during the first 10-day period. Dots represent radiosonde stations located above 3000 m. (After Luo and Yanai 1984.)

July 1 observed 1000 mb s_b



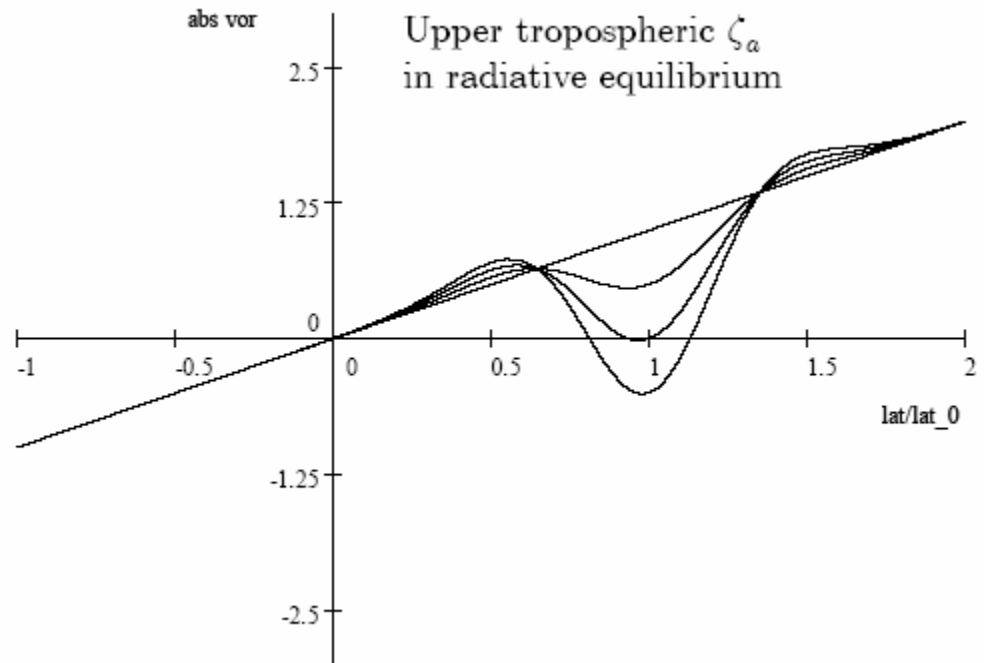
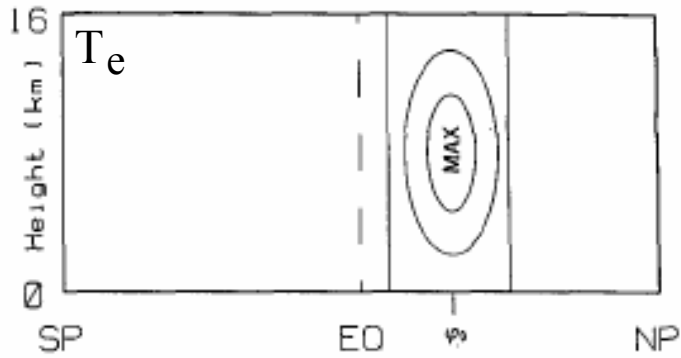
PV, M, on 370K, Jul 87-90



Two-D Simulations

Off-equatorial forcing in 2D

[Plumb & Hou, JAS, 1992]



Off-equatorial forcing

[Plumb & Hou, JAS, 1992]

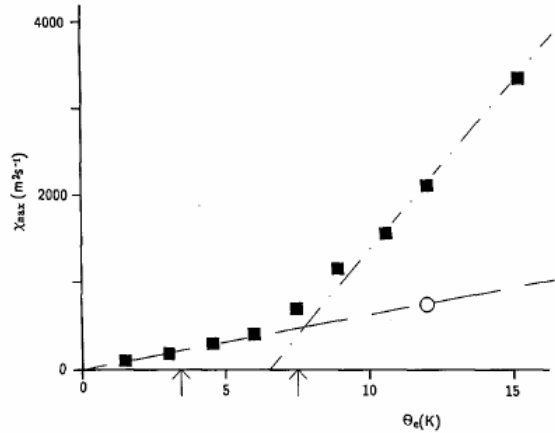
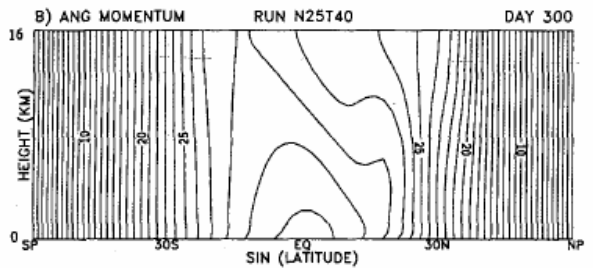
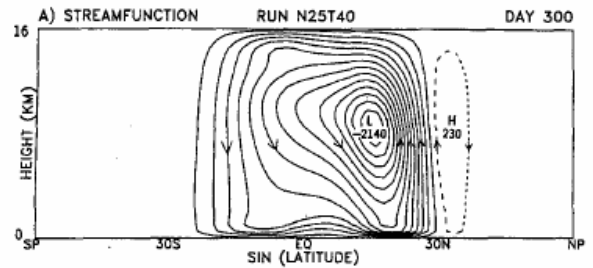
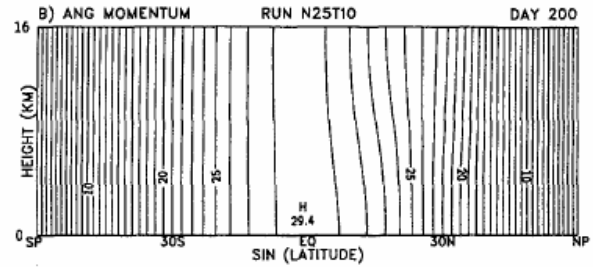
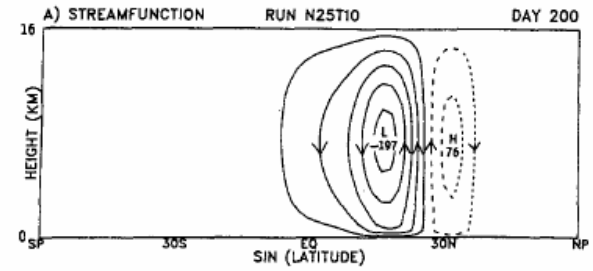
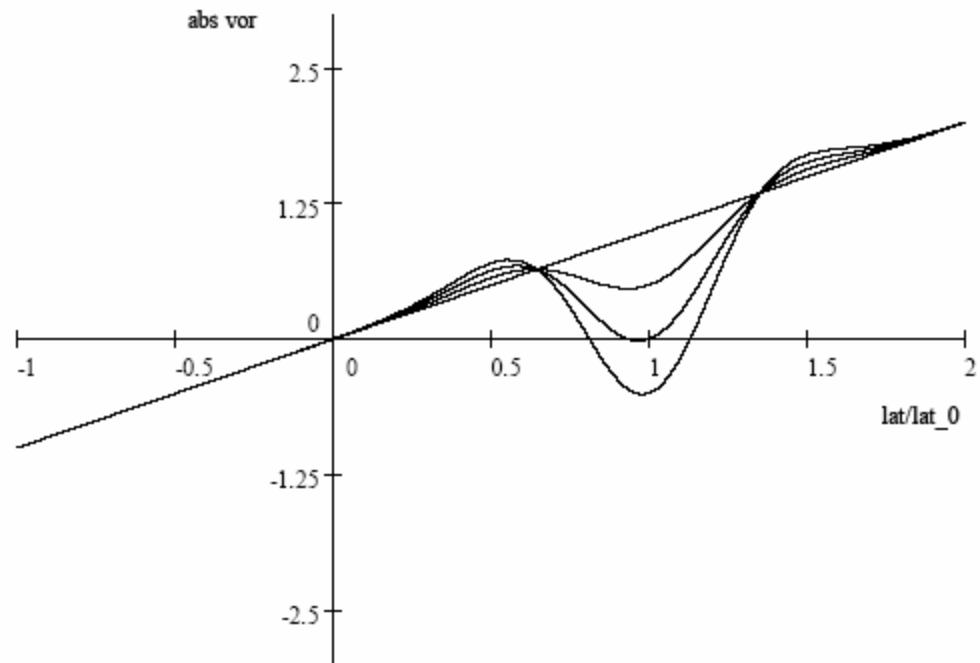


FIG. 4. Dependence of the maximum value of the steady streamfunction X on the forcing amplitude θ_e . The squares show points determined from results of the complete, nonlinear model. The circle shows a result from the linearized model, and the dashed line the linear dependence of X_{max} on θ_e . The steeper, dash-dot, line is drawn by eye and has no other significance. The two arrows show the theoretical value of θ_e at which the TE solution becomes irregular; the left arrow is for the inviscid case, the right arrow for $\nu = 2.5 \text{ m}^2 \text{ s}^{-1}$ according to the linear model results.



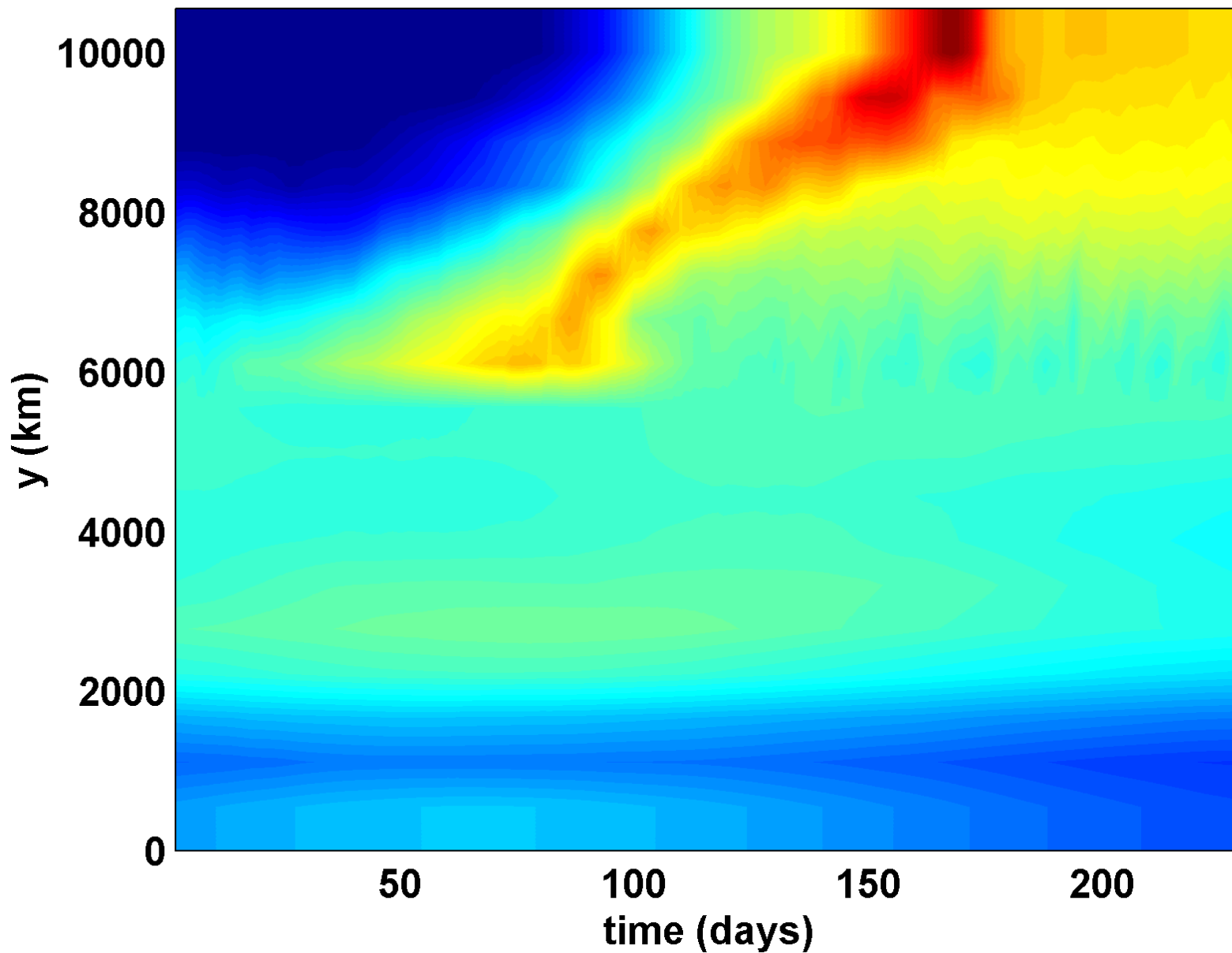
Does the $\zeta_\alpha = 0$ criterion have any relevance under 3D dynamics?



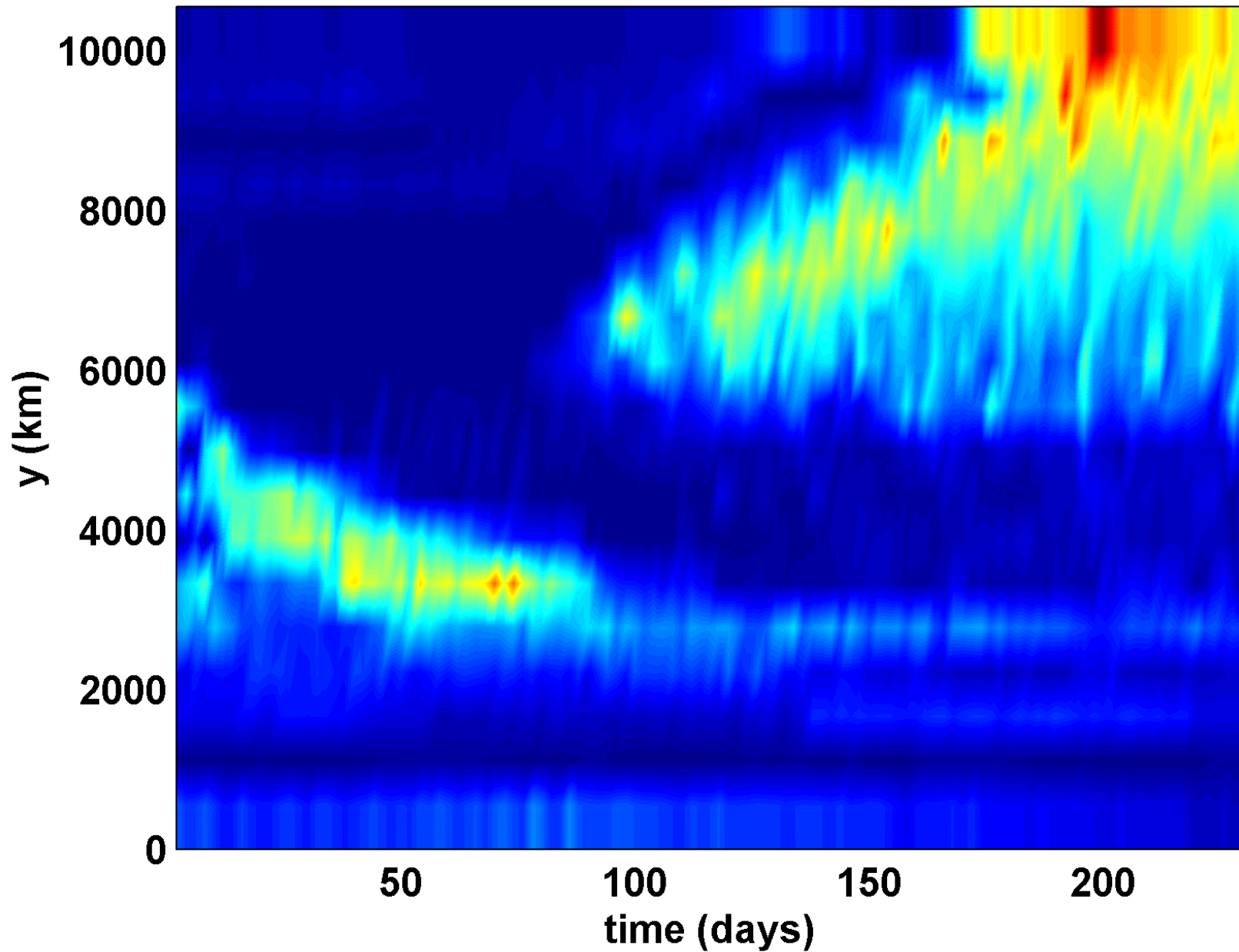
Simple PE Model

- Only 20 grid columns, N-S
- High resolution in vertical
- Convection, radiation, and cloud schemes
- Land poleward of 12 N ($y=6000$ km)
- Slab ocean
- Annual cycle of insolation

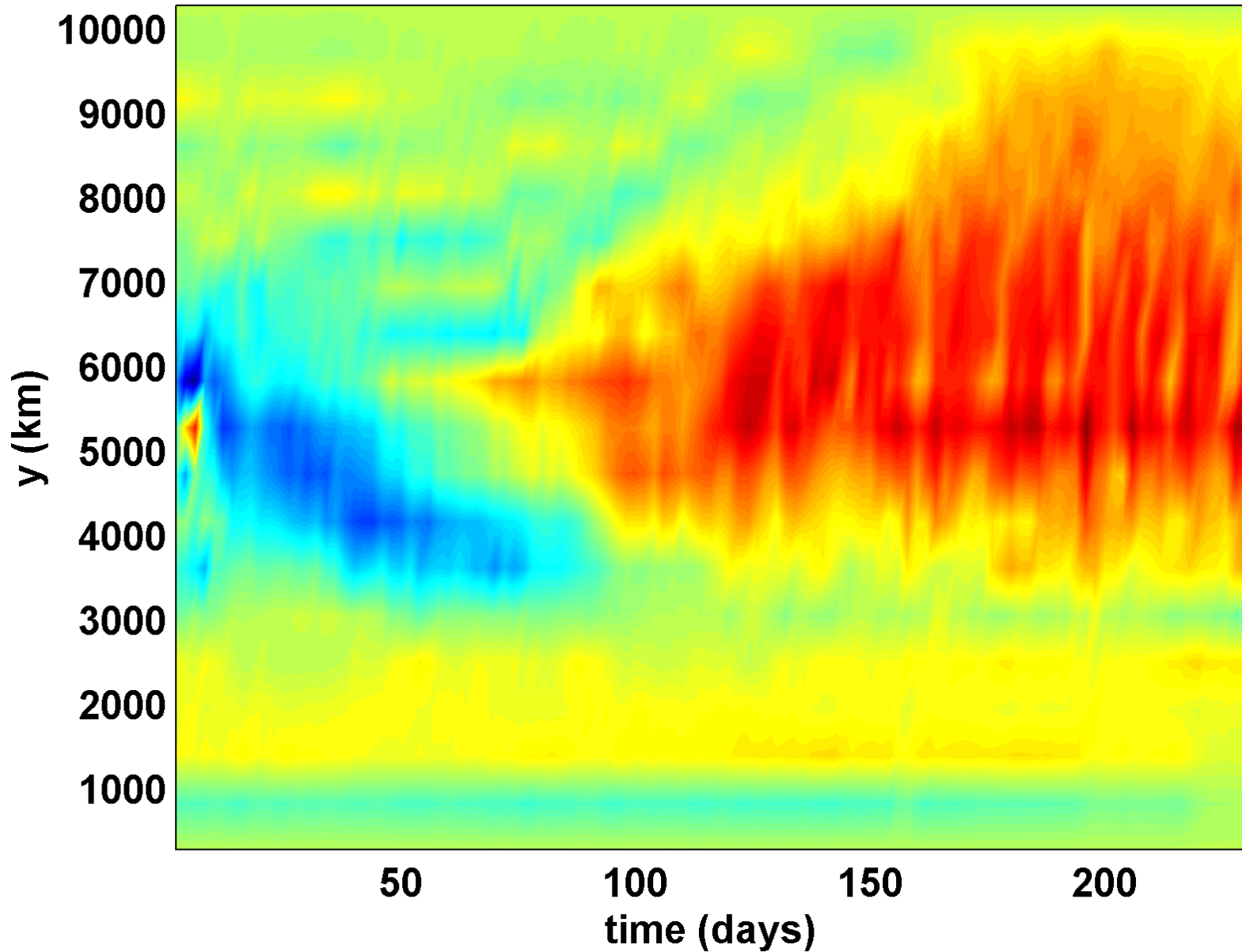
Surface temperature (C) from -3.15 to 49.8443



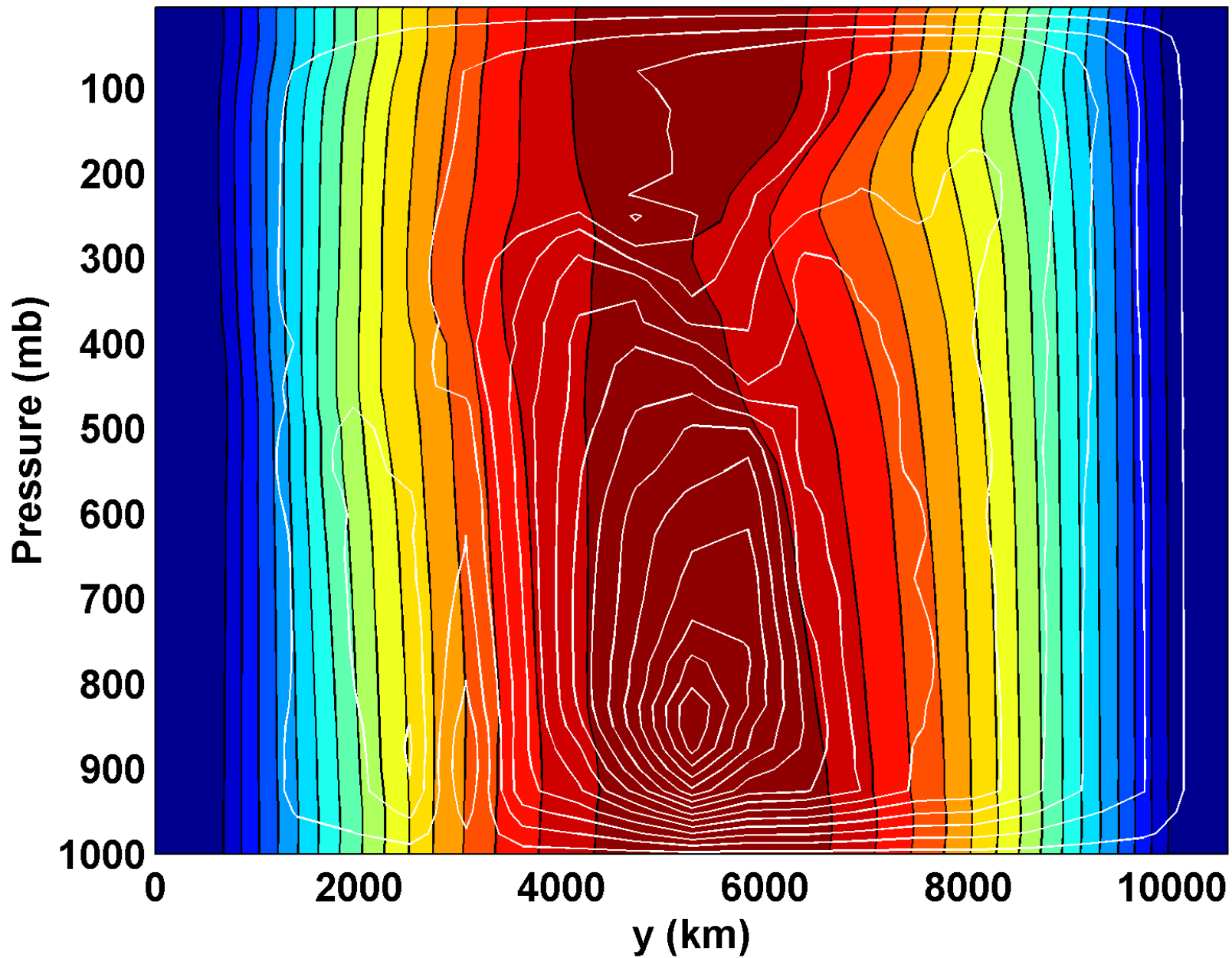
Precipitation (mm/day) from 0 to 22.362



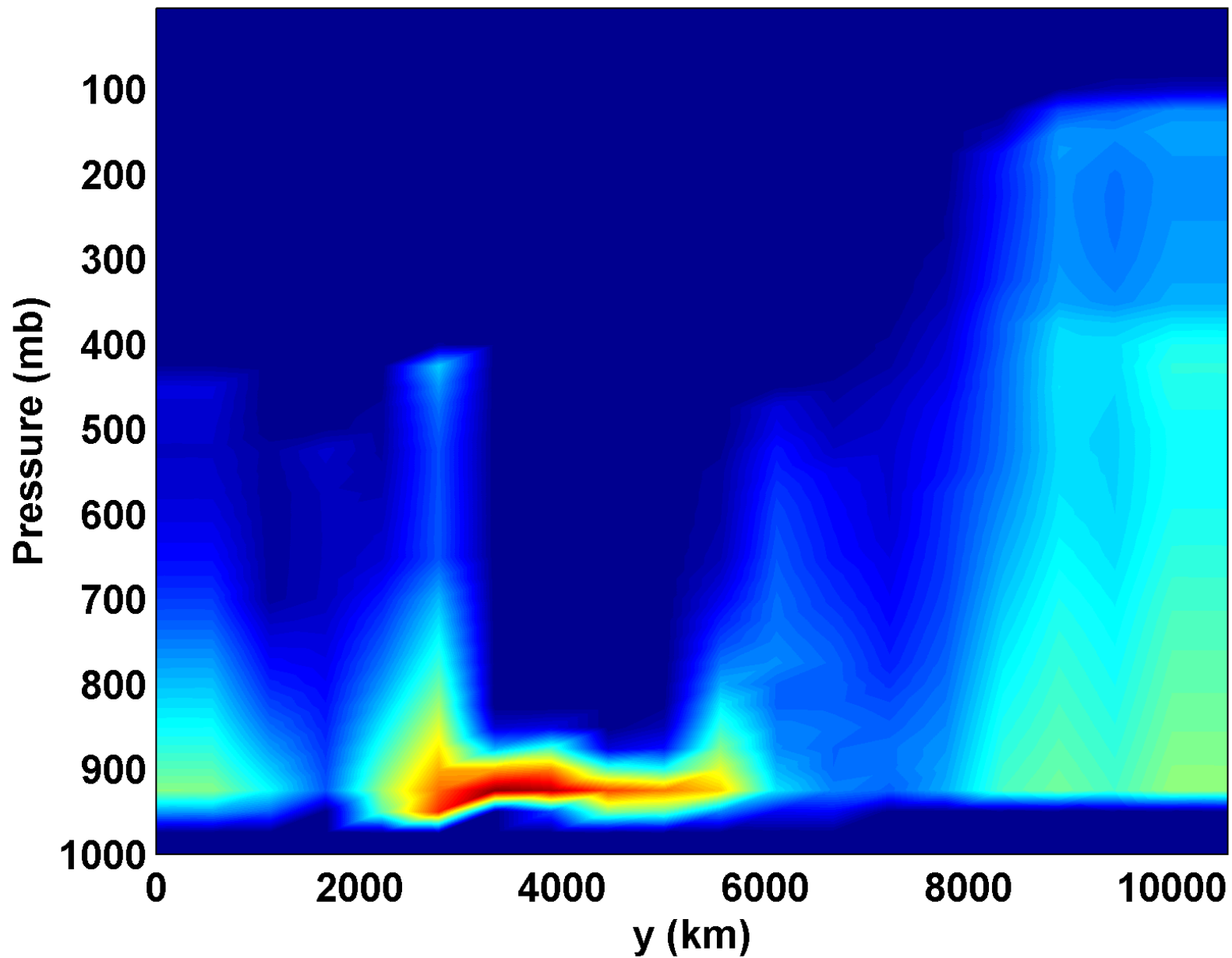
Surface v (m/s) from -15.8061 to 12.899



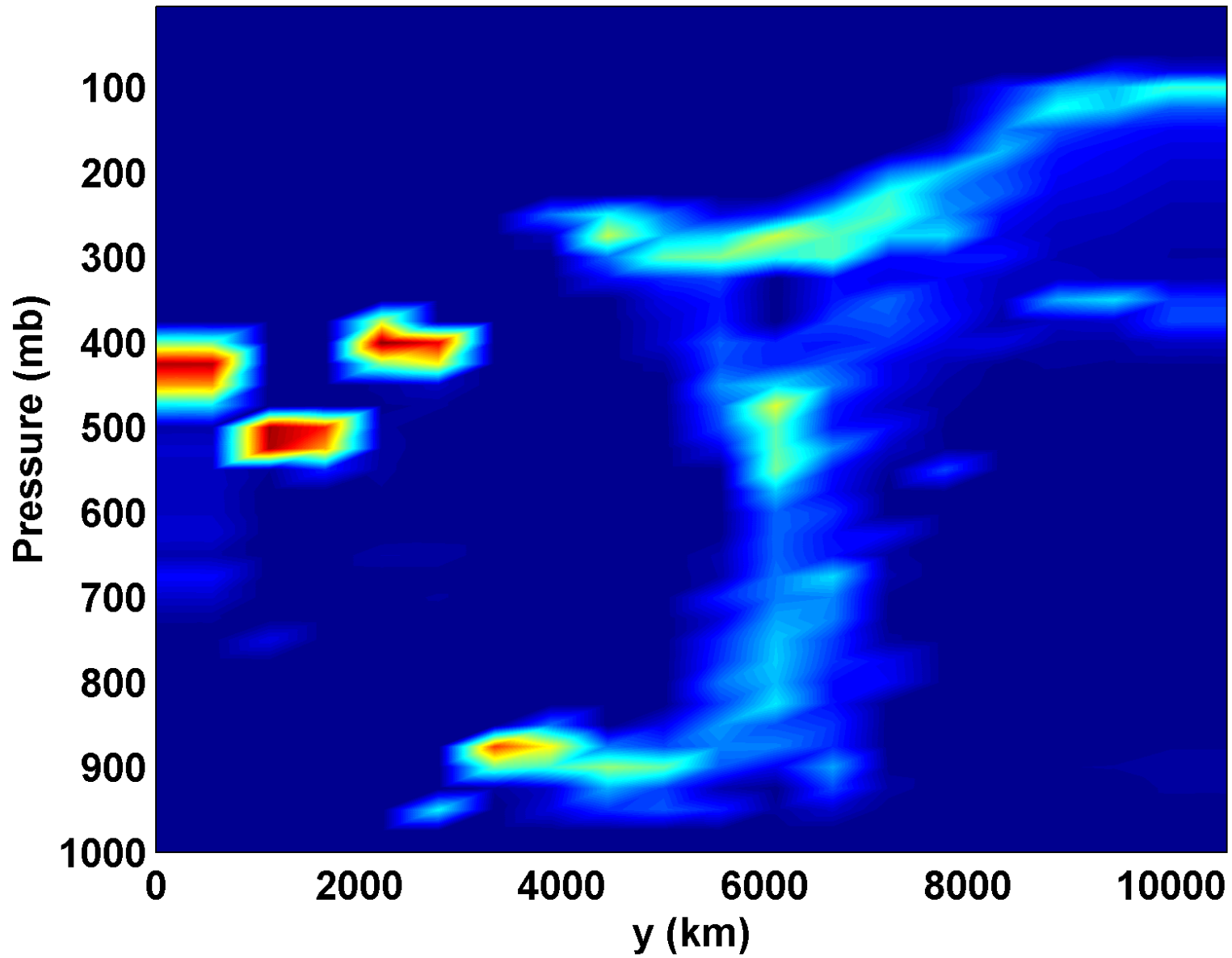
Angular Momentum and Streamfunction



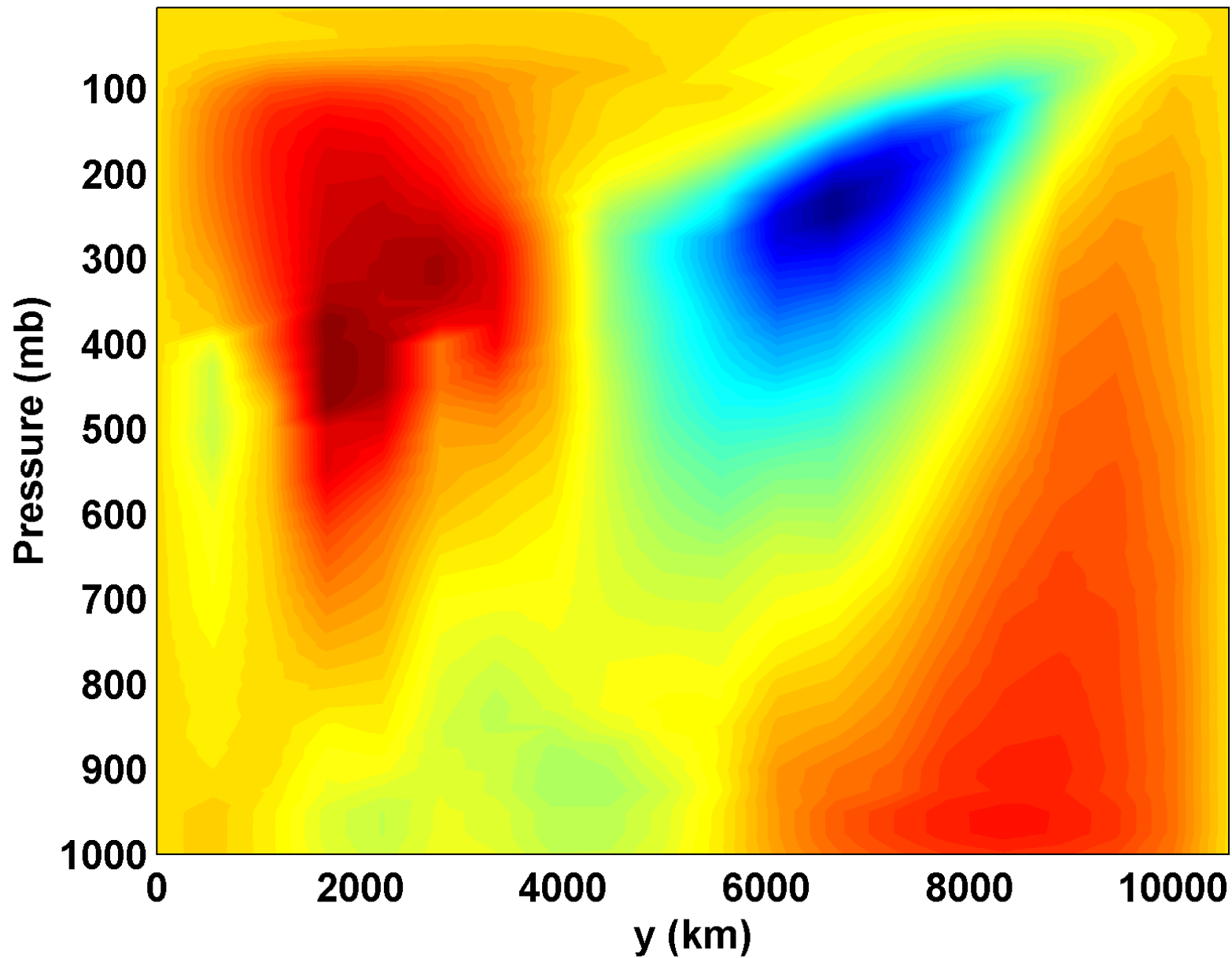
Updraft mass flux from 0 to 22.7141



Cloud fraction, from 0 to 1



u (m/s) from -45.9684 to 23.2167



Model runs (*Nikki Prive*)

MIT model 64S – 64N; 4 degree resolution

Moist model with simple lower boundary conditions

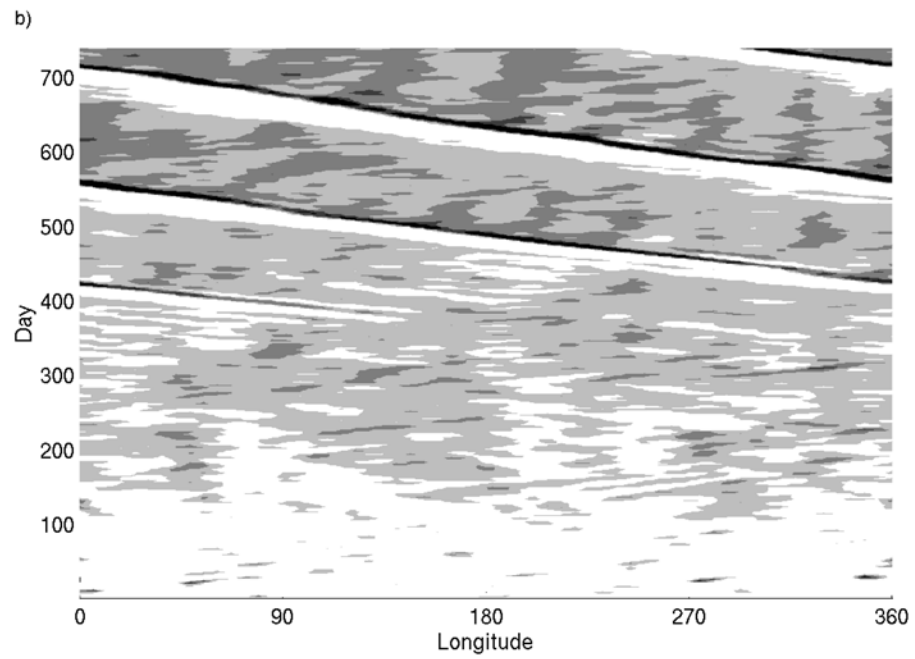
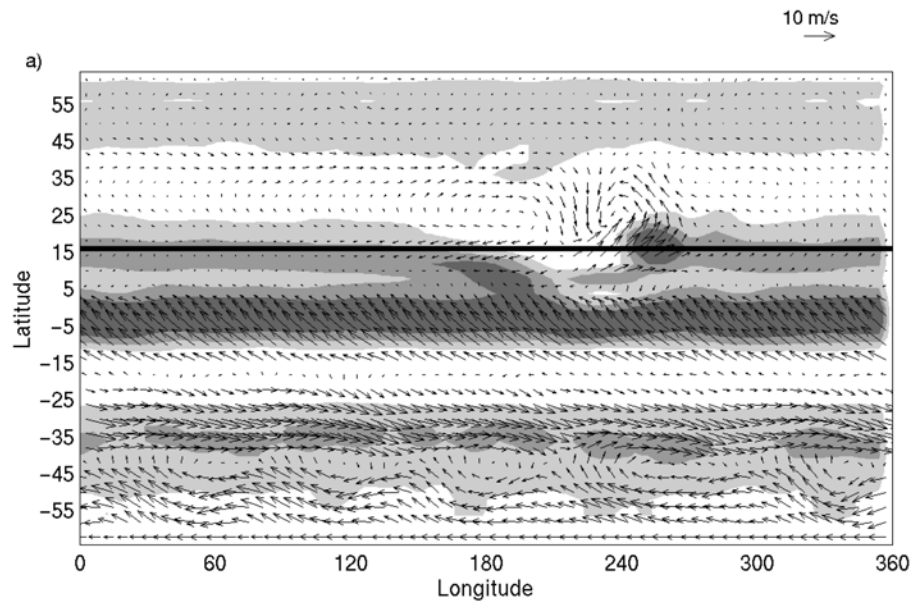
Ocean: specified SST

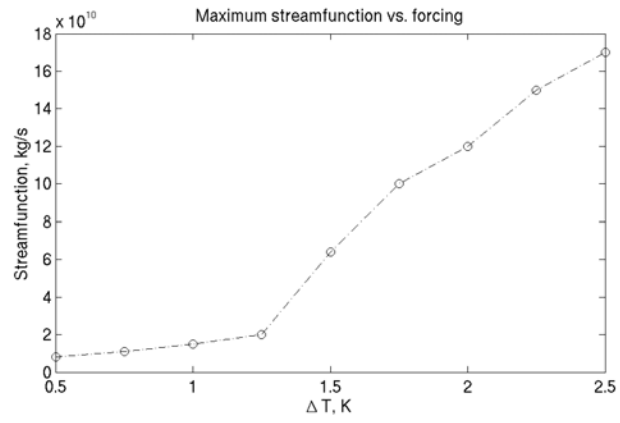
Land: specified total surface heat flux, bucket hydrology

Moist convection parameterization (Emanuel)

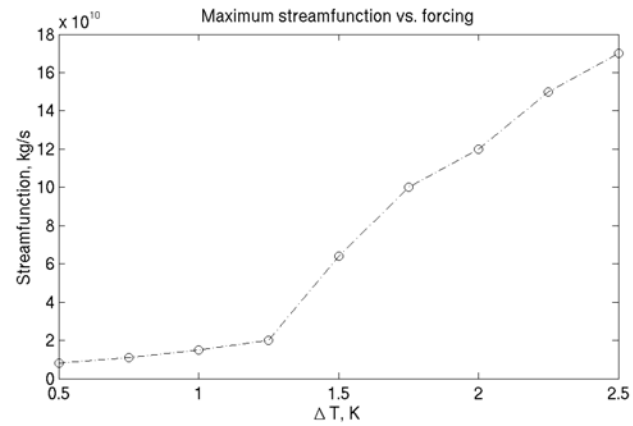
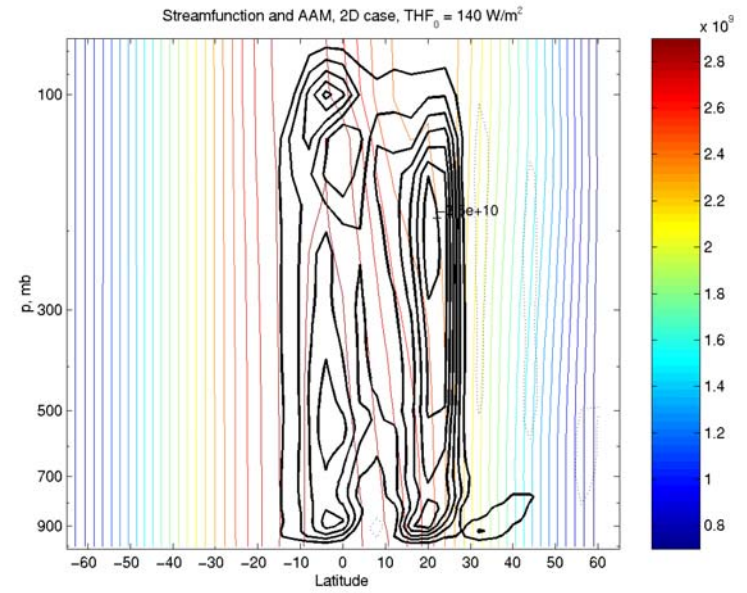
“Radiation”: Newtonian relaxation to 200K



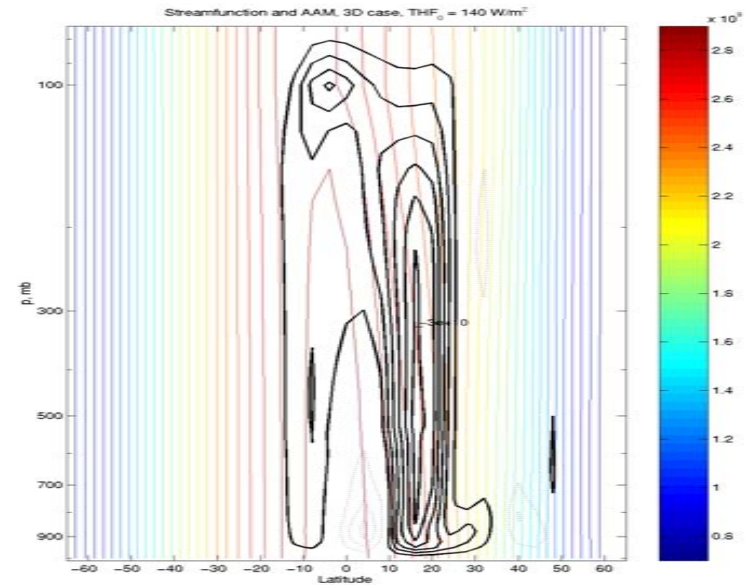




2D



3D



3) Cross-equatorial flow: does three-dimensionality matter?

Cross-equatorial flow [Pauluis, JAS, 2004]

15 MAY 2004

PAULUIS

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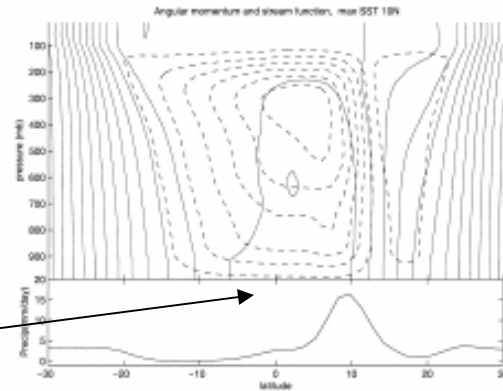


FIG. 7. Same as in Fig. 3 but for an ML depth of 100 hPa, and a maximum SST at 10°N.

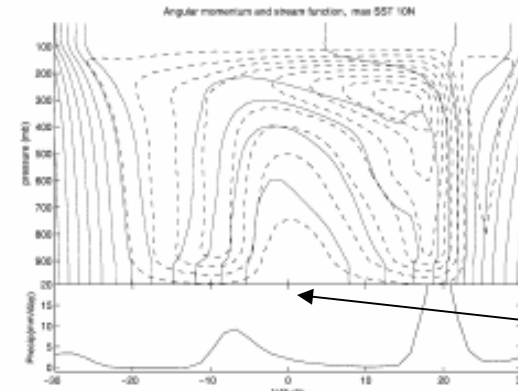


FIG. 8. Same as in Fig. 3 but for an ML depth of 100 hPa, and a maximum SST at 20°N.

Strong SST gradient
across equator

Weak SST gradient
across equator

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VOLUME 61

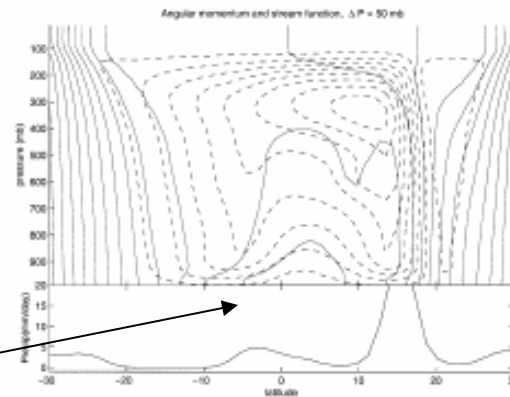


FIG. 3. (top) Angular momentum (solid line) and streamfunction (dashed line) for an ML depth of 50 hPa. Contour interval is 2% of the angular momentum of the solid-body rotation at the equator and $4 \times 10^{11} \text{ kg s}^{-1}$ for the streamfunction. (bottom) Precipitation (mm day^{-1}). Only the regions between 30°S and 30°N are shown.

Shallow
boundary
layer

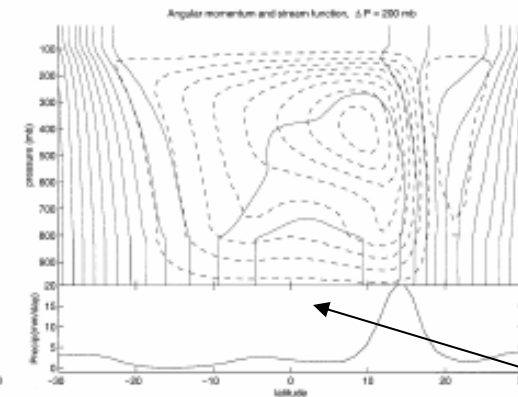
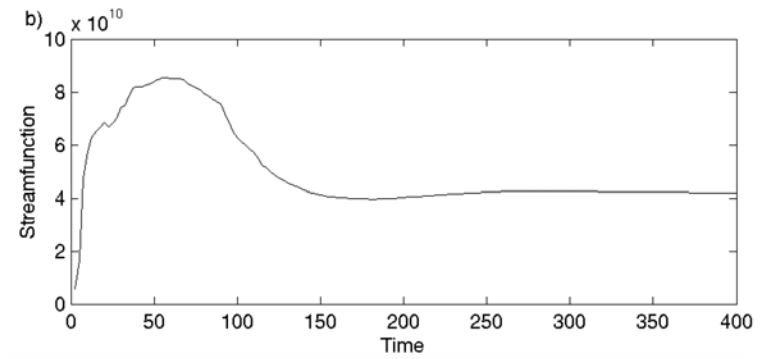
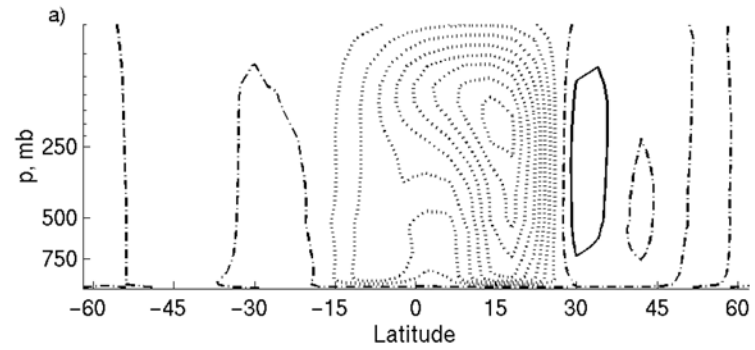


FIG. 5. Same as in Fig. 3 but for an ML depth of 200 hPa.

Deep
boundary
layer

3D



2D

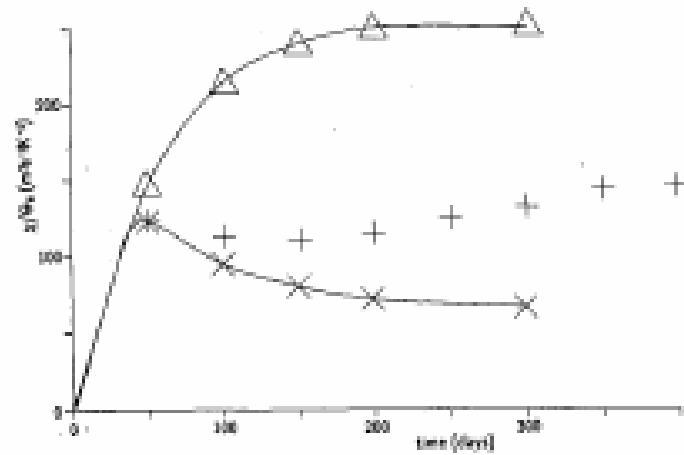
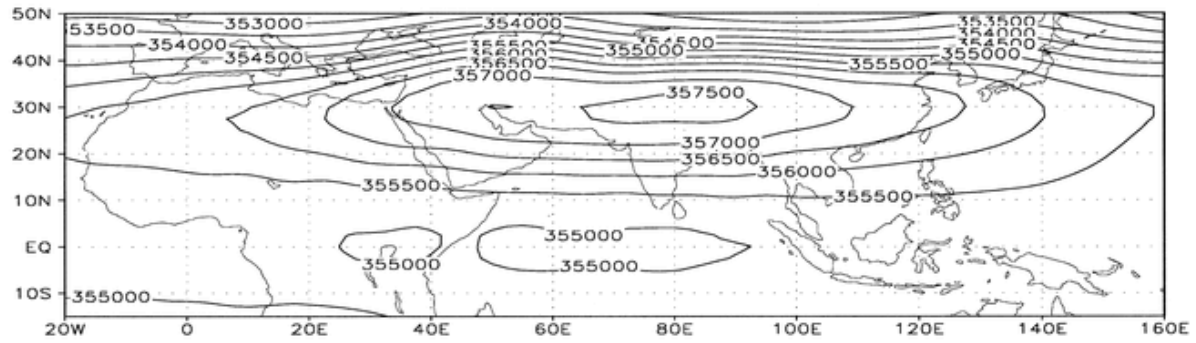
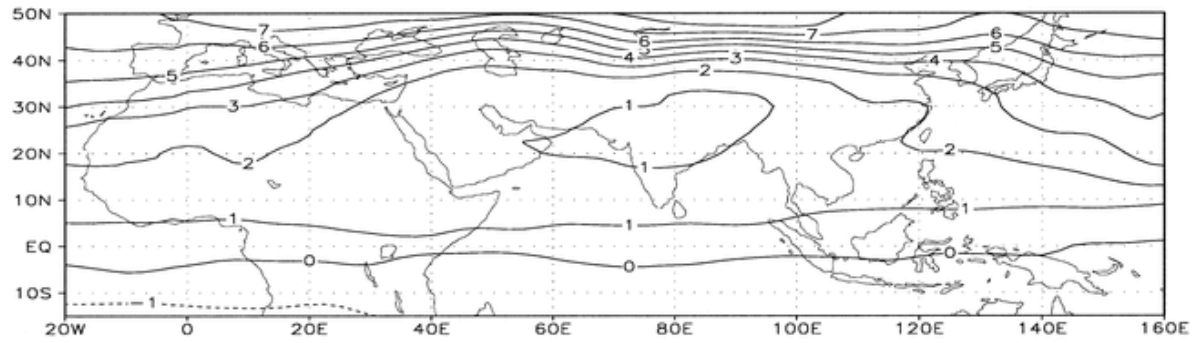
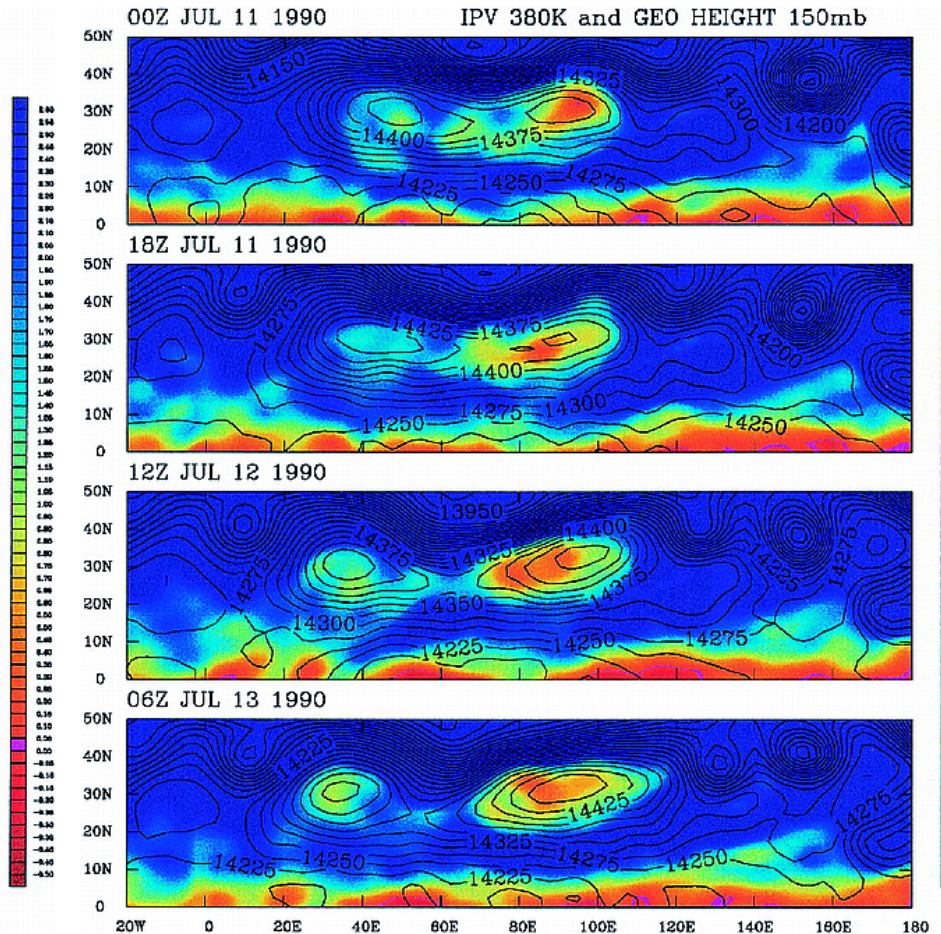
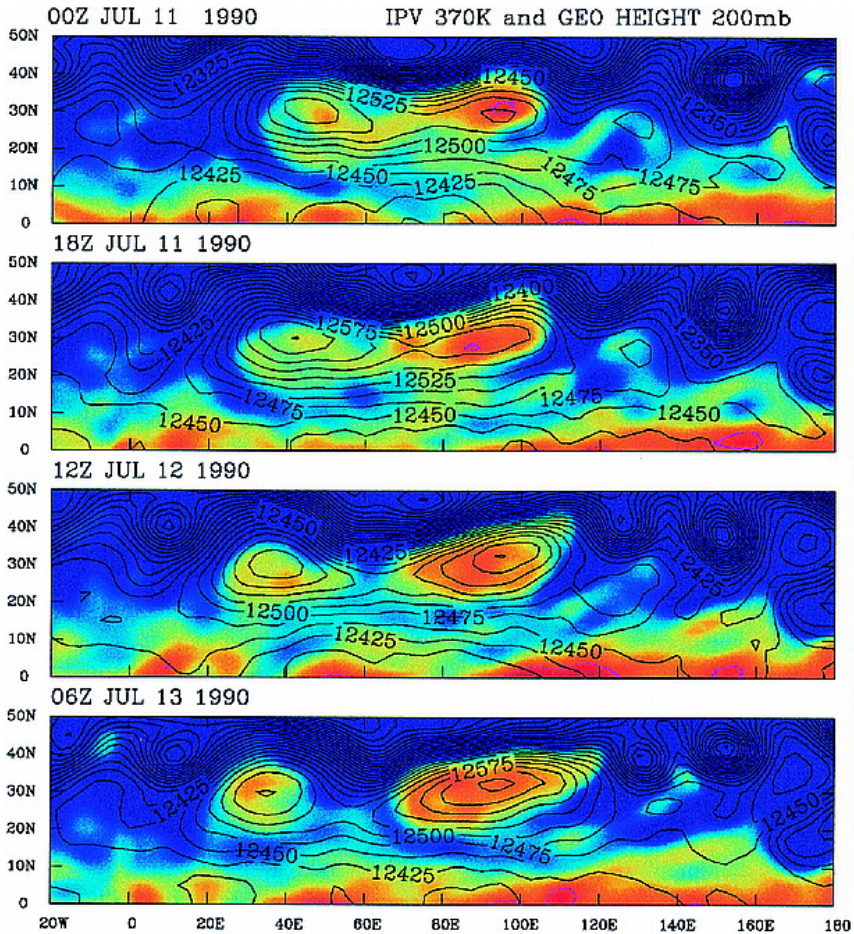


FIG. 6. Development of the circulation with time. Plot shows the streamfunction, ψ_{max} , scaled by θ_e , as a function of time. Cases (values of θ_e) are: (\times) 3.0 K, ($+$) 7.5 K, (Δ) 12.1 K.



Upper tropospheric PV on $\theta = 370/380\text{K}$ and Z on 200/150hPa

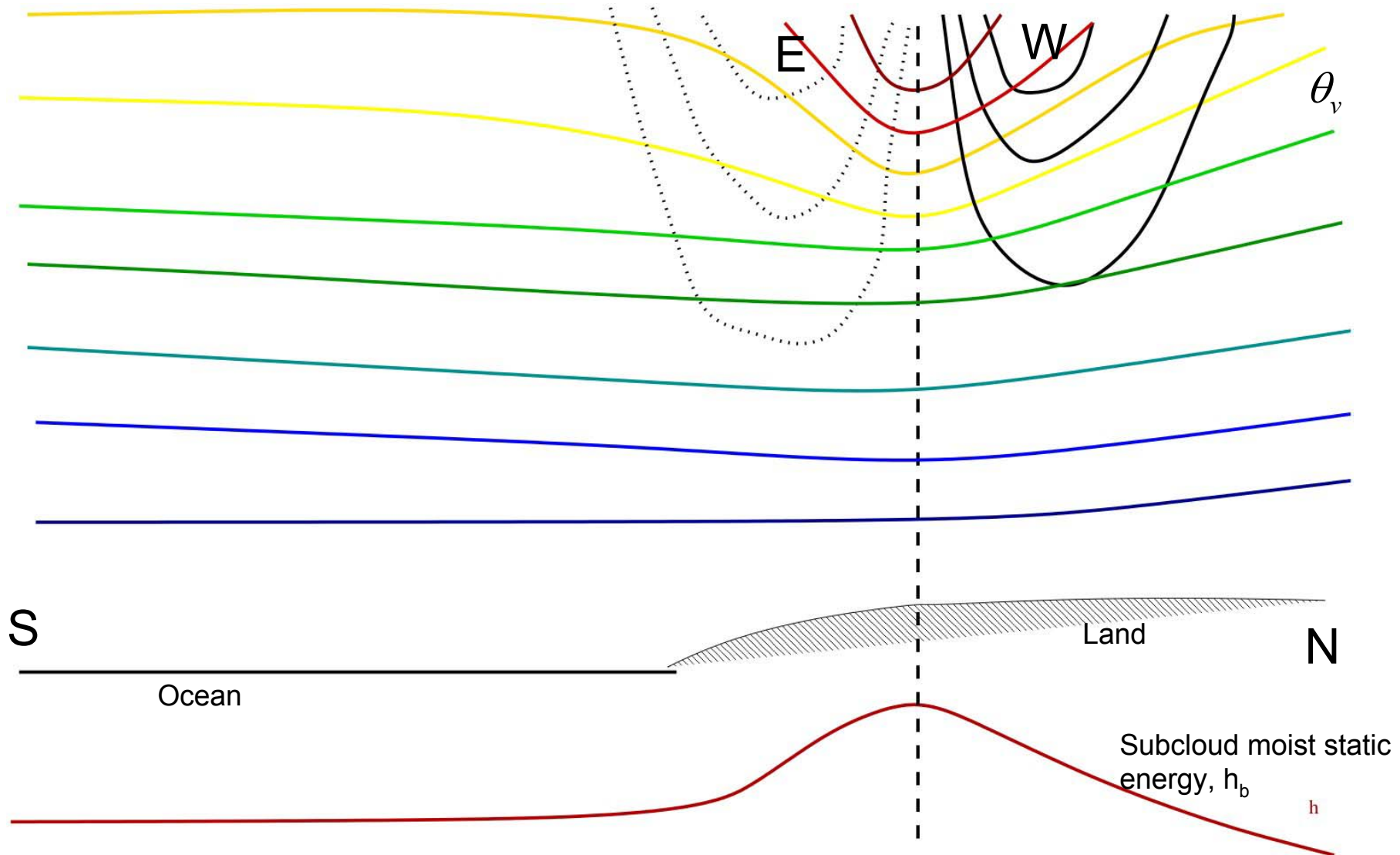
[Hsu & Plumb 1999]



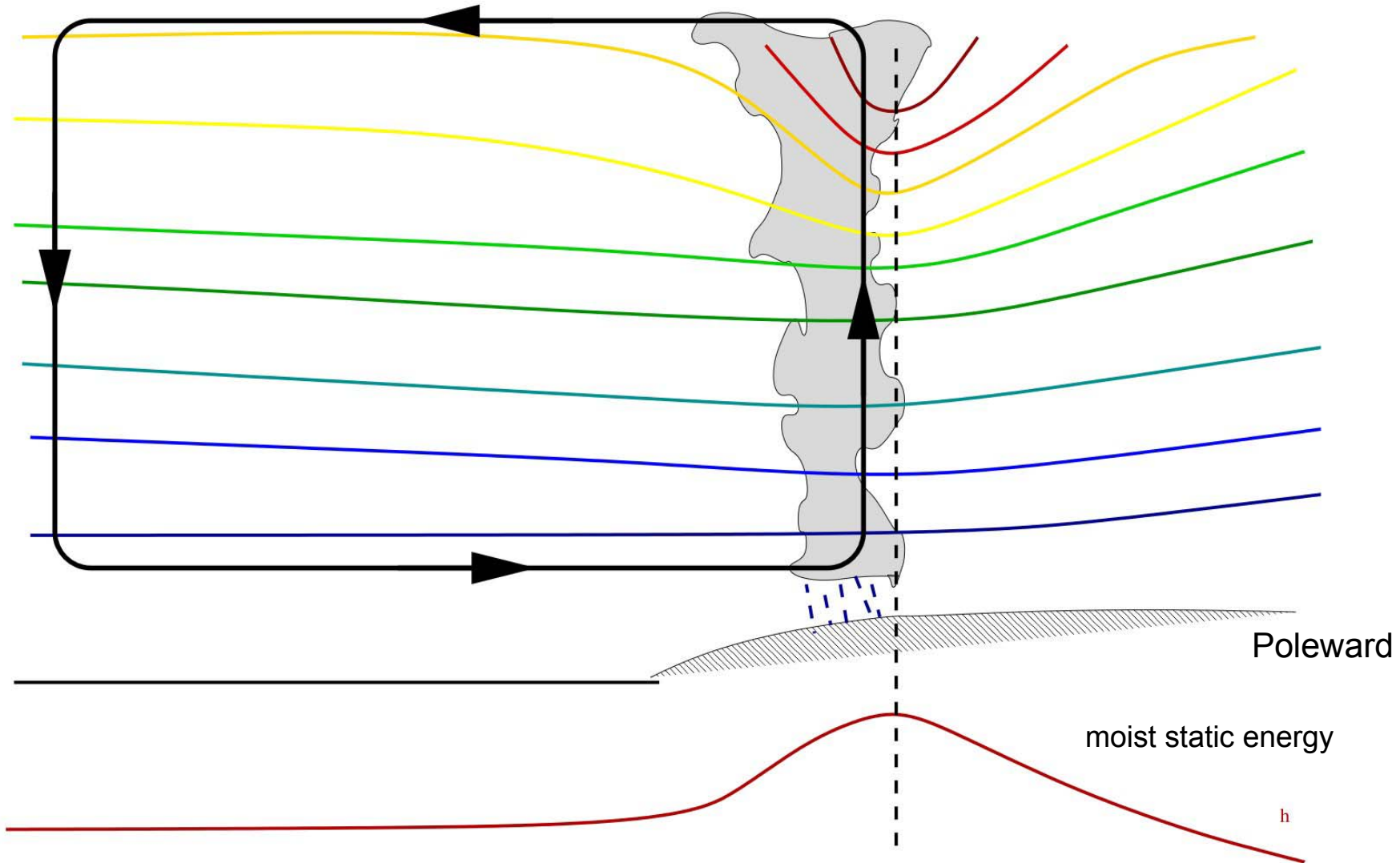
Theories of Monsoon Location

- Plumb and Hou (1992), Emanuel (1995), Zheng (1998)
 - Explained axisymmetric circulation induced by local subtropical forcing
- Rodwell and Hoskins (1995)
 - Rossby waves induce subsidence to the west of the monsoon, creating east-west asymmetry
- Xie and Saiki (1999)
 - Hydrological feedbacks limit inland progression of the monsoon
- Chou, Neelin, and Su (2001)
 - Advection of low moist static energy air, hydrological feedbacks, and Rodwell-Hoskins effect all limit poleward extent of the monsoon

Impact of local h_b maximum over land



Resulting meridional circulation and precipitation



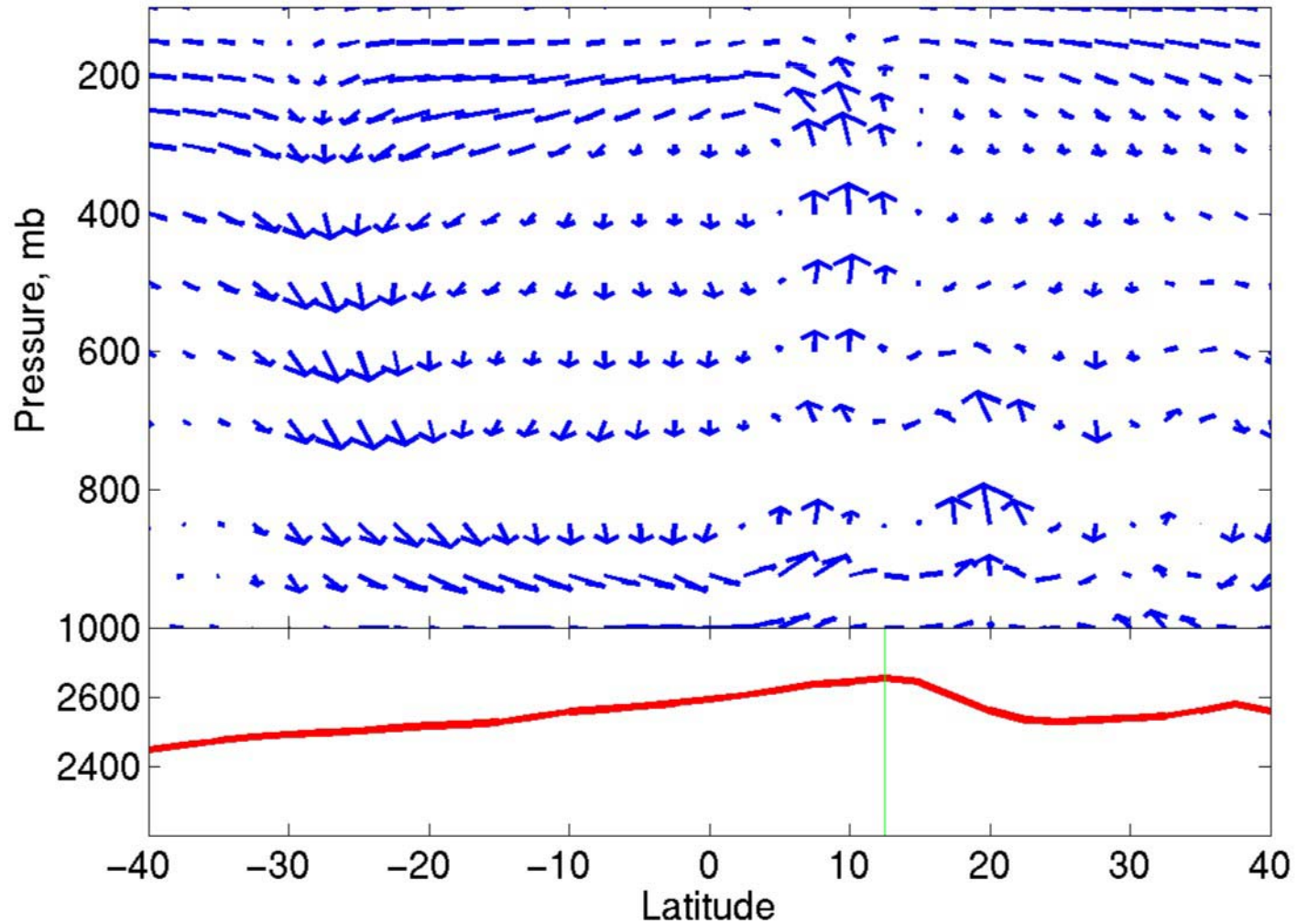
Factors that affect s_b

- Surface heat fluxes
- Evaporation of precipitation in convective downdrafts
- Radiative cooling
- Entrainment at the top of the subcloud layer
- Advection by large-scale flow

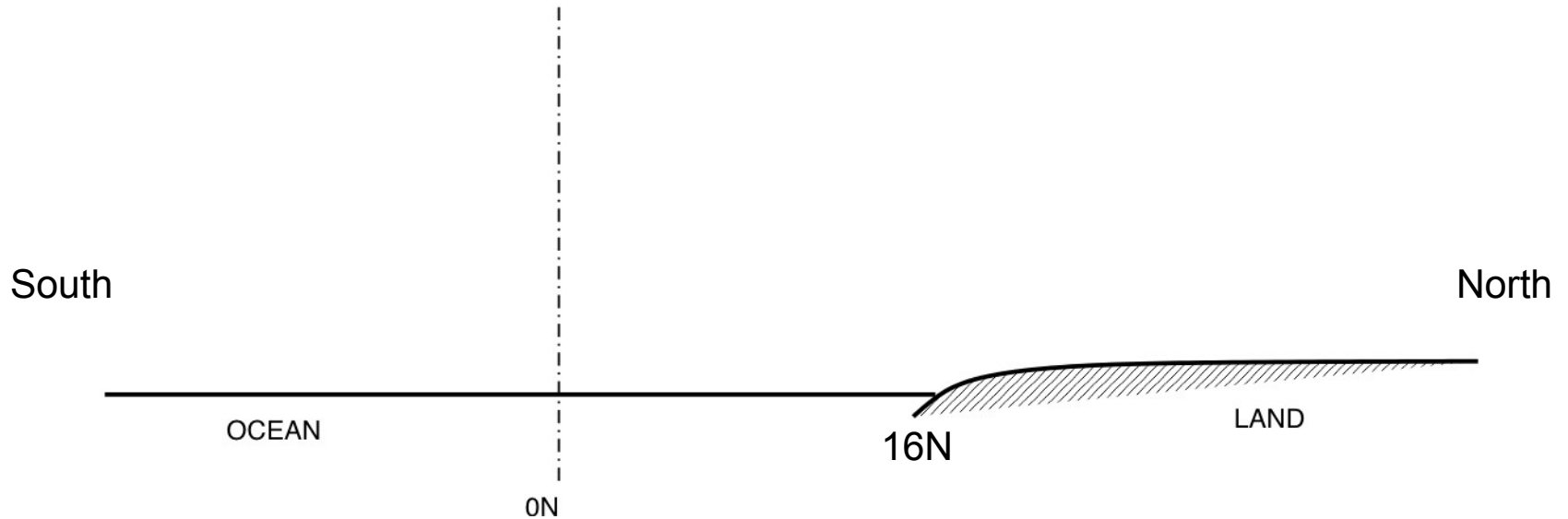
Circulation may have a strong impact on the subcloud s_b distribution through these feedbacks.

Observed circulation and subcloud s_h

NCEP Circulation and s_b for August 1, mean 10W–10E



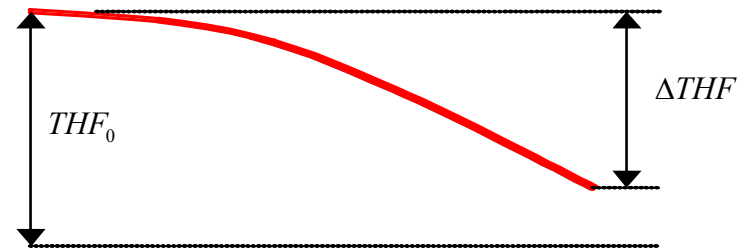
Model Setup



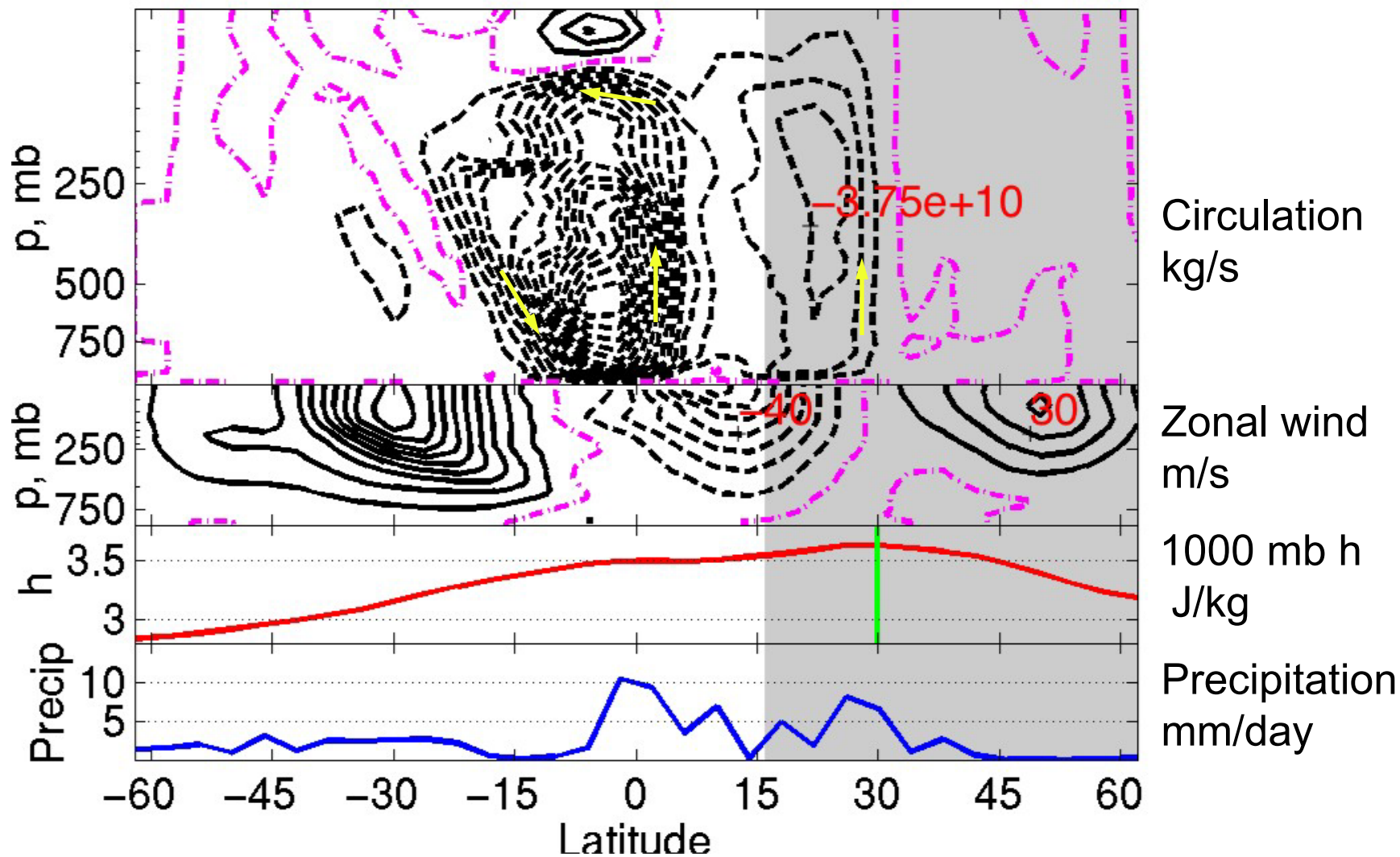
Over land, the surface forcing is determined by

$$THF(\phi) = LHF(T_S) + SHF(T_S)$$

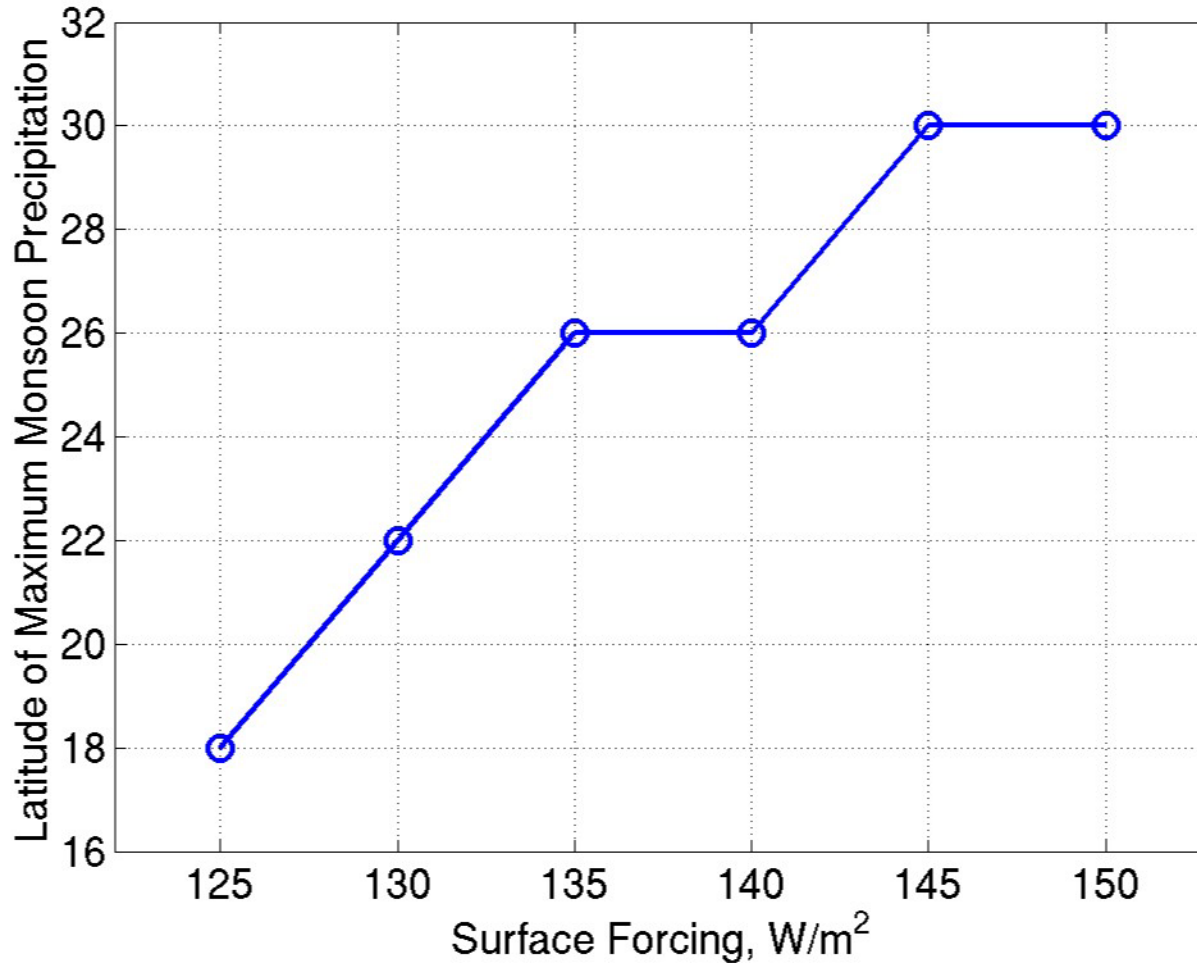
$$THF(\phi) = THF_0 - \Delta THF \sin^2(\phi - \phi_0)$$



2D Monsoon

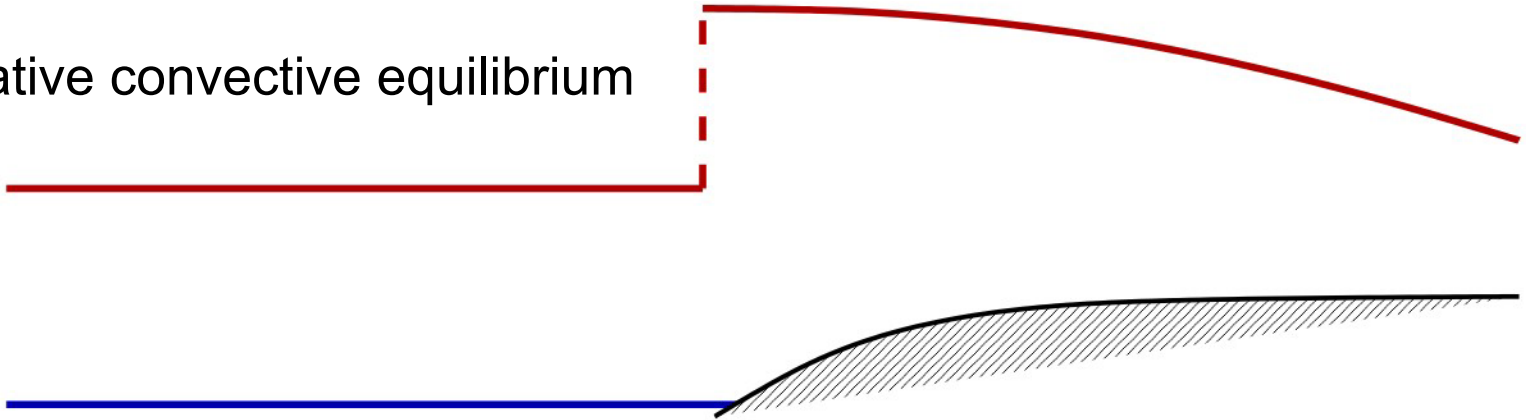


Monsoon Latitude

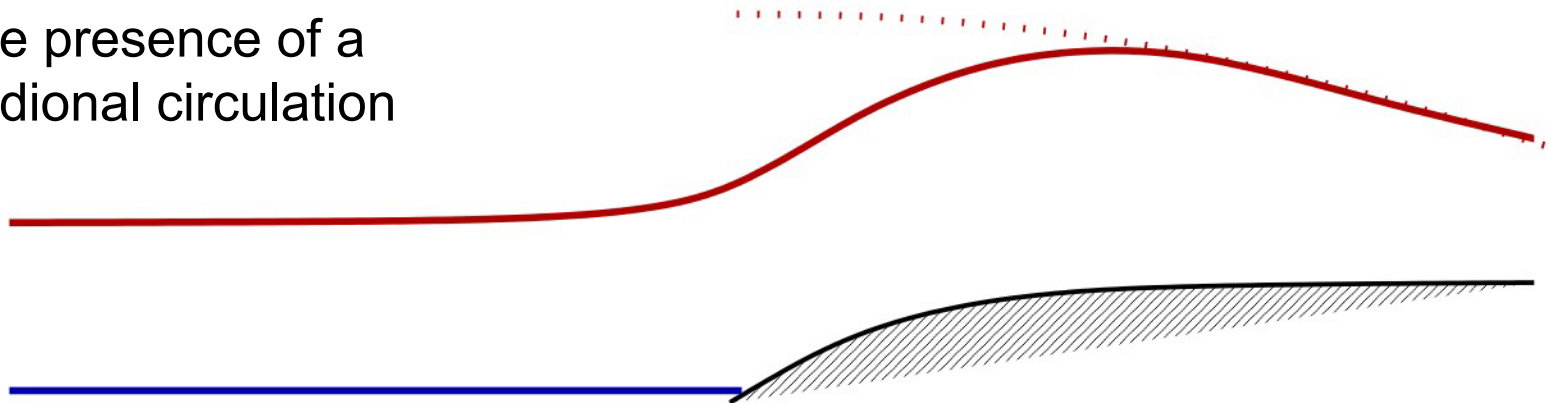


Impact of flow on h_b

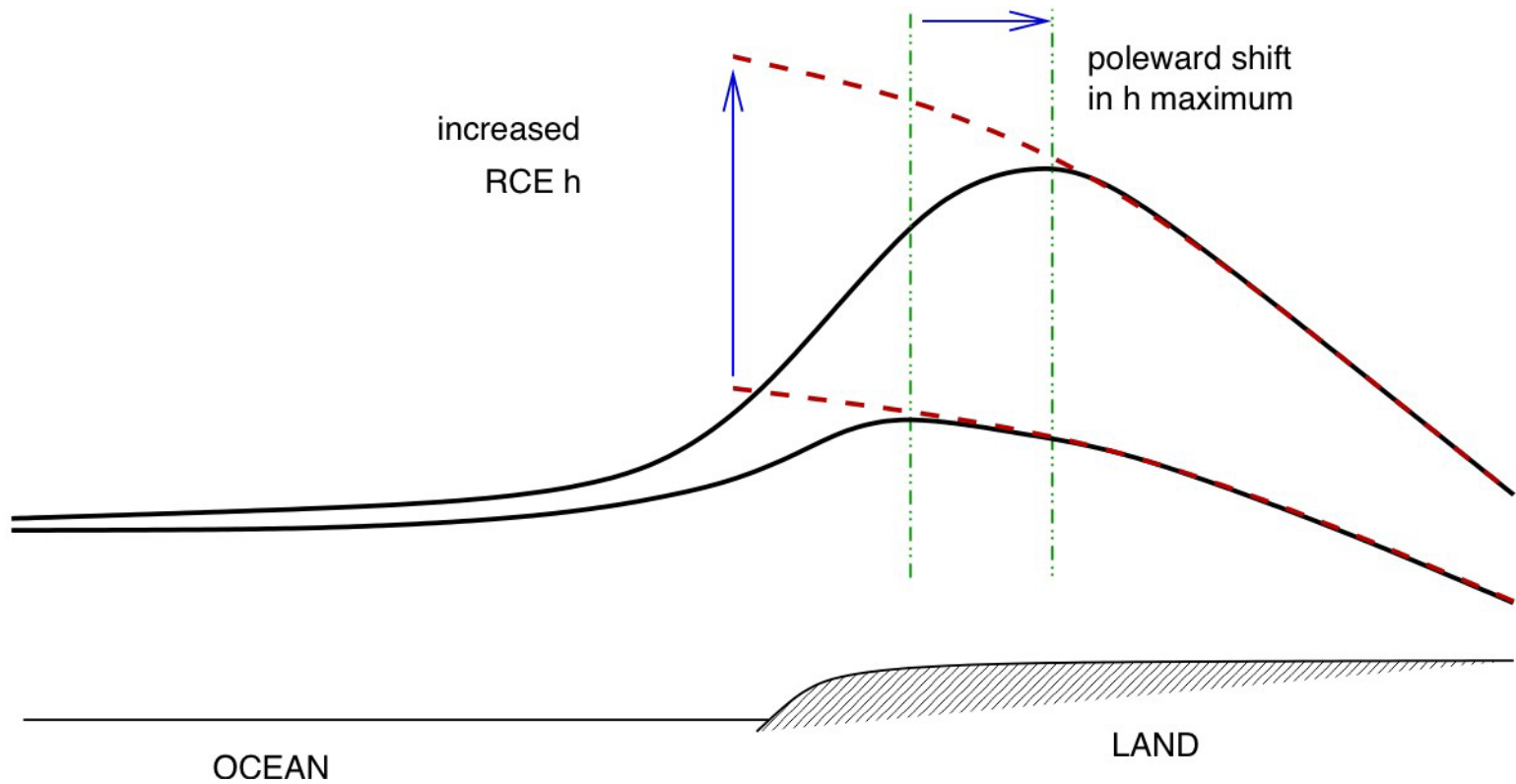
Radiative convective equilibrium



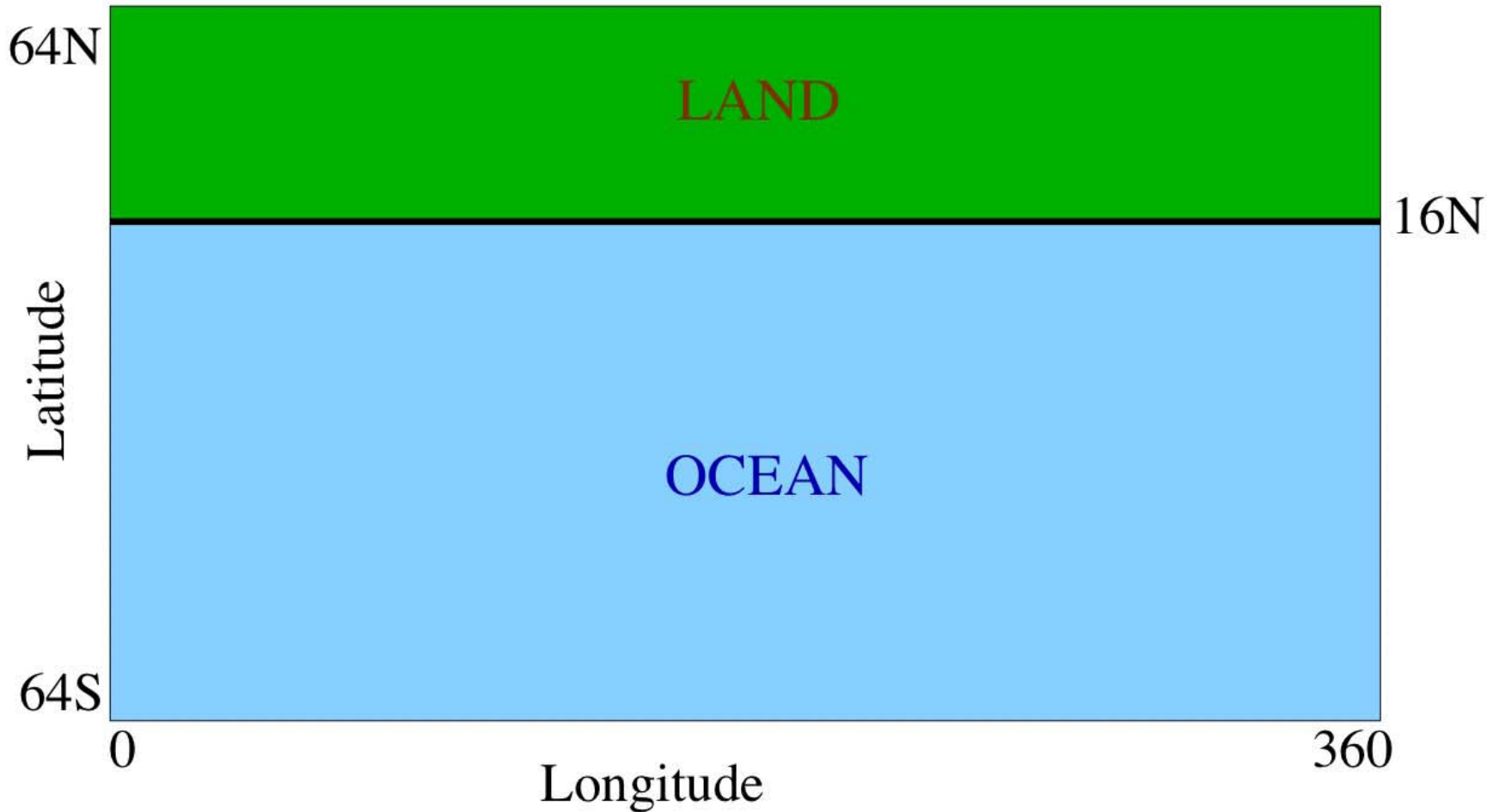
In the presence of a meridional circulation



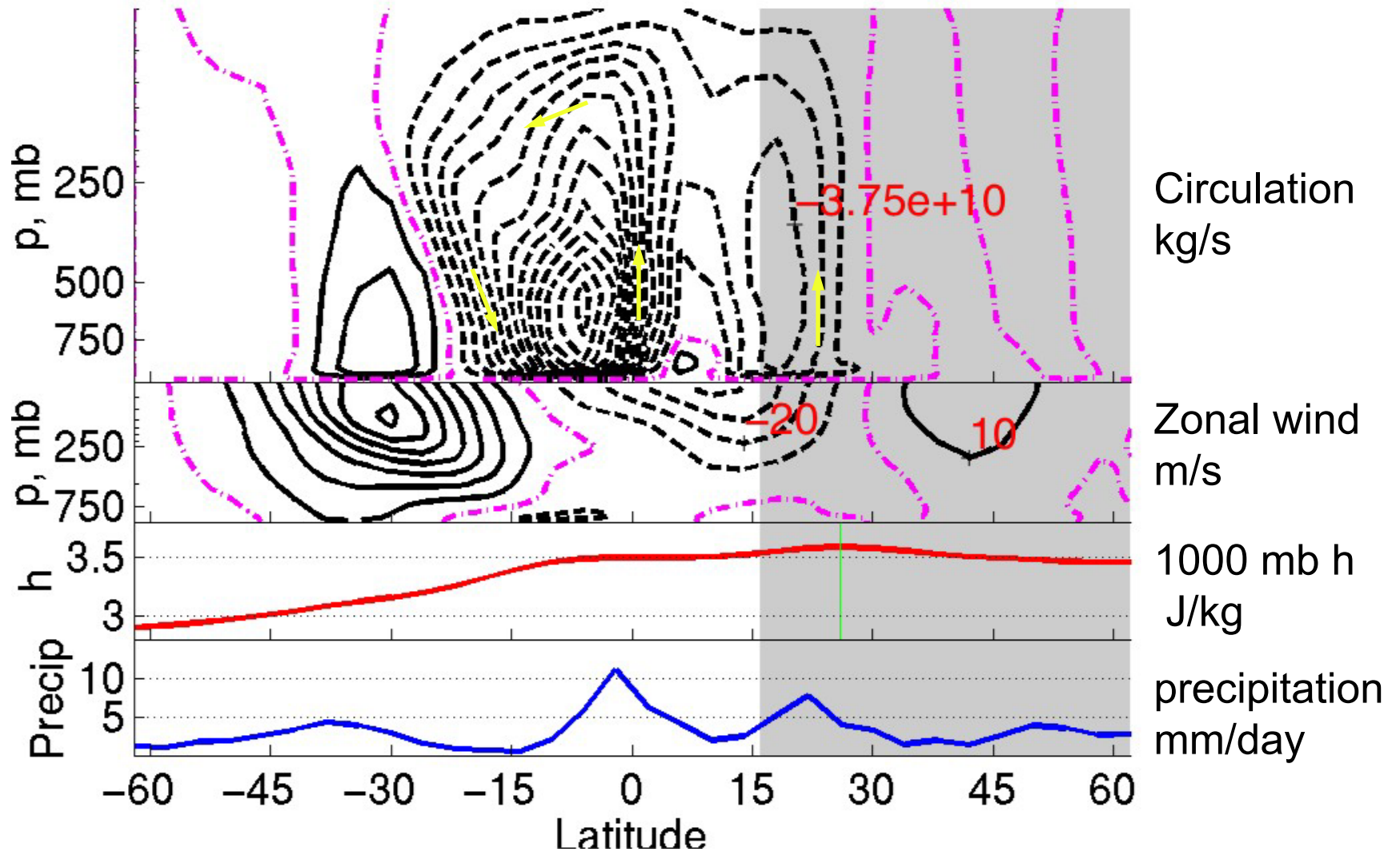
So what is going on with h_b ?



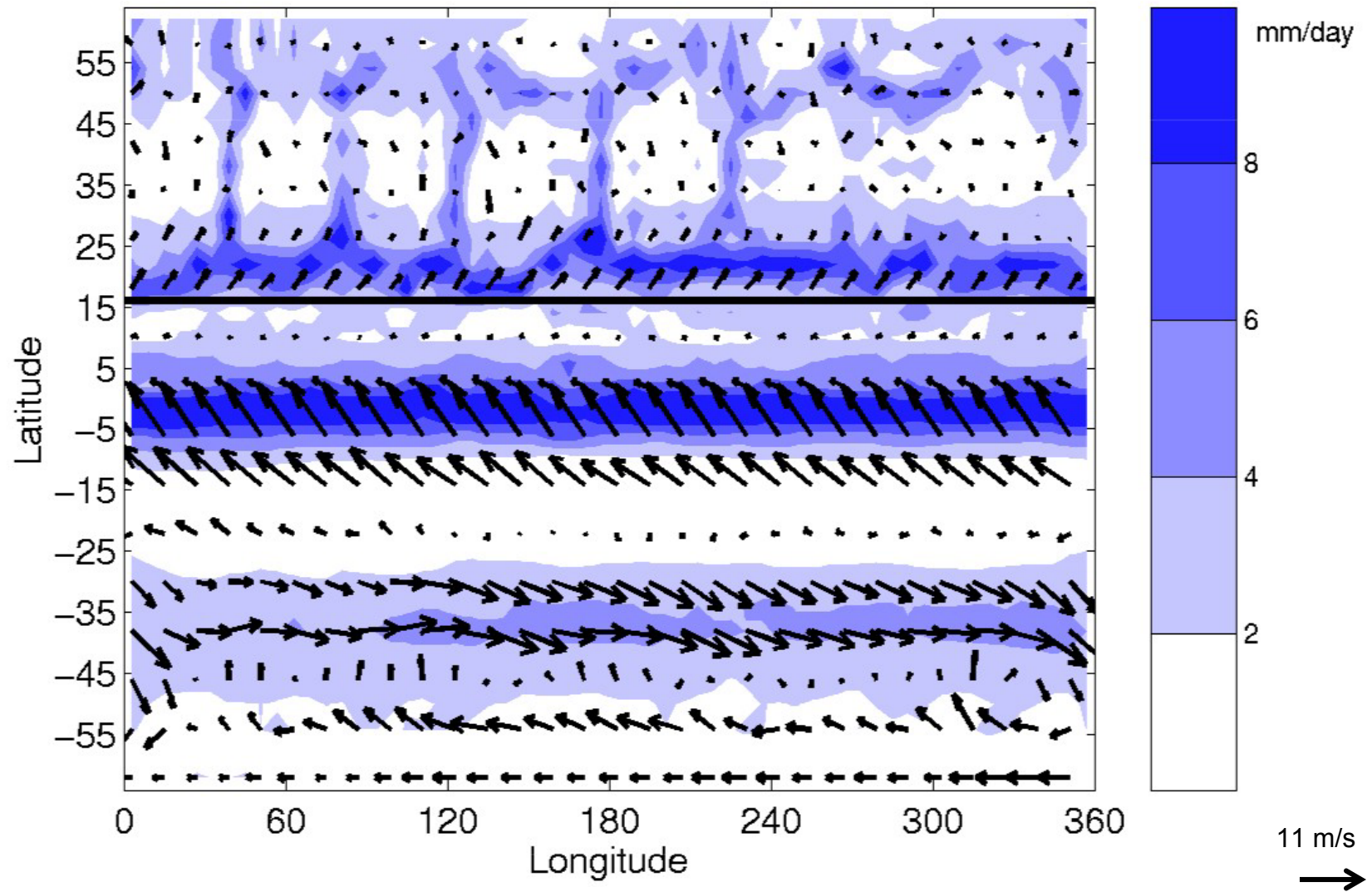
Expand to 3D



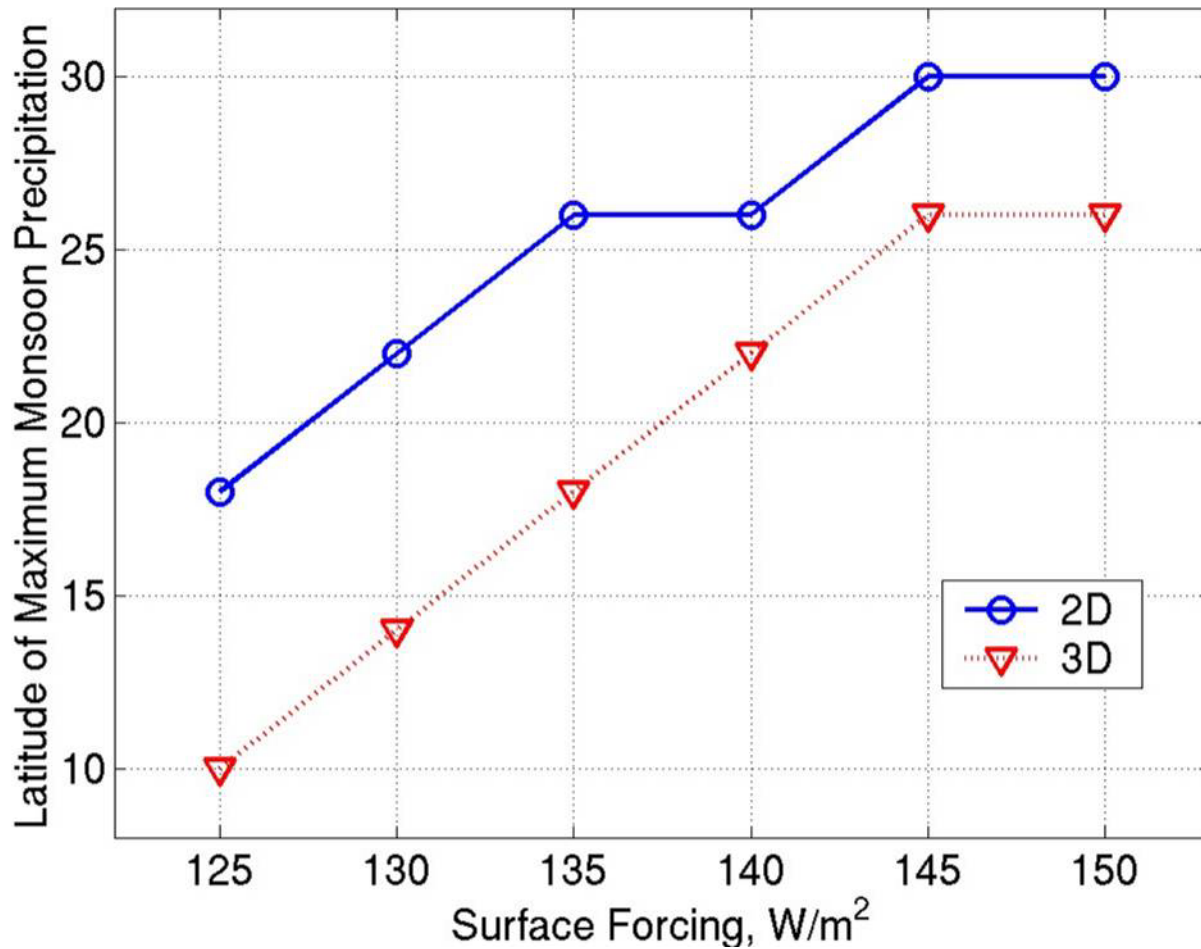
3D Monsoon



1000 mb winds and precipitation

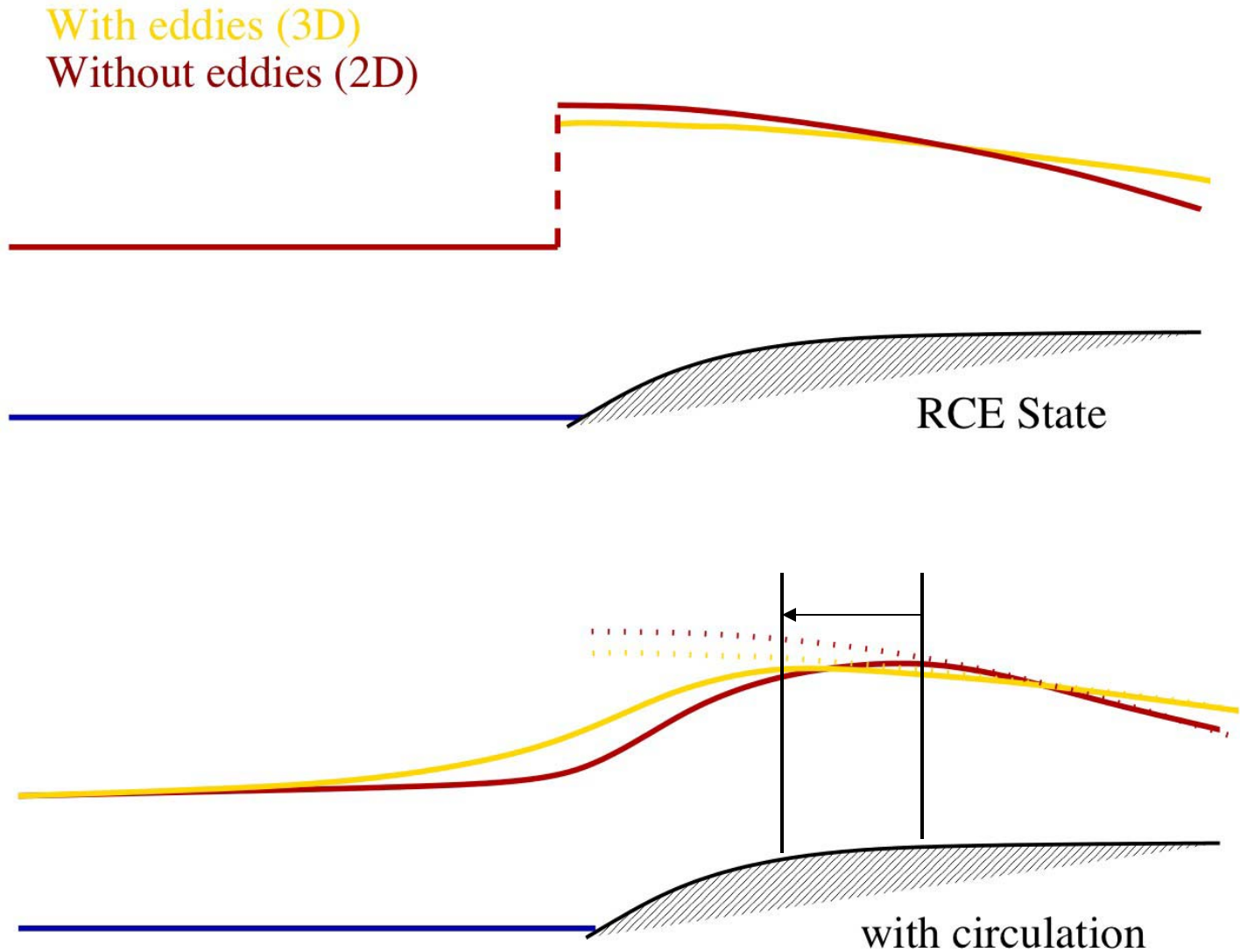


Monsoon Latitude: 2D vs 3D

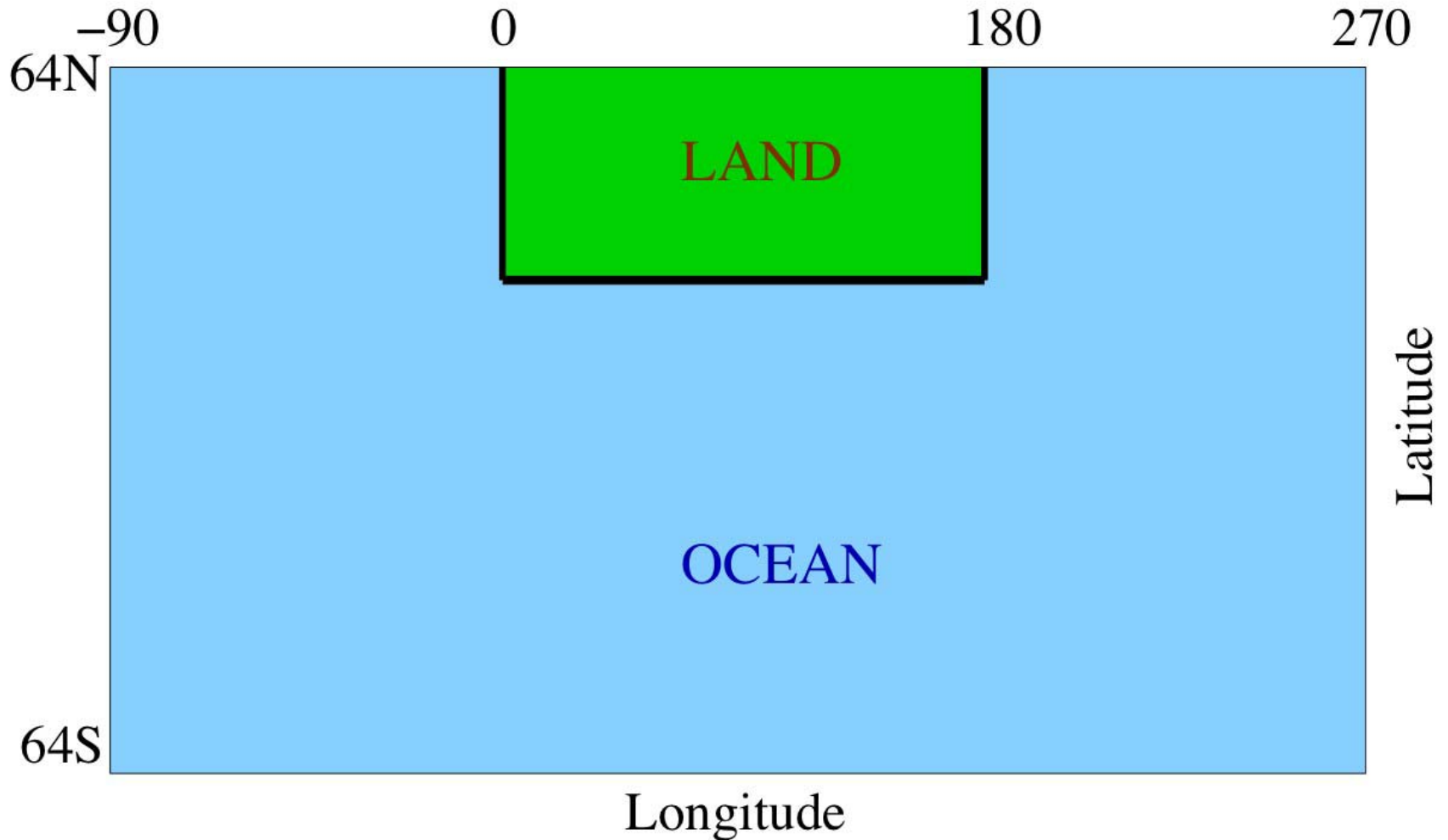


Impact of eddies on subcloud

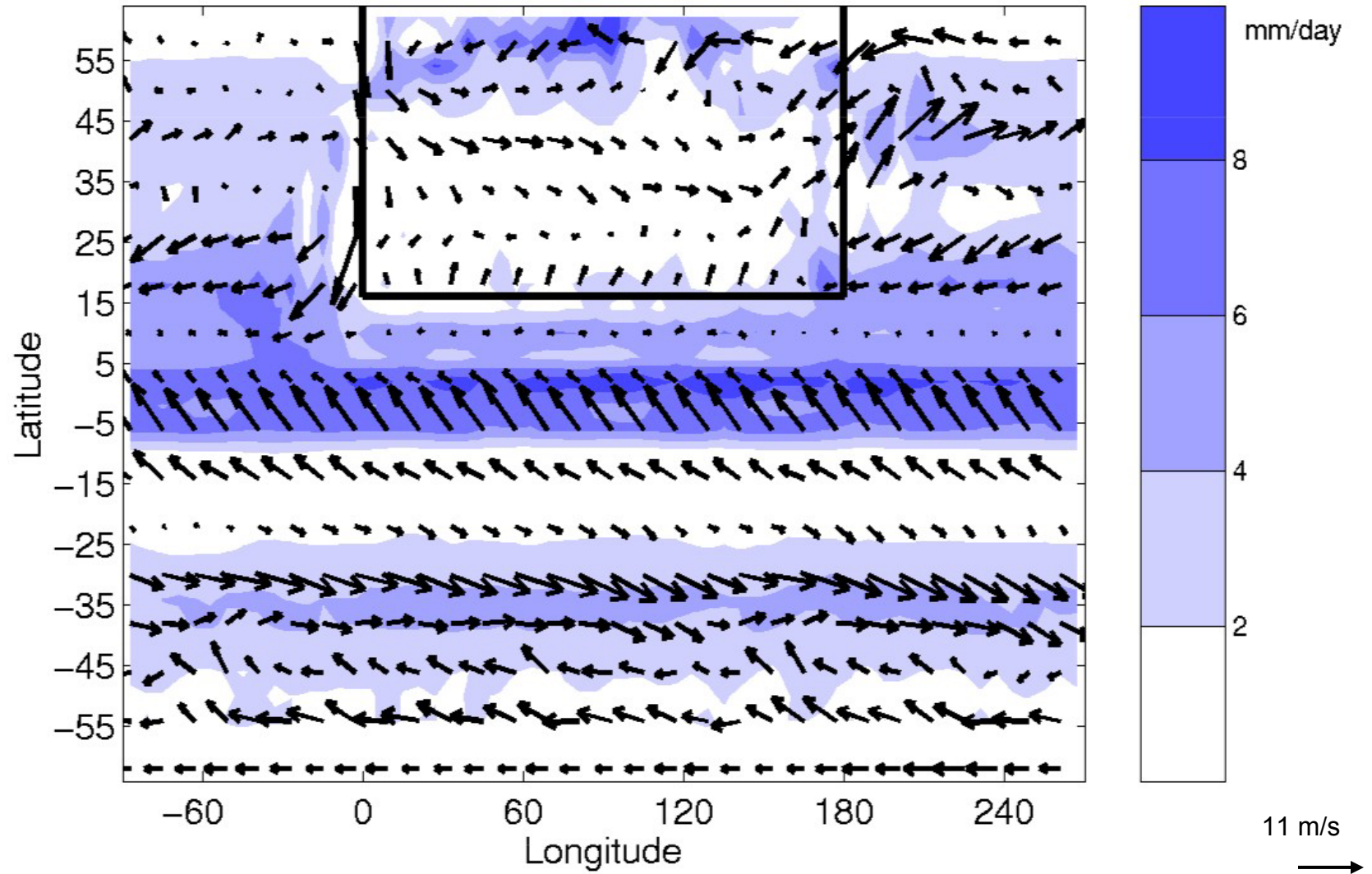
h



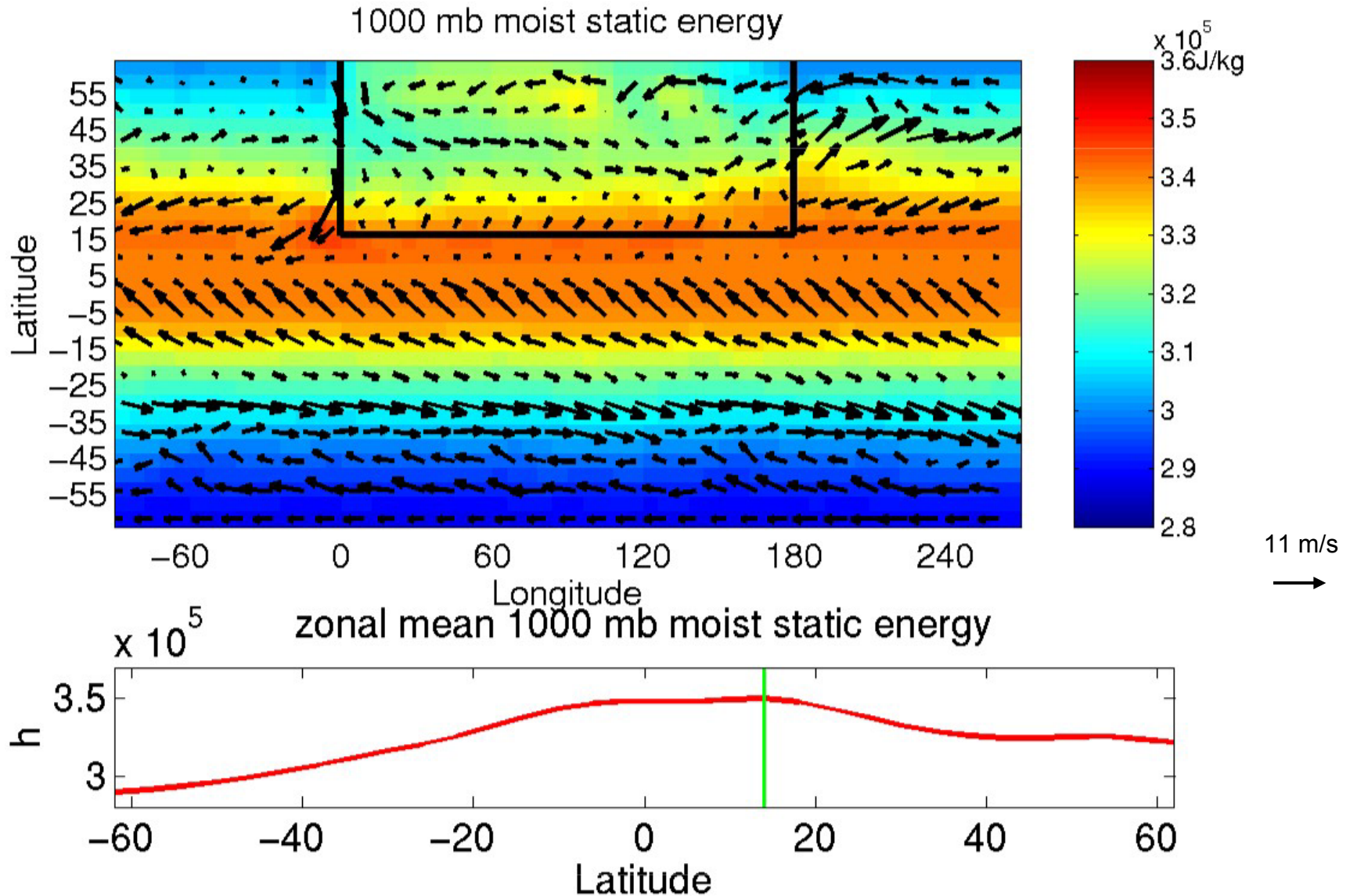
Introduce continental asymmetry



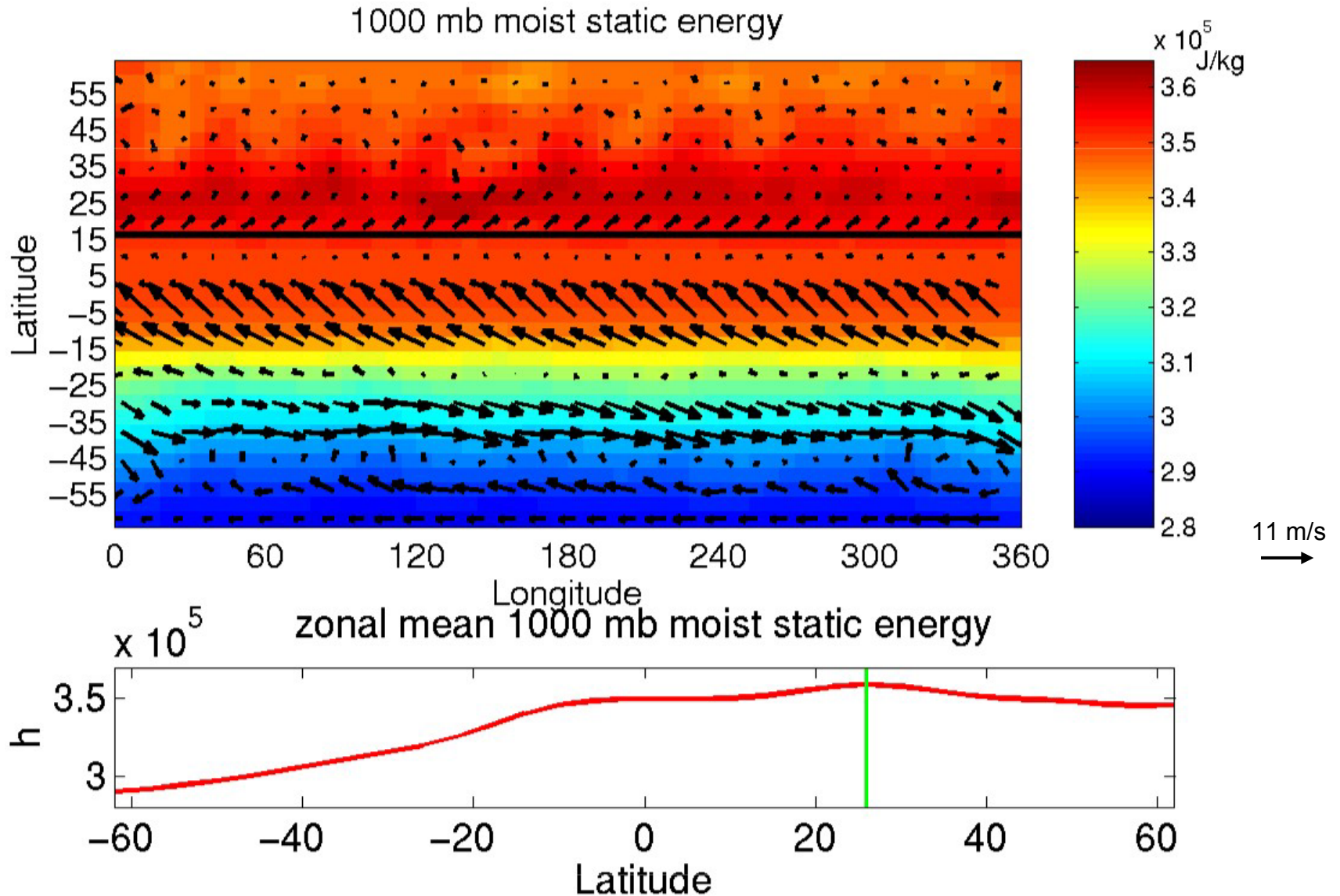
What happened to the monsoon?



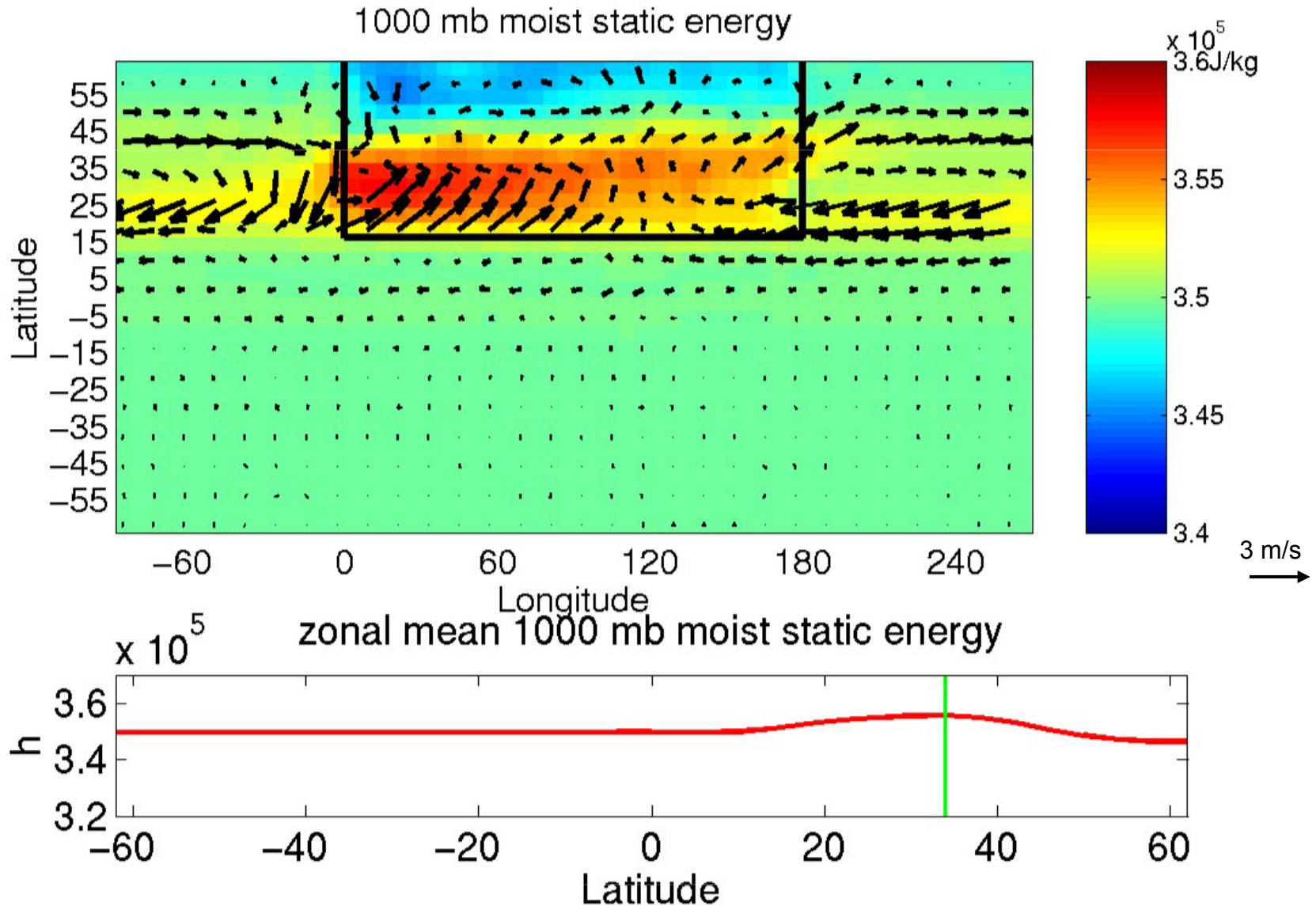
Impact of advection of low h_b air



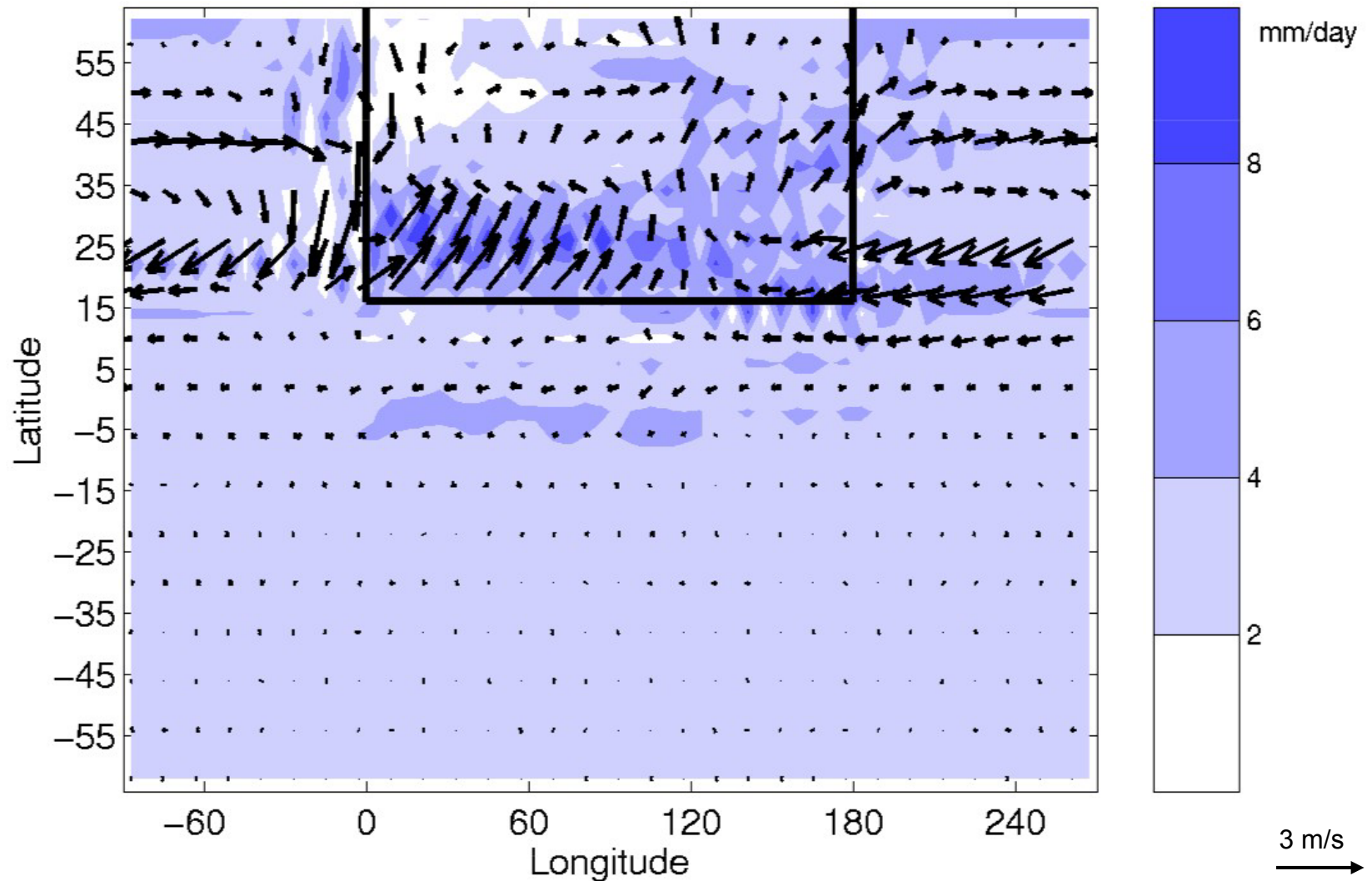
Comparison h_b distribution



Subcloud h_b with warm ocean



Remove the source of low h_b ...



Extension of Held-Hou to 3 Dimensions

Assume *geostrophic* balance:

$$\begin{aligned}\frac{\partial \mathbf{V}}{\partial p} &= -\frac{1}{2\Omega \sin \theta} \hat{k} \times \nabla_p \alpha \\ &= -\frac{1}{2\Omega \sin \theta} \left(\frac{\partial T}{\partial p} \right)_{s^*} \hat{k} \times \nabla_p s^*\end{aligned}$$

Integrate upward, taking $\mathbf{V}=0$ at surface:

$$\mathbf{V}_T = \frac{1}{2\Omega \sin \theta} (T_s - T_T) \hat{k} \times \nabla s_b$$

Demand that absolute vorticity at tropopause have the same sign as f :

$$\sin \theta \left[4\Omega^2 \sin \theta + \nabla \cdot \left(\frac{1}{\sin \theta} (T_s - T_T) \nabla s_b \right) \right] \geq 0$$